A Switching Hybrid LCC-S Compensation Topology for Constant Current/Voltage EV Wireless Charging

YAFEI CHEN, (Student Member, IEEE), HAILONG ZHANG, (Student Member, IEEE), SUNG-JUN PARK, AND DONG-HEE KIM, (Member, IEEE)
Department of Electrical Engineering, Chonnam National University, Gwangju 61186, South Korea

ABSTRACT Wireless power transfer (WPT) technology has been widely applied to automobile industries, household electronics and medical devices because of its many advantages. The hybrid battery charging scheme, which combines constant voltage (CV) and constant current (CC), is considered to be quite reasonable in view of the limitations of the conventional CC/CV implementation scheme. In this study, based on the inductance and double capacitances-series (LCC-S) compensation topology, a switching hybrid topology is proposed for CC/CV electric vehicle (EV) battery charging. The topology parameters are designed according to the specified CV and zero phase angle (ZPA). In the CC charging mode, two additional capacitances are added to the topology for CC and ZPA implementation. Based on the proposed weak communication, the CC and CV charging mode can be converted via two AC switches (ACSs). The proposed hybrid system provides a simple structure, easy controllability, and stable output. A 2.5-kW experimental prototype is configured to verify the proposed hybrid charger. The maximum DC efficiencies (at 2.5-kW) of the CC and CV charging modes are 89.28% and 88.33%, respectively.

INDEX TERMS Wireless power transfer (WPT), electric vehicle (EV), switching hybrid topology, inductance and double capacitances-series (LCC-S), constant current/constant voltage (CC/CV).

I. INTRODUCTION
Electric vehicle (EV) battery charging methods involve both contact charging and wireless charging [1]–[3]. To achieve power transfer, contact charging utilizes the metal contact between the plug and the socket, while wireless charging utilizes the electromagnetic field [4]. Compared with contact charging, wireless charging has the advantages of no contact loss, no mechanical wear, safety, and reliability [5], [6]. Thus, wireless charging has received increasing attention.

Several EV battery charging strategies exist, such as CC charging, CV charging, and CC/CV hybrid charging [7]. In the CC charging process, the charging current is constant and independent of load variations. CC charging can implement fast charging; however, overvoltage is easily induced and can damage batteries. In the CV charging process, the charging voltage is a constant and independent of load variations; it rarely causes overvoltage, but it often induces insufficient charging and hampers the charging effect. The advantages of CC and CV charging can be combined based on the characteristics of a battery. Generally, CC/CV hybrid charging is widely utilized in the EV industry [8], [9]. The typical profile of CC/CV hybrid charging is shown in Fig. 1. The entire charging process is divided into two stages: CC mode...
and CV mode [10]. In CC mode, the charging current is constant while the charging voltage gradually increases. The CV mode begins when the charging voltage increases to a specified voltage, at which it remains constant, and the charging current slowly decreases to zero. The equivalent resistance continues to rise throughout the charging process.

In a wireless power transfer (WPT) system, there are generally two factors that should be considered simultaneously: zero voltage switching (ZVS) operations are required to reduce electromagnetic interference (EMI) and improve the transfer efficiency [11], and CC/CV hybrid charging is required to ensure long life span and maximum capacity utilization of batteries [12]. Currently, three primary schemes are utilized to achieve these factors. In the first [13]–[15], a few additional DC/DC converters are added behind the secondary side rectifier to implement post regulation. Impedance matching and CC/CV output can be obtained via duty cycle adjustment. However, the additional DC/DC converters result in low system efficiency and high cost. The second involves combining the frequency modulation (FM) control, phase-shift (PS) control, and other advanced controls to achieve ZVS operation and CC/CV output. In [16], a hybrid control approach is proposed within a limited operating frequency range. FM control is applied to achieve ZVS operation and PS control is applied to regulate the output voltage, respectively. In [17], a self-oscillating control method is proposed. According to the charging profile, the operation frequency of series-series (SS) compensation topology can be automatically adjusted between CC and CV operation points. These two control schemes can ensure ZVS operations and output regulations without the need for additional hardware devices. However, a wide FM range is generally required, which may increase the switching loss and VA rating. In addition, these control schemes are complex and require high speed real-time communication between the transmitter and receiver. The third scheme involves the reconfiguration of the compensation topologies using AC switches (ACSs). The typical structure of an ACS is shown in Fig. 2.

In fact, the common compensation topologies can be seen as combinations of a passive resonant network [18]. These networks have CC or CV output characteristics; integrating these networks and switching the states using ACSs can achieve ZVS and CC/CV output simultaneously. Because this scheme provides easy controllability and low cost, it is widely studied and applied today. In [19], a composite topology, which is a combined SS and series-parallel (SP), is proposed. CC/CV output can be realized by switching; however, because a center-tapped transformer and three ACSs are required, the topology is complex. In [20], two composite topologies with CC/CV output via switching between the four basic compensation topologies (SS, SP, parallel-series (PS) and parallel-parallel (PP)) is proposed. Nevertheless, the four conventional topologies are more sensitive to the load variations and have low parametric degrees of freedom. In addition, three ACSs are also utilized to switch the operation modes. In [21], a hybrid topology with two ACSs and an auxiliary capacitor at receiver side is proposed to achieve the required CC or CV charging. Unfortunately, the proposed hybrid topology for CC mode can be considered as an equivalent S-S compensation topology, the problems similar with in [20] also exist. In [22], a hybrid topology is proposed by using a single Full-bridge inverter (FBI) to implement CC/CV charging for massive electric bicycles (EBs). Configurable CC and CV outputs can be realized by turning on/off two ACSs. However, massive resonant devices are required to constitute the hybrid topology. In [23], a hybrid and reconfigurable IPT system with 3-D misalignment tolerance for CC and CV outputs is proposed. However, the utilized 4-coils structure with mutual inductances increases the complexity and cost. Furthermore, most of the proposed hybrid topologies are researched and applied to low power WPT applications (less than 1-kW), the relevant researches for EV application is still less.

In practical WPT applications, conventional control methods, e.g., FM control, PS control, and zero phase angle (ZPA) automatic tracking control usually require high-speed and real-time feedback of information (battery voltage/current, state of charge (SOC), etc.) from the receiver to the transmitter via wireless communication (Zigbee, Wi-Fi, Bluetooth, etc.) [24], [25]. Since the specifics of WPT applications, the applications of the general wireless communications in wireless charging result in disadvantages such as the susceptibility to disturbance, easy disconnection and data delay [26]–[28]. However, in the WPT system based on the switching hybrid topology, a concept of weak communication is proposed here, because the CC/CV charging can be implemented without continuous feedback from the secondary to the primary side. Weak communication does not represent a lack of communication between the transmitter and receiver, but the communication consists of only a charging start/stop signal, CC/CV mode conversion signal, and a few other discrete signals. Thus, the communication complexity reduces and fault tolerance increases because of the weak communication.

In this study, in order to achieve CC and CV charging characteristics, a switching hybrid topology based on LCC-S is proposed. The characteristics of the proposed topology are analyzed via the transformer T model. The conditions of constant output and ZPA in the CV and CC modes, respectively, are given. The topology parameters of the CV...
charging mode are designed according to the specified charging voltage and ZPA requirements. In the CC charging mode, on the premise that this does not affect the other parameters, two additional capacitances are added to the topology via two ACSs: the additional primary capacitance for CC output and the additional assistant capacitance for ZPA. Based on the weak communication, the control scheme of the proposed hybrid charger is introduced. Finally, a 2.5-kW experimental prototype is configured, and comparative experiments are conducted to verify the proposed hybrid charger.

II. THEORETICAL ANALYSIS

Fig. 3 shows the structure of the proposed switching hybrid LCC-S WPT system with weak communication. \( U_{DC} \) is the DC-link voltage, which is normally produced by an active three-phase rectifier (ATPR) [29]. \( Q_1-Q_3 \) are four metallic oxide semiconductor field effect transistors (MOSFETs) that construct the FBI to convert the DC component into an AC component. \( U_{AB} \) and \( I_{IN} \) are the output voltage and current, respectively, of the FBI. If \( U_{AB} \) is expanded by the Fourier series, it can be expressed as

\[
U_{AB} = \frac{4U_{DC}}{\pi} \sum_{n=1,3,5,\ldots}^{\infty} \frac{\sin(n\varphi)}{n} \tag{1}
\]

where \( n \) is the number of harmonics and \( \varphi \) is the phase angle. Generally, since the quality factors of the compensation topologies in WPT system are quite high, the current components of \( I_{IN} \) corresponding to the ultraharmonics are very small. Thus, the fundamental harmonic analysis (FHA) can be utilized without compromising on accuracy [14]. When only the fundamental component is considered, there is \( n = 1 \). In the LCC-S resonant network shown in Fig. 3, \( C_1 \) and \( C_2 \) are two additional capacitors to implement CC/CV output, and \( S_1 \) and \( S_2 \) are the corresponding ACSs to switch the charging modes. The specific working principles as well as switching guidelines will be introduced in detail in subsequent sections. The bridge rectifier (BR) on the secondary side consists of four diodes \( D_1-D_4 \). The BR is applied to transform the AC output voltage \( U_{ab} \) and current \( I_s \) to battery charging voltage \( U_{Bat} \) and current \( I_{Bat} \), respectively. Since the output low-pass filter (LPF) consists only of the capacitance \( C_O \), the following equations can be derived according to [30]:

\[
U_{Bat} = \frac{\pi \sqrt{3}}{4} U_{ab} \tag{2}
\]

\[
I_{Bat} = \frac{2 \sqrt{2}}{\pi} I_s \tag{3}
\]

where \( U_{ab} \) and \( I_s \) are the RMS values of \( U_{ab} \) and \( I_s \), respectively. The output AC equivalent resistance is defined as \( R_{AC} = U_{ab} / I_s \), and the equivalent battery resistance is \( R_{Bat} = U_{Bat} / I_{Bat} \). According to (2) and (3), the relational expression between \( R_{AC} \)
and $R_{\text{Bat}}$ can be obtained by

$$R_{\text{AC}} = \frac{8}{\pi^2} R_{\text{Bat}}$$  \hfill (4)

In a WPT system, the loosely coupled transformer (LCT) is a key component that affects the efficiency and output characteristics of the system [31]. Generally, two analytical models called the M and T models are used to analyze the LCT, as shown in Fig. 4. In order to simplify the analysis, the parasitic coil resistances are omitted. $L_p$ and $L_s$ are the self-inductances of the primary and secondary coils, respectively. $M$ is the mutual inductance of the LCT, $U_p$ and $U_s$ are the coil voltages, and $I_p$ and $I_s$ are the coil currents. By Kirchoff’s voltage law (KVL), the following equations can be obtained from Fig. 4(a):

$$
\begin{align*}
U_p &= j\omega L_p I_p - j\omega M I_s \\
U_s &= j\omega M I_p + j\omega L_s I_s
\end{align*}
$$  \hfill (5)

on the premise that the M and T models are equivalent; the following equations can be derived by solving (5):

$$
\begin{align*}
L_T &= L_p - M \\
L_R &= L_s - M
\end{align*}
$$  \hfill (6)

where $L_T$ and $L_R$ are the leakage inductances of the primary and secondary coils, respectively, when the turn ratio is same.

Fig. 5 shows three of types of the several passive resonant networks with CV or CC output that are possible in a WPT system. In these passive resonant networks, the relevance of the CV or CC output characteristics to the load impedance $Z$ is dependent on the type of AC power source, i.e., an AC voltage source (ACVS) or an AC current source (ACCS) must be applied to the specific resonant network. In Fig. 5(a), when $L$ resonates with $C$, i.e.,

$$\omega^2 = \frac{1}{LC}$$  \hfill (7)

where $\omega$ is the operating frequency of AC power source. On the basis of KVL and Kirchoff’s current law (KCL), the passive resonant network output current $I_{V, C}$ in the resonant state can be derived as

$$I_{V, C} = -jU_{\text{IN}} \sqrt{\frac{C}{L}} = -j \frac{U_{\text{IN}}}{\omega L}$$  \hfill (8)

According to (8), if the RMS value of $U_{\text{IN}}$ is constant, the RMS value of $I_{V, C}$ is constant as well, and $I_{V, C}$ is independent of $Z$.

The C-V type passive resonant network shown in Fig. 5(b) has a similar analytical process when the operating angular frequency $\omega$ satisfies (7), i.e., $L$ resonates with $C$. According to KVL and KCL, the output voltage $U_{C, V}$ of C-V type network in the resonant state can be given as

$$U_{C, V} = jI_{\text{IN}} \sqrt{\frac{L}{C}} = j\omega LI_{\text{IN}}$$  \hfill (9)

Similarly, if the RMS value of $I_{\text{IN}}$ is constant, the RMS value of $U_{C, V}$ is constant as well, and $U_{V, C}$ is independent of $Z$.

The C-C type passive resonant network shown in Fig. 5(c) is a π-circuit, defined by $Z_C = \frac{1}{j\omega C}, Z_1 = j\omega L_1$, and $Z_2 = j\omega L_2$. Thus, on the basis of KVL and KCL, the relational expression between $I_{\text{IN}}$ and $I_{C, C}$ can be expressed as

$$I_{\text{IN}} = \frac{Z Z_2 + (Z + Z_1)(Z_C + Z_1)}{Z_2 Z_C} I_{C, C}$$

$$= \left(1 + \frac{Z_1}{Z_C}\right) I_{C, C} + Z \Delta I_{C, C}$$  \hfill (10)

where

$$\Delta = \frac{Z_1 + Z_2 + Z_C}{Z Z_C}$$  \hfill (11)

Making the output current $I_{C, C}$ irrelevant to load impedance $Z$, it is required that $\Delta = 0$, i.e.,

$$\omega^2 = \frac{1}{L_1 C + L_2 C}$$  \hfill (12)

Moreover, it has a constant current output under the condition of $\Delta = 0$

$$I_{C, C} = \frac{L_1 + L_2}{L_2} I_{\text{IN}}$$  \hfill (13)

A. CV OUTPUT CHARACTERISTICS OF LCC-S COMPENSATION TOPOLOGY

When the ACSs $S_1$ and $S_2$ are both off, as shown in Fig. 3, the FHA method is utilized for analysis, and the parasitic resistances of inductance and the equivalent series resistances (ESRs) of capacitance are omitted. This is a standard LCC-S compensation topology, and the equivalent T model for the CV mode is shown in Fig. 6(a). The angular frequency of $U_{AB}$ is defined as $\omega_0$, and is referred to as the operation angular frequency of the resonant network hereafter. $I_{\text{IN}}$ is made to resonate with $C_p$, i.e., $\omega_0^2 = 1/(L_{\text{IN}} C_p)$. According to Fig. 5(a)

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as well as (8), the primary coil current IP can be obtained as

$$I_p = -j\frac{U_{AB}}{\omega_0 L_{IN}} C_p = -j\frac{U_{AB}}{\omega_0 L_{IN}}$$

(14)

Under the condition that $U_{AB}$, $L_{IN}$, and $\omega_0$ are constants, the RMS value of $I_p$ is also a constant and is irrelevant to the other parameters of the resonant topology.

Thus, the input of the C-V resonant network shown in Fig. 6(a) can be perceived as an ACCS. In addition, when the value of $C_S$ is sufficiently large, the series connection of $L_R$ and $C_S$ can be regarded as an equivalent capacitance $C'$, i.e.,

$$C' = \frac{C_S}{1-\omega_0^2 L_R C_S}$$

(15)

When $M$ resonates with $C'$, in combination with (6), (7), and (15), the following equation can be derived:

$$\omega_0^2 = \frac{1}{MC'} = \frac{1}{L_S C_S}$$

(16)

Clearly, based on the above equations, according to Fig. 5(b) as well as (9), the AC output voltage $U_{ab}$ can be given as

$$U_{ab} = j\omega M I_p = \frac{M U_{AB}}{L_{IN}}$$

(17)

Substituting (17) into (2), the battery charging voltage $U_{Bat}$ in CV mode can be expressed as

$$U_{Bat} = \frac{\pi \sqrt{2}}{4} U_{ab} = \frac{\pi \sqrt{2}}{4} M U_{AB}$$

(18)

where $U_{ab}$ and $U_{AB}$ are the RMS values of $U_{ab}$ and $U_{AB}$, under the condition that $\omega_0^2 = 1/(L_{IN} C_p) = 1/(L_S C_S)$, and the parameters of the compensation topology shown in Fig. 6(a) are constants. From (18), it can be seen that the battery charging voltage $U_{Bat}$ is a constant without variable frequency and is independent of load.

On the other hand, ZPA should be implemented to lower the volt-ampere (VA) rating of the power supply [18]. According to Fig. 6(a), the secondary side equivalent impedance $Z_S$ can be calculated as

$$Z_S = jX + R_{AC}$$

(19)

where $X = \omega_0 L_R - 1/(\omega_0 C_S)$. The reflected impedance $Z_R$, which is converted from the secondary side to the primary side, can be given as

$$Z_R = j\omega M \parallel Z_S = \frac{j\omega M Z_S}{j\omega M + Z_S}$$

(20)

where the symbol “$\parallel$” represents the parallel connection of impedance. In combination with (19) and (20), the total input impedance $Z_{IN}$ can be given as

$$Z_{IN} = \left[\left(j\omega_0 L_T + \frac{1}{j\omega_0 C_F} + Z_R\right)\parallel\frac{1}{j\omega_0 C_F}\right] + j\omega_0 L_{IN}$$

(21)

Under the condition of $\omega_0^2 = 1/(L_{IN} C_F) = 1/(L_S C_S)$, and substituting (6) into (21), $Z_{IN}$ can be simplified as

$$Z_{IN} = \frac{\omega_0^2 C_F L_{IN} R_{AC}}{A R_{AC} + \omega_0^2 M^2 C_F C_p}$$

(22)

where $A = j\omega_0 (L_F - L_{IN}) + 1/j\omega_0 C_F$. ZPA can only be achieved under the condition that $Z_{IN}$ presents a resistive characteristic, i.e., $A = 0$. Thus, $C_F$ should satisfy the following equation:

$$C_F = \frac{L_{IN} C_p}{L_F - L_{IN}}$$

(23)

When the other parameters are fixed, $C_F$ should be designed as per (23) to achieve ZPA. Substituting (4) into (22), the input impedance of ZPA in CV mode can be given as

$$Z_{IN} = \frac{8}{\pi^2} \frac{L_{IN}^2 R_{Bat}}{M^2}$$

(24)

**B. CC OUTPUT CHARACTERISTICS OF LCC-S COMPENSATION TOPOLOGY**

When the ACSs $S_1$ and $S_2$ are both on, as shown in Fig. 3, a similar analysis method to that in Section II A is used, and the equivalent T model for CC mode is shown in Fig. 6(b). If the parallel connections of capacitance on the primary and secondary sides are considered to be whole capacitances $C_F'$.
and $C_s'$, respectively, there are

$$\begin{align*}
C_p' &= C_p + C_i \\
C_s' &= C_s + C_2
\end{align*}$$

Comparing Fig. 6(a) and (b), the parameters of the resonant network are varied. However, both topologies are almost identical in terms of structure.

When $L_{IN}$ resonated with $C_p$, i.e., $\omega_0^2 = 1/(L_{IN}C_p)$. Based on the previous analysis, it is clear that $I_C$ is magnitude-constant, and $I_C = jU_{AB}/(\omega_0 L_{IN})$.

Similarly, the input of the C-C resonant network shown in Fig. 6(b) can be seen as an ACCS. In addition, when $L_I$ is large enough, the series connection of $L_I$ and $C_I$ can be regarded as an equivalent inductance $L'$, i.e.,

$$L' = L_I - \frac{1}{\omega_0^2 C_p}$$

When $M$ resonated with $C_I$ and $L'$, in combination with (6), (12) and (26), following equation can be derived as

$$\alpha_0^2 = \frac{1}{L'C_I + MC_I} = \frac{1}{L_p'C_p}$$

where $L_p'$ is an equivalent inductance that includes the series connection of $L_p$ and $C_p$, and $L_p' = L_p - 1/(\omega_0^2 C_p)$.

Obviously, based on the above equations, and according to (13) and Fig. 5(c), the AC output current $I_S$ can be given as

$$I_S = \frac{M + L'}{M} I_C = -j \frac{U_{AB} L_p'}{\alpha_0 M L_{IN}}$$

Substituting (28) into (3), the battery charging current $I_{Bat}$ in CC mode can be expressed as

$$I_{Bat} = 2\sqrt{2} \frac{\pi}{\pi} I_S = \frac{2\sqrt{2}}{\pi} \frac{U_{AB} L_p'}{\alpha_0 M L_{IN}}$$

where $I_S$ and $U_{AB}$ are the RMS values of $I_S$ and $U_{AB}$, under the conditions that $\omega_0^2 = 1/(L_{IN}C_p) = 1/(L_p'C_p)$, and the parameters of the compensation topology as shown in Fig. 6(b) are constants. From (29), it can be seen that without variable frequency, the battery charging current $I_{Bat}$ is constant and independent of load.

Similar to the analysis of the CV mode, ZPA should be implemented to reduce the VA rating of the power supply in the CC mode. According to Fig. 6(b), the secondary side equivalent impedance $Z_S$ can be calculated as

$$Z_S = jX' + R_{nc}$$

where $X' = \omega_0 L_p - 1/(\omega_0 C_S')$. The reflected impedance $Z_R$, which is converted from the secondary side to the primary side, can be calculated according to (20). Thus, according to Fig. 6(b), the total input impedance $Z_{IN}$ can be given as

$$Z_{IN} = \left[ j\omega_0 L_I + \frac{1}{j\omega_0 C_p} + Z_R \right]/\left[ \frac{1}{j\omega_0 C_I} \right] + j\omega_0 L_{IN}$$

Under the condition of $\omega_0^2 = 1/(L_{IN}C_p) = 1/(L_p'C_p)$, and substituting (6) and (25) to (31), $Z_{IN}$ can be simplified as

$$Z_{IN} = \frac{\alpha_0^2 M^2 L_{NC} C_I}{\alpha_0^2 L_p'C_p R_{nc} + j\omega_0^2 (X'L_p C_p - \omega_0 M^2 C_p')}$$

From (32), the conditional expression of the ZPA implementation can be derived as

$$X'L_p C_p - \omega_0 M^2 C_p' = 0$$

Substituting (25) and “$X' = \omega_0 L_p - 1/(\omega_0 C_S')$” into (33), the capacitance $C_s'$ that satisfies ZPA can be deduced as follows:

$$C_s' = \frac{L_p'C_p}{\omega_0^2 (L_p' C_p - M^2 C_p')}$$

When the other parameters are fixed, $C_s'$ should be designed as per (34) to achieve ZPA. Substituting (4) into (32), the input impedance of ZPA in the CC mode can be given as

$$Z_{IN} = \frac{\pi^2}{8} \frac{\alpha_0^2 M^2 L_{NC} C_I}{L_p'C_p R_{Bat}}$$

C. PARAMETER MODIFICATION-BASED CC AND CV MODE IMPLEMENTATION FOR THE WPT SYSTEM

Generally, compensation topology parameters are key elements which affect the efficiency, output characteristics, and voltage/current stress of the WPT system [32]. The parameter design method for CC/CV output implementation of the proposed switching hybrid compensation topology is presented in detail below. As shown in Fig. 3, capacitances $C_p$ and $C_s$, inductance $L_{NC}$, and an LCT are shared in both the CC and CV modes. In this study, under the condition that the LCT parameters are given, the parameters of the proposed hybrid LCC-S topology are designed as per the specified output current/voltage.

First of all, in the hybrid LCC-S topology for CV charging mode is shown in Fig. 6(a), under the condition of ZPA, the following equation can be derived from (18)

$$L_{IN} = \frac{\pi^2}{4} \frac{MU_{AB}}{U_{Bat}}$$

where $U_{AB}$ is the RMS value of $U_{AB}$. According to $M = k\sqrt{1+P_{IN}^2}$, and only fundamental components of $U_{AB}$ are considered. By substituting (1) into (36), (36) can be modified as follows:

$$L_{IN} = \frac{k\sqrt{P_{IN}L_p U_{DC}}}{U_{Bat}}$$
Since there is $\omega_0^2 = 1/(L_{IN} C_P)$ in the case of ZPA, $C_P$ can be calculated as

$$C_P = \frac{1}{\omega_0^2 L_{IN}} \quad (38)$$

Under the condition that $L_{IN}$ and $C_P$ are determined, $C_F$ should be calculated as per (23) for the system to operate in ZPA. According to (16), $C_S$ can be given as

$$C_S = \frac{1}{\omega_0^2 L_S} \quad (39)$$

In the proposed switching hybrid topology, as shown in Fig. 3, the resonant network devices are shared as far as possible to reduce cost as well as volume. Hence, on the premise of constant LCT parameters, $L_{IN}$, $C_P$ and $C_F$ are shared in both the CV and CC charging modes. According to the analysis given in Section II A, the condition for achieving ZPA is that the series equivalent impedance of $L_P$ and $C_F$ equals the impedance of $L_{IN}$ i.e., $L_P' = L_{IN}$. In combination with (27), in the hybrid LCC-S topology for CC charging mode, as shown in Fig. 6(b), $C_I$ is designed as

$$C_I = C_P \quad (40)$$

Substituting (25) and (40) to (34), $C_S'$ can be given as

$$C_S' = \frac{L_{IN}}{\omega_0^2 \left( L_{IN} L_S - 2 M^2 \right)} \quad (41)$$

In this study, as per the SAE J2954 [33] recommended practice, an LCT for WPT 1 power level (3.7 kVA) is designed. In addition, under the condition that the LCT parameters are supplied, the parameters of the proposed hybrid topology are designed based on the previously introduced design methods. These parameters are shown in Table 1.

The input phase angle $\theta_{IN}$ of proposed hybrid LCC-S topology is defined as

$$\theta_{IN} = \frac{180}{\pi} \tan^{-1} \frac{\text{Im}(Z_{IN})}{\text{Re}(Z_{IN})} \quad (42)$$

where the operators “Im” and “Re” represent the imaginary and real parts, respectively, of the input impedance. The voltage gain $G_V$ and transconductance gain $G_T$ of LCC-S compensation topology are defined as follows:

$$G_V = \frac{U_{IN}}{U_{DC}} = \frac{U_{AB}}{U_{DC}} \quad (43)$$

$$G_T = \frac{I_{Bat}}{U_{AB}} = \frac{I_S}{U_{DC}} \quad (44)$$

FIGURE 7. Input phase angle, voltage gain and transconductance gain of proposed hybrid LCC-S topology (a) for CV mode; (b) for CC mode.

TABLE 1. Specifications and parameters of the WPT system.

<table>
<thead>
<tr>
<th>Symbol</th>
<th>Quantity</th>
<th>Symbol</th>
<th>Quantity</th>
</tr>
</thead>
<tbody>
<tr>
<td>$U_{DC}$</td>
<td>300 V</td>
<td>$L_{IN}$</td>
<td>44.68 $\mu$H</td>
</tr>
<tr>
<td>$\omega_0$</td>
<td>$(2\pi \times 85k)$ rad/s</td>
<td>$C_P$</td>
<td>78.54 nF</td>
</tr>
<tr>
<td>$k$</td>
<td>0.09</td>
<td>$C_I$</td>
<td>78.54 nF</td>
</tr>
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<td>$M$</td>
<td>19.4 µH</td>
<td>$C_F$</td>
<td>22.21 nF</td>
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<td>$C_S$</td>
<td>15.32 nF</td>
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<tr>
<td>$L_S$</td>
<td>229 µH</td>
<td>$C_S'$</td>
<td>16.54 nF</td>
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</table>

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In order to theoretically verify the previous analyses, PSIM simulation is carried out with the parameters as shown in Table 1; the simulation results are shown in Fig. 7. The ZPA could be achieved at designed resonant frequency (85 kHz) in both the CC and CV modes. In addition, the output voltage in CV mode and output current of CC mode are both constants at 85 kHz.

In the proposed switching hybrid LCC-S WPT system shown in Fig. 3, the CC and CV modes are intelligently selected based on the battery charging voltage and current by controlling the two ACSs ($S_1$, $S_2$). Generally, ACSs can be implemented by two series-opposing connected MOSFETs or two anti-parallel insulated-gate bipolar transistors (IGBTs). The MOSFET-type ACSs are utilized in this study, and the control logic for $S_1$ and $S_2$ is shown in Fig. 8.

The WPT system control flowchart is shown in Fig. 9. After the WPT system initialization and start, the battery charging voltage $U_{Bat}$ and current $I_{Bat}$ are synchronously acquired via voltage and current sensors and sent to the secondary controller. $U_{Spe}$ is the specified battery charging voltage in CV mode, i.e., the critical voltage of the conversion point between the CC and CV modes. When the secondary controller senses that $U_{Bat}$ is lower than $U_{Spe}$, the CC mode is selected, and the secondary controller drives $S_2$ to the “ON” state. Meanwhile, the secondary controller sends a state conversion request to the primary controller via Bluetooth. After receiving the signal, the primary controller drives $S_1$ to the “ON” state, and synchronously begins to drive the four MOSFETs ($Q_1$–$Q_4$) of the FBI with 0.5 duty cycle pulse-width modulation (PWM) signals. In the proposed hybrid LCC-S WPT system, symmetrical control with constant frequency is applied.

However, when the secondary controller senses that $U_{Bat}$ is higher than or equal to $U_{Spe}$, the CV mode is selected. Similar to the previously described control process, $S_1$ and $S_2$ are driven to an “OFF” state by the primary and secondary controllers, respectively. In the control flowchart shown in Fig. 8, $I_{Bat}$ is the specified lower limit of the charging current. In the final stage of the CV mode, if the secondary controller senses that $I_{Bat}$ is lower than $I_{lim}$, charging will be terminated. In addition, $U_{lim}$ and $I_{lim}$ are the specified ceiling voltage and current of the battery. Whenever the charging voltage or current is higher than the upper limit value, charging will also be stopped. All the control signals (charging start/stop, state conversion, etc.) are transmitted from the secondary side to the primary side via Bluetooth.

**III. EXPERIMENTAL VERIFICATION**

In order to verify the previous analyses and designs, a 2.5-kW experimental WPT prototype is configured. The major components of the prototype are shown in Fig. 10. Two identical control boards are arranged on the primary and secondary sides, respectively. As shown in Fig. 10(a), the TMS320F28335 DSP, voltage/current sensors, switching drivers and Bluetooth module are integrated. Fig. 10(b) shows a pair of coupling coils, which are manufactured based on the WPT1 level of the SAE J2954 recommended practice. Because of the manufacturing deviations, the practical parameters of transmitting coil are $L_T$: 203.8 μH, Length: 580 mm, Width: 430 mm, and of receiving coil are $L_S$: 228.1μH, Length × Width: 250 mm × 250 mm, respectively. The thickness of the airgap between the primary and secondary coil is 15 cm. Litz wires (primary coil: AWG 9, secondary coil: AWG 13) are utilized to curtail skin and proximity effects. Both primary and secondary magnetic pads (80 mm thickness) consisted of PC95 ferrite, and four MOSFETs (C3M0030090K) and four diodes (IDW20G120C5B) are selected to construct the FBI and rectifier, respectively.

The proposed LCC-S hybrid topology is configured according to the parameters listed in Table 1. The parameters are measured with an LCR meter (HIOKI IM3536), and the deviation between the designed parameters and practical parameters is found to be less than 1%. Comparative experiments between the CC and CV modes are carried out.

![Image](https://example.com/image1.png)  
**FIGURE 8.** Control logic for $S_1$ and $S_2$ of switching hybrid WPT system.

![Image](https://example.com/image2.png)  
**FIGURE 9.** Control flowchart of the proposed WPT system for CC/CV charging.
using the parameters and experimental prototype. As shown in Fig. 7, ZVS can be achieved in both the CC and CV modes when the switching frequency is slightly lower than the ZPA frequency. Thus, throughout the charging process, the practical switching frequency is set to $f_0 = 84.8$ kHz and kept constant. In this study, the DC-link voltage $U_{DC}$ is supplied by an DC power source (LAB-DSP 350-08.4), and the available load is a battery array consisting of four 24 V lithium batteries connected in series. Based on these laboratorial limitations, $U_{DC}$ is selected as 300 V, and the specified values of $I_{Bat}$ and $U_{Bat}$ are designed to be 21.5 A and 120V, respectively. In addition, the maximum efficiency and charge power are designed to be obtained from the critical charge point between the CC and CV modes. The charge parameters are measured using a power analyzer (HIOKI PW6001), and the measured results of the critical charge point are shown in Fig. 11. The DC outputs and inputs are shown in the red and blue frames, respectively, and the DC efficiency is displayed in the green frame. At the critical charge point, the charge powers of both the CC and CV modes are almost 2.5 kW, and their DC efficiencies are 89.28% and 88.33%, respectively. The charging characteristics of the proposed hybrid charger are shown in Fig. 12; it can be observed that during continuous charging, the battery equivalent resistance $R_{Bat}$ increases from 2.458 Ω to 5.69 Ω.
in CC mode, and 6.03Ω to 14.12Ω in CV mode. In Fig. 12(a), it can be observed that as $R_{\text{Bat}}$ increases, the charge current (21.53 A to 20.97 A) in CC mode and charge voltage (122.79 V to 125.97 V) in CV mode are almost constants. The slight deviations in the current and voltage in CC mode and CV mode, respectively, are mainly caused by parasitic impedances, parameter errors and ZPA point deviations. In addition, in the coil manufacturing process, although Lize wires are utilized to curtail skin and proximity effects, the equivalent series coil manufacturing process, although Lize wires are utilized to cause by parasitic impedances, parameter errors and ZPA point deviations. In addition, in the coil manufacturing process, although Lize wires are utilized to curtail skin and proximity effects, the equivalent series impedance (ESR) of the coils is hard to completely eliminate. All of these factors may slightly affect the outputs. Measured DC efficiency and charge power are shown in Fig. 12(b); as the $R_{\text{Bat}}$ increases, both DC efficiency and charge power increase in CC mode and decrease in CV mode. The maximum DC efficiency (89.28%) and charge power (2500.7 W) are observed at the charge critical point ($R_{\text{Bat}} = 5.69 \Omega$).

The experimental waveforms are captured using an oscilloscope (Teledyne LeCroy HDO4034A). Under the condition of load fluctuations, the observations are shown in Fig. 13. In CV mode, when the $R_{\text{Bat}}$ fluctuated from 6.03Ω to 13.2Ω, the charge voltage $U_{\text{Bat}}$ is nearly unchanged, and charge current $I_{\text{Bat}}$ and AC input current $I_{IN}$ decreased continuously. On the contrary, in CC mode, as shown in Fig. 13(b), the charge current $I_{\text{Bat}}$ is almost constant when the $R_{\text{Bat}}$ fluctuated from 5.69Ω to 3.58Ω, and $U_{\text{Bat}}$ and $I_{IN}$ decreased continuously. In both CC and CV modes, ZVS is achieved within a minor input phase angle. In addition, the transient experiments are also carried out. The transient waveforms at the conversion point from CC mode to CV mode are shown in Fig. 14. Considering the possible problems caused by the transition point, e.g., high current/voltage spikes and the chaos of ZVS, a switching method is proposed here to avoid the problems. A short period of time before and after the mode convention point, the four PWM signals of the FBI are closed briefly. In this way, even though it causes a short charging pause, for a few hours of charging process, this effect can be ignored. In Fig. 14(a), the $U_{AB}$ remain unchanged both in CC and CV modes, and the value of $I_{IN}$ in CC mode is slightly smaller than the value in CV mode. The transient waveforms of battery charging voltage $U_{\text{Bat}}$ and charging current $I_{\text{Bat}}$ are shown in Fig. 14(b). Both of them are nearly constant during the transient process. The plausibility of the proposed LCC-S hybrid charger is verified via the above experimental results.

IV. CONCLUSION

In this study, a switching hybrid compensation topology for EV wireless charging is proposed. Two additional capacitors are added to an LCC-S topology and controlled via two ACSs for CC and CV charging. The CC, CV and ZPA characteristics could be implemented with ease using the proposed topology.
The identical LCT, compensation inductor and capacitor are shared between CC and CV charging modes; in addition, the operation frequency remained unchanged throughout the charging process. The specific characteristics of the proposed hybrid topology are theoretically analyzed via the T model of LCT. The topology parameter design procedures are plainly specified as per the given CC and CV. Based on the weak communication between the transmitter and receiver, the control flows of the proposed hybrid system are introduced, and a 2.5-kW experimental prototype is configured to verify the charging performances of the proposed hybrid charger. The experimental results show that the practically obtained CC and CV values of the proposed topology are very close to the designed values. The maximum DC efficiency (89.28%) and charge power (2500.7 W) are achieved at the critical charge point. The charging characteristics also remained stable during load fluctuation.

REFERENCES


