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## RESEARCH ARTICLE

# Scalable and Autonomous Network Defense Using Reinforcement Learning

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**ABSTRACT** An autonomous network defense method under attack is a critical part of preventing network infrastructure from potential damage in real time. Despite various network intrusion detection techniques, our network space is not safe enough due to the increasing exploitation of software vulnerabilities. Thus, timely response and defense methods under network intrusion are important techniques given the large scope of cyberattacks in recent years. In this paper, we design a scalable and autonomous network defense method by using the model of a zero-sum Markov game between an attacker and a defender agent. To scale up the proposed defense model, we utilize a graph convolutional network (GCN) along with framestacking to address the partial observability of the environment. The agents are trained using Proximal Policy Optimization (PPO) which allows for good convergence in a reasonable timeframe. In experiments, we evaluate the proposed model under the large network size while simulating network dynamics including link failures and other network events. The experimental results demonstrate that the proposed method scales well for larger networks and achieves state of the art results on various threat scenarios.

**INDEX TERMS** Reinforcement learning, network defense, Markov games, deep learning, graph convolutional networks.

## I. INTRODUCTION

Timely defense against network intrusions is paramount in interconnected digital ecosystems. As we rely extensively on networked systems to facilitate communication and critical operations, the threat landscape has evolved, giving rise to sophisticated and diverse cyber threats with national security implications [1], [2]. This necessitates the development and implementation of robust network defense methods to safeguard against unauthorized access and malicious activities in the network. Thus, recent research has explored the dynamic landscape of network intrusion detection, delving into innovative approaches, advancements in machine learning algorithms, and the integration of artificial intelligence to enhance the efficacy of network defense techniques.

Reinforcement learning (RL) is a rapidly growing sub-field of machine learning that allows an agent to learn from interactions with an environment where the agent receives feedback in the form of rewards [3]. Through these inter-

actions, the agent learns a policy which informs how it interacts with the environment, improving its average reward over time. Agents can also cooperate with or compete in an environment through repeated interactions with other agents and the environment. Cybersecurity, particularly network defense, is a good domain for applying RL agents as the threat landscape is constantly evolving [4], [5]. It is naturally adversarial and multi-agent where adversaries can be humans or automated agents.

In this study we propose a RL approach trained using proximal policy optimization (PPO) to train an agent to choose countermeasures for defending a network. The goal of the defender is to prevent the compromise of a critical node while minimizing the impact of the attacker by the network. The agents compete in a zero-sum game with rewards for each agent based on the outcome of the game. We model both the defender and the attacker as RL agents with a tournament-based training regime. We leverage our previous work and use a training curriculum which incorporates various network topologies to train more general agents [6]. The agents are evaluated in varying environments and with

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varying simulated threat scenarios in order to determine the effect of observed vulnerabilities in the environment on defender performance.

Prior methods test their approach on a single topology or on a fixed network size [5], [7], [8], [9]. However, real world networks are rarely fixed and often add or remove hosts based on demand, link failures, outages, or other factors. Contrary to previous work that trains on a fixed topology and network size, we instead evaluate our method across threat scenarios with varying network sizes. We propose a scalable approach that uses a new reward function and a graph convolutional network (GCN) along with framestacking to address the partial observability of the environment [10]. We choose Proximal Policy Optimization (PPO) for training the agents, which offers a good balance of computational complexity and convergence speed. As shown in the experimental evaluation, the proposed reward function achieves higher defender win rates compared to the previously proposed reward [6], [7], whereas the GCN architecture enables the model to scale to larger network sizes, while also outperforming the MLP architecture [6] across all network sizes, demonstrating the capabilities of the proposed approach.

The remainder of this paper is organized as follows. A review of the state-of-the-art is given in Section II. A breakdown of the environment, state, and actions of the Markov game is given in Section III. This section also includes a discussion of the proposed rewards and observations per agent as well a discussion of self-play and the proposed model architecture. In Section V, we present the results of our experimental evaluation across various parameters, including framestacking, reward, threat scenarios, and network size. Finally, in Section VI, we discuss the results and give concluding remarks as well as future research directions of the work.

## II. RELATED WORK

We start by providing some necessary background and establishing the terminology on Reinforcement Learning (RL) and Multi-Agent Reinforcement Learning (MARL). We then proceed to discuss in more detail the state-of-the-art approaches that have employed RL/MARL for network defense.

### A. REINFORCEMENT LEARNING

Reinforcement learning is the process of learning through interactions between the agent and the environment with reward as feedback. The interaction between an agent and its environment is represented by a Markov Decision Process (MDP). This model consists of pairs of states and actions, denoted as  $(s_t, a_t)$ , which helps in determining the likelihood of transitioning between states  $s$  in the environment following an action  $a$  at a specific time  $t$ . An enhancement of this model, known as the Markov Reward Process (MRP), incorporates rewards  $R$  for each state-action pair  $(s_t, a_t)$  [11]. The key feature of Markov processes is their lack of memory, meaning that only the current state matters, rendering historical data irrelevant [12], [13]. A Partially Observable Markov Decision

Process (POMDP) differs from an MDP in that it includes states  $s \in S$  which are not fully visible to the agent. Akin to MRP, rewards can also be integrated into POMDP, forming a Partially Observable Markov Reward Process (POMRP) [14]. POMDPs are characterized by an observation function  $s_t \rightarrow O_t$ , which maps states  $s$  to observations  $O$  at time  $t$  [12]. Markov decision processes can be expanded to include multiple agents, from one to any number  $n \geq 2$ , and are termed Markov games. These games focus on identifying a set of policies that form a Nash equilibrium among competing agents, rather than solely aiming to maximize the sum of the expected rewards. However, the learned Nash equilibrium can be sub-optimal [13].

RL algorithms fall into two major categories: policy-based and value-based methods. Value based networks such as Deep Q Networks (DQN) learn to predict the expected total reward for a given state  $s$  when action  $a$  is performed [15]. The action with the highest  $Q$  value is then the action with the highest expected return. In contrast, policy based methods directly optimize for the policy  $\pi$ . Approaches such as PPO are policy based but augment with a value based critic to minimize variance in policy updates [16].

### B. MULTI-AGENT REINFORCEMENT LEARNING

Multi-agent reinforcement learning extends the ideas in single-agent RL and applies them to Markov games. Markov games can be either cooperative or competitive. A well known issue of MARL is the non-stationarity of the environment, which violates the Markov property. This refers to fact that from each agent's perspective, the actions of additional agents form part of the environment. Consequently, the moving policy distribution of the agents inhibit convergence [17].

Markov games where the possible actions and optimal strategies are the same for all participants are known as symmetric games. In 2017, Silver et al. used train an agent to achieve grandmaster level play in Go [18]. The authors used Monte Carlo Tree Search (MCTS) to simulate games. Owing to the symmetric nature of the game, the authors were able to use self-play to train the agent against itself and thus learns to play Go from zero initial knowledge.

In asymmetrical games, the players have different sets of actions and objectives. In 2019, OpenAI trained groups of collaborating agents to compete in a simulated game of hide-n-seek. The multi-agent competition creates a natural auto-curricula where agents are always playing against adversaries with a similar skill level [19].

Most recently, Schrittwieser et al. expanded on the search based framework built by AlphaZero in a work titled MuZero [20]. MuZero is a model-based approach that outputs three values at each step: actions, values, and rewards. The model uses a recurrent model internally that takes the observation and possible future action as input. The authors tested MuZero using self-play in various environments such as chess, Go, and Atari.

### C. ML FOR NETWORK DEFENSE

Machine learning has been extensively used in cybersecurity research, particularly in network intrusion systems. Wang et al. proposed a system for learning feature representations to improve classification accuracy. This approach uses an autoencoder to encode categorical features which when concatenated to the numerical features is then encoded for use by the downstream classifier [21].

Reinforcement learning can extend this paradigm by not just identifying attacks but also responding in real-time. For example, attackers can compromise devices and hide illicit activity as spikes in traffic which can lead to packet loss. Dake et al. [22] propose a RL system to detect DDOS and other suspicious activity in an IOT network. The authors highlighted three types of attacks in the network: traffic burst, elephant flow, and DDOS in the network. An RL agent is then trained to address to manage these events by installing flow rules through the software-defined networks (SDN) controller to manage traffic.

Reinforcement Learning (RL) has been utilized as a method for intrusion prevention. In this context, an intrusion prevention system, integrated within the controller of SDNs, leverages feedback from an intrusion detection system to slow down or avert cyber attacks. Han et al. [8] explored the use of a defense agent and the potential adversarial threats to RL agents within a centralized network controller. Similarly, Gabirondo-López et al. [7] investigated the application of RL in training an intrusion prevention system. Their approach frames the training as a simultaneous competition between an attacking and a defending agent, essentially a zero-sum Markov game. In their model, the network is depicted as a fully interconnected system with a distinct, segregated honeynet, allowing the defender to quarantine compromised hosts.

In this study, we also modeled the problem as a zero-sum Markov game between an attacker and a defender. Previous methods evaluated their approach on a single topology or limited the agents to a subset of the network [4], [7], [5], and [8]. Instead, we leverage our previous work which proposed a dynamic topology curriculum, enabling the training of more general, capable agents [6]. In that study, we evaluated various threat scenarios in terms of exploitability and impact and concluded that the curriculum improves the defender's win rate over training on a static topology by exposing the agent to more challenging environments over time. While our previous work showed promising results, the framework architecture, based on a multi-layer perceptron (MLP)-based network for the value and policy models, was not scalable, whereas the reward function used, which was that of Gabirondo-López et al. [7], worked well with small networks but performed poorly as we scaled the environment.

### III. MULTI-AGENT REINFORCEMENT LEARNING FOR AUTONOMOUS NETWORK DEFENSE

The agents engage in competition within a simulated network setting, as modified by Campbell et al. [6], [23] from the

TABLE 1. CVSS vulnerability severity ratings.

Rating	Base Score Range
None	0
Low	0.1 - 3.9
Medium	4.0 - 6.9
High	7.0 - 8.9
Critical	9.0 - 10.0

original concept by Gabirondo-López et al. [7]. In this environment, the attacker's goal is to infiltrate the critical node and capture as many hosts within the network as possible. On the other hand, the defender aims to protect the critical node and minimize the attacker's influence on the network. The competition concludes either when one agent emerges victorious or when the predefined duration of the episode is met, in which case it is considered a tie. The agents take turns to act, starting with the attacker and followed by the defender. Following each action, the conditions for winning are evaluated, and at the end of the game, rewards are allotted based on these results.

In the following sections, we describe the environment, review the observations and actions [6], [23], and define the reward function of the agents.

#### A. ENVIRONMENT

The environment is represented as a  $k \times k$  graph  $G$ , where  $k$  is the number of nodes in the network. Similar to an adjacency matrix,  $G$  encodes the neighbors of the nodes on the off-diagonal. Additionally, the value on the diagonal  $h_i \in G$  represents the node state, where  $i \in [0, k - 1]$ .

Each agent has a corresponding observation of the environment as the environment is partially observable from the perspective of both the attacker and the defender. However, the defender has more information of the environment's true state, in this case the links between nodes, since we assume the defender is interacting with the network through the SDN controller.

#### 1) VULNERABILITY SCORES

Each node has a vulnerability that can be exploited by the attacker. These vulnerabilities are modeled using the NIST Common Vulnerability Scoring System (CVSS) [24]. The CVSS is a framework used by the National Vulnerability Database (NVD) to categorize and rank vulnerabilities. The scoring system rates vulnerabilities as *none*, *low*, *medium*, *high* or *critical* risk using a vulnerability score with range 1-10 as shown in Table 1. This score, also known as the base score, is what we use in lieu of early warning alerts from an intrusion detection system (IDS). The components of the base score are used to determine the success of certain actions in the environment. This idea was introduced in [7] and we include it here for completeness.

The base score is composed of two subscores: the *Impact* score and the *Exploitability* score [24].

The equations for impact score is defined as:

$$IScore = 1 - (1 - C)(1 - I)(1 - A) \quad (1)$$

where  $C$  is the confidentiality,  $I$  is the integrity, and  $A$  is the availability. The components measure the impact to confidentiality, integrity, and availability as a result of the exploited vulnerability. The exploitability score is defined as:

$$EScore = 8.22 \times AV \times AC \times PR \times UI \quad (2)$$

where  $AV$  represents the attack vector,  $AC$  the attack complexity,  $PR$  the required privilege, and  $UI$  the user interaction to carry out the exploit.

With the impact and exploitability, the base score is then defined as:

$$BaseScore = \begin{cases} 0 & IScore = 0, \\ \text{round}(\min((IScore + EScore), 10)) & \\ \text{otherwise} & \end{cases} \quad (3)$$

As part of the global state there exists a mapping  $v_i \rightarrow VulnScores$ , where each entry is a tuple  $(IScore, EScore, BaseScore)$ .

The scores are utilized to evaluate the effectiveness of specific actions by both agents. The  $IScore$  and  $EScore$  are derived from a Gaussian distribution for each network node, contributing to a training curriculum. This approach allows for incrementally increasing the standard deviation of the parameters, thereby challenging the agents with increasingly complex environments. These range from low severity scenarios (characterized by low exploitability and impact) to critical ones (with high exploitability and impact), as outlined in Table 1. The parameters of the distribution are adjusted to simulate various threat situations.

This work presumes that an intrusion detection system provides the scores. In practical applications, these vulnerability scores can be integrated with other system monitoring the network [25].

## 2) TOPOLOGY

In order to test the approach against a variety of network environments, we use the proposed training curriculum framework found in [6]. The advantages of that approach is topologies are varied over time, with the defender first exposed to simple linear networks and encountering networks with more edges between nodes as training progresses. The curriculum also uses a fixed starting value of  $IScore$  and  $EScore$  that increases in variance as training progresses. These features therefore expose the defender agent to increasingly more challenging environments, from both a topological and security perspective.

## B. OBSERVATIONS

As previously stated, both agents only partially observe the environmental state. There is a global state that accurately reflects the environment's condition. Each episode starts with the agents' starting nodes being randomized. The attacker's starting point involves one node being designated as compromised, with the observation updated accordingly. Meanwhile, the defender's starting node is identified as



FIGURE 1. Color key and state value for node states.

the critical (flag) node. This approach of randomizing start positions is employed to avoid the agents becoming overly accustomed to specific hosts (nodes). Figure 1 provides a key for understanding the states of the nodes.

At each step, we update the observation for the respective agent given action  $a_t$ . First we decompose the action into the target node and target action. For both agents, we validate the action given the observation and the action subcomponents  $a_{t,n}, a_{t,a}$  where  $a_{t,n}$  is the component of the action at time  $t$  targeting node  $n$  and  $a_{t,a}$  is the component of the action at time  $t$  performing action  $a$  on the targeted node. If the action is valid, then the action is performed (step).

Additionally for the attacker, we find a subset of nodes  $N \subseteq V$ , where  $V$  is the set of nodes in the network.  $N$  is the set of nodes that are one hop away from a compromised node whose vulnerabilities are not exploited (state 0 or 1). If either  $N$  is not empty or the target node is compromised then we take the action on the selected target node.

## C. REWARDS

The reward is comprised of two subcomponents: the ratio of the nodes compromised in the network and the ratio of steps remaining in the episode to episode horizon. The reward for the attacker and the defender is proportional and inversely proportional to the number of compromised nodes respectively. Both attacker and defender are rewarded for winning the game in the least number of steps possible. The reward  $R_w$  is defined in Equation 4.

$$R_w = \begin{cases} \frac{CN}{TN} + \frac{SR}{ST} & \text{winner = attacker,} \\ 1 - \frac{CN}{TN} + \frac{SR}{ST} & \text{winner = defender,} \\ 0 & \text{otherwise} \end{cases} \quad (4)$$

where  $CN$  refers to the number of compromised nodes and  $TN$  refers to the total number of nodes in the network. The second term in the equation accounts for how quickly the episode ends, with  $SR$  referring to the number of steps remaining in the episode and  $ST$  referring to the total number of steps (horizon).

## D. ACTIONS

Similar to previous work ([6], [7]) we simplify the action space to three actions per agent. This allows us to use the same neural network architecture for both agents while training both policies separately. An overview of the actions is given in Table 2.

### 1) ATTACKER ACTIONS

The attacker's objective is to compromise the critical node as shown in Figure 2. As such, the agent's actions are directed

TABLE 2. Agent action overview.

Agent	Action	Description
Attacker	Explore Topology	Update observation of compromised node
	Scan Vulnerability	Scan host for vulnerabilities
	Exploit vulnerability	Exploit vulnerability on host
Defender	Check Status	Update observation of target node
	Isolate Node	Isolate compromised node
	Migrate Node	Migrate critical node

at exploring the network and identifying vulnerabilities in order to exploit them. This model of the attacker is based on a scenario where an attacker has gained access to a private network through a publicly available service or host. Each episode, the attacker starts with a single randomly selected compromised node. From there, the attacker can explore and exploit to compromise the critical node. The attacker Figure 3 shows an example of the actions in the environment in the clique topology as well as the corresponding attacker observations. Algorithm 1 details the attacker’s action step.

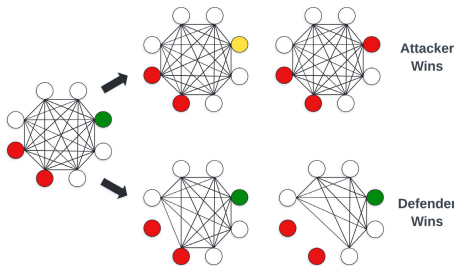


FIGURE 2. Win conditions example.

**Algorithm 1** Attacker Agent Step

```

1: procedure AttackerStep( $O_a, a_{t,n}, a_{t,a}$ )
2:    $exploitabilityRatio = O_g[exploitabilityScore][a_{t,n}]/10$ 
3:   if  $a_{t,a} = 0$  then  $\triangleright$  Explore Topology
4:      $setNeighbors(O_a, a_{t,n}, O_g)$ 
5:   end if
6:   if  $a_{t,a} \geq 0$  then  $\triangleright$  Scan or Exploit Vulnerability
7:      $actionSuccess = random()$ 
8:     if  $actionSuccess < exploitabilityRatio$  then
9:        $O_a[a_{t,n}][a_{t,n}] \leftarrow a_{t,a}$ 
10:       $O_g[a_{t,n}][a_{t,n}] \leftarrow a_{t,a}$ 
11:    end if
12:  end if
13: end procedure
    
```

*Explore Topology:* This action updates the attacker’s state based on the global state. This action incorporates the neighboring nodes of the chosen target into the attacker’s observation. This action is limited to nodes that the attacker has compromised; thus, any attempt to apply it to nodes in different states will be unsuccessful. Additionally, if the defender has succeeded in isolating the node, this particular action will be rendered ineffective.

*Scan Vulnerability:* Performs a scan of the target node for vulnerabilities. The success of this action depends on the *EScore* of the targeted node. Target node must be in the normal state.

*Exploit Vulnerability:* Exploits the scanned vulnerability. Target node must be already scanned for the action to succeed. If the critical node is exploited by the attacker, the attacker wins and the game ends.

2) DEFENDER ACTIONS

The objective of the defender was to protect the critical node while minimizing impact to the network and its services. Impact is measured by the number of nodes compromised by the attacker and whether the critical node has been compromised. Figure 2 shows the potential win conditions for both agents. The defender’s actions allow it to update its observation and isolate known compromised nodes. The defender may also migrate the critical node to another location in the network. Figure 4 shows an example of the actions and the defender observations in the environment. Algorithm 2 demonstrates the logic behind the defender’s action in greater detail.



FIGURE 3. Example of attacker actions.

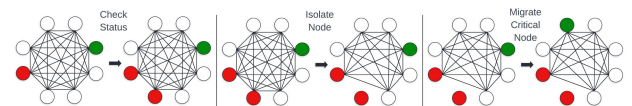


FIGURE 4. Example of defender actions in clique topology.

*Check Node Status:* If a node is compromised, the likelihood of discovering the exploited vulnerability is:

$$P[O_d(h_i) = 2 | O_g(h_i) = 2] = \frac{BaseScore}{10 \log_2(k)} \quad (5)$$

where  $k$  is the number of nodes in the network,  $O_d$  is the defender’s observation,  $O_g$  is the global state, and  $h_i$  is the index of the host (node) [6].

*Isolate Node:* The defender can mitigate the impact of the attacker in the network by isolating the node once an exploited vulnerability has been discovered in the network. This is a deterministic action that removes the neighbors from the targeted host and updates the global state.

*Migrate Node:* This actions provides the defender with the option to migrate the critical node to a different node within the network. Initially, the defender verifies whether its

**Algorithm 2** Defender Agent Step

```

1: procedure DefenderStep( $O_a, a_{t,n}, a_{t,a}$ )
2:    $baseScore \leftarrow O_g[baseScore][a_{t,n}]$ 
3:    $targetNodeState \leftarrow O_g[networkGraph][a_{t,n}]$ 
4:    $actionSuccessThreshold \leftarrow \frac{baseScore}{10 \times \log_2(k)}$ 
5:    $actionSuccess = random()$ 
6:   if  $a_{t,a} = 0$  then
7:     if  $targetNodeState = 0$  then ▷ Check status
8:       if  $actionSuccess < actionSuccessThreshold$  then
9:          $O_a[a_{t,n}][a_{t,n}] \leftarrow 2$ 
10:         $addCountermeasureCost(a_{t,a})$ 
11:       end if
12:     end if
13:   end if
14:   if  $a_{t,a} = 1$  then ▷ Isolate compromised node
15:      $setNeighbors(O_a, a_{t,n}, 0)$  ▷ Set edges for node to zero
16:      $addCountermeasureCost(a_{t,a})$ 
17:   end if
18:   if  $a_{t,a} = 2$  then ▷ Migrate critical node
19:     if  $targetNodeState = 2$  then
20:       if  $actionSuccess < actionSuccessThreshold$  then
21:          $O_a[a_{t,n}][a_{t,n}] \leftarrow 2$ 
22:          $addCountermeasureCost(a_{t,a})$ 
23:       end if
24:     end if
25:     if  $targetNodeState \neq 2$  then
26:        $criticalNode \leftarrow indexOf(O_a, 3)$ 
27:        $O_a[criticalNode][criticalNode] \leftarrow 0$ 
28:        $O_a[a_{t,n}][a_{t,n}] \leftarrow 3$ 
29:     end if
30:   end if
31: end procedure

```

observation aligns with the observation in the overall network state. This verification is identical to the one conducted in the *Check Node Status* action. In cases where the global state indicates that the target host is compromised and this verification is successful, the defender then revises its observation. Conversely, if the global state suggests that the target host is not compromised, the node is then migrated. It's important to note that due to the probabilistic nature of the *Check Node Status* action, there's a possibility that the defender fails to detect the compromised node.

**IV. TRAINING PROCESS****A. SELF-PLAY**

Similar to previous work [6], [26], we use self-play to train the agents. Rather than facing the latest adversary, we create and manage a pool of past opponents for each agent. Subsequently, the attacker and defender alternate in competing against adversaries from their own respective pools. Additionally, it's important to differentiate between agents and policies in this scenario. There are two main trainable policies: the attacker and the defender. Each agent maps to many policies, which are snapshots at different points during the training process.

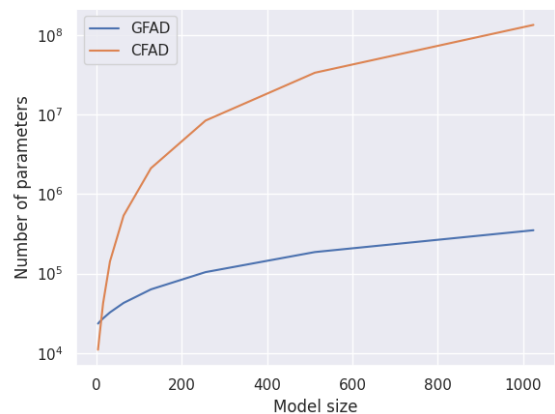
The trainable policies only play against the snapshot policies in the opponent pools. Before training, opponent pools were initialized with a random policy for each respective opponent pool. At each training iteration, the weights of the past opponent were averaged with the weights of the recently trained policy for that agent. This new policy is then added to the opponent pool.

**1) OPPONENT SAMPLING**

Instead of a uniform sample of opponents [26], we considered a split opponent pool with a bias towards more recent agents similar to the approach in [17]. We define three quantities: (a) the size of the recent agent pool, expressed as a percentage  $d$ , (b) the probability  $p_{recent}$  of sampling from the recent agent pool, and (c) the probability of sampling one of the  $(1 - d)\%$  agents,  $p_{past} = 1 - p_{recent}$ . Over training, we decayed the value of  $p_{recent}$  to gradually increase the chance of training against previous policies. This was done to address the issue of catastrophic forgetting.

**B. MODEL ARCHITECTURE**

In our previous work we used a multi-layer perceptron (MLP) based network for the value and the policy models [6]. The main problem with using an MLP is scaling, as the model parameter count increases exponentially as the number of nodes increases. To better scale our method, we propose a policy/value model that uses a graph convolutional network (GCN) for feature extraction using a graph-level embedding. A comparison between the number of parameters for the MLP and the proposed GCN is shown in Figure 5. The figure shows that the number of parameters increases exponentially for the MLP whereas the GCN parameter count increases linearly. This is due to two architectural details. The GCN weights are shared across the frames of the input observations; additionally, the number of units of the GCN remain fixed regardless of the network size.



**FIGURE 5.** Comparison of model parameter count between GFAD and CFAD. Y-axis uses log scaling.

In order to address the partial observability of the environment, the model takes as input a stack of the last  $m$  observations [10]. As shown in Figure 6, this stack of observations are preprocessed further so that the node states are extracted from the observation as features for each node. The edges and the node features were passed to the graph convolutional layers, with the GCN applied to each observation in the framestack. This produces graph embeddings per each observation which are then concatenated. The node embeddings are aggregated using a self attention global pooling layer which selects the most relevant node embeddings [27].

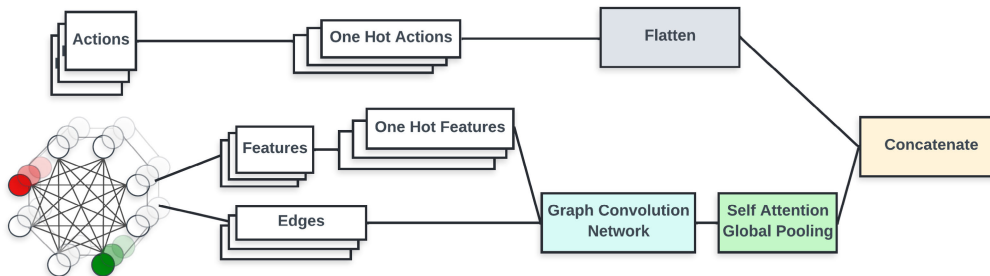


FIGURE 6. In depth look at model input preprocessing steps.

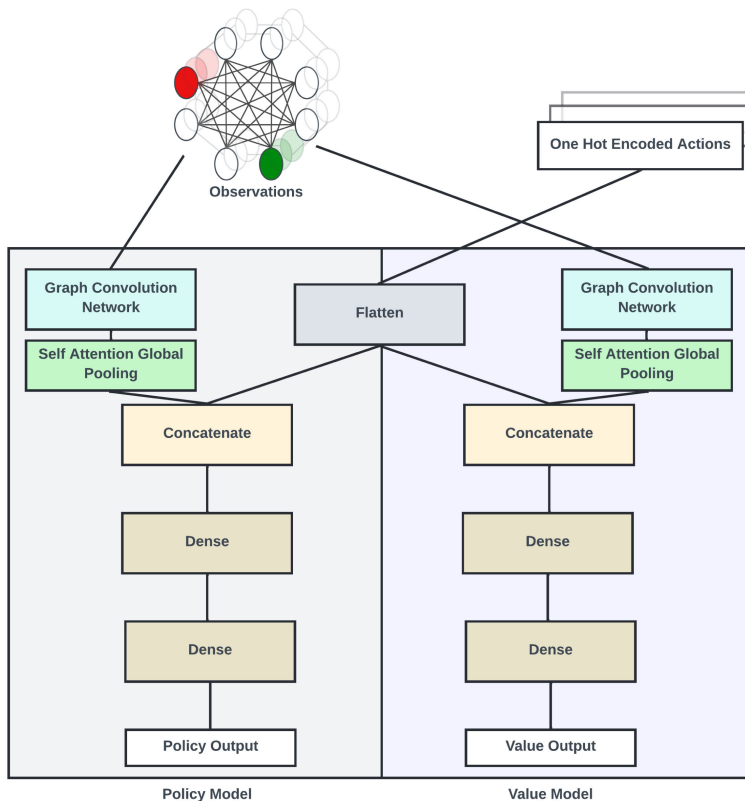


FIGURE 7. Overview of model architecture.

TABLE 3. Model architecture parameters.

Layer	Num units	Number of Layers
GCN	32	1
Global Attention Pooling	32	1
Dense	64	2

In addition to the observations the model also takes as input the past  $n$  actions as integer labels. This stack of actions is one-hot encoded and concatenated into a single vector which is then concatenated to the graph embeddings. This representation is then passed to a stack of dense layers, with a separate stack of layers for the policy output and the value outputs. The overview of the architecture is shown in Figure 7. Layer sizes for the subcomponents of the architecture are detailed in Table 3.

TABLE 4. PPO parameters.

	Attacker	Defender
Lambda	0.95	0.95
Gamma	0.99	0.99
Clip	0.1	0.1
Value Loss Coefficient	0.3	0.7
Entropy Loss Coefficient	0	0
KL Loss Coefficient	0.8	0.3
Initial Learning Rate	3e-4	3e=4

C. TRAINING SETUP

We use the framework Rllib with Ray which simplifies the training loop [28]. This allows us to use the built-in implementation of PPO in Rllib. Ray also allowed us to run environments in parallel allowing sample collection at scale. The environment has a small memory footprint and

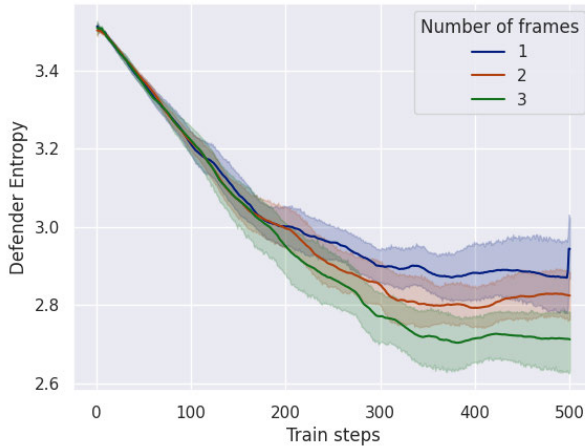


FIGURE 8. Average defender entropy with confidence interval.

therefore scales well for training. The configuration details are presented in Table 4. Additional information can be found in [29]. In addition, we use the PettingZoo framework which allows us to use an OpenAI Gym-like API to interact with the multi-agent environment [30], [31]. Tensorflow was used as the deep learning backend and use Stellargraph and Spektral to create the graph convolution portion of the policy and value models [32]. The training utilized 2 CPUs for sample collection along with a GPU for model training with 5 environments.

The learning rate was annealed from  $3 \times 10^{-4}$  to  $5 \times 10^{-5}$  over the course of training. Each training iteration consists of a batch size of 10,000 steps, with a batch size of 2,000 samples for the stochastic gradient descent update. Additional parameters for PPO are shown in Table 4.

## V. EXPERIMENTAL EVALUATION

We train agents using the curriculum framework we introduced in [6]. As mentioned previously, real life networks are dynamic; nodes are added to networks, removed from the network, and links can change between nodes. This training curriculum accounts for the networks' dynamic nature. The objective was to demonstrate the effectiveness of the training method for scaling to larger network sizes.

The section begins with a discussion of stacking frames of the observation to address the partial observability of the environment. We tested the approach using no framestack (frame of size one) and compared with frame sizes of two and three to determine which offers the best performance. Secondly, the proposed reward is compared to the reward introduced in [7] and modified in [6]. This comparison is important as prior work demonstrates the current method does not scale well to larger network sizes. To evaluate the scalability of the approach, we trained the dynamic training curriculum for varying network sizes. We use the network of size 16 as a baseline and train with sizes 8, 16, 32, 64, and 128.

We also consider the impact of episode horizon on defender win rate. For this section, the agent is trained with varying

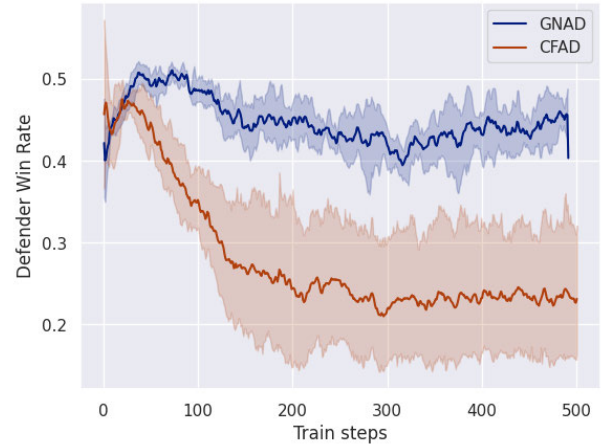


FIGURE 9. Average defender win rate with confidence interval of our proposed reward and the reward proposed in [6] and [7].

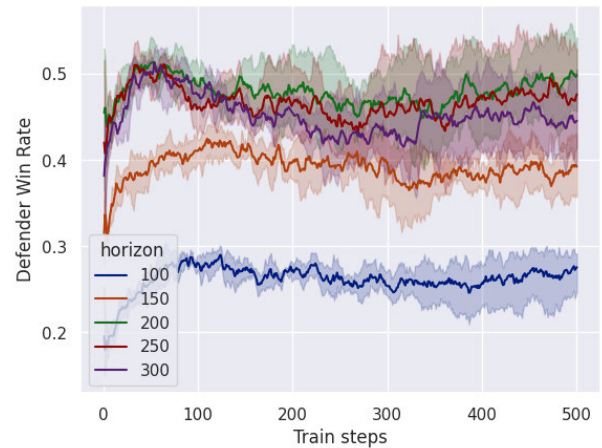


FIGURE 10. Average defender win rate for episode horizon lengths  $H \in [100, 150, 200, 250, 300]$ .

horizon sizes and defender win rate is compared across experiments.

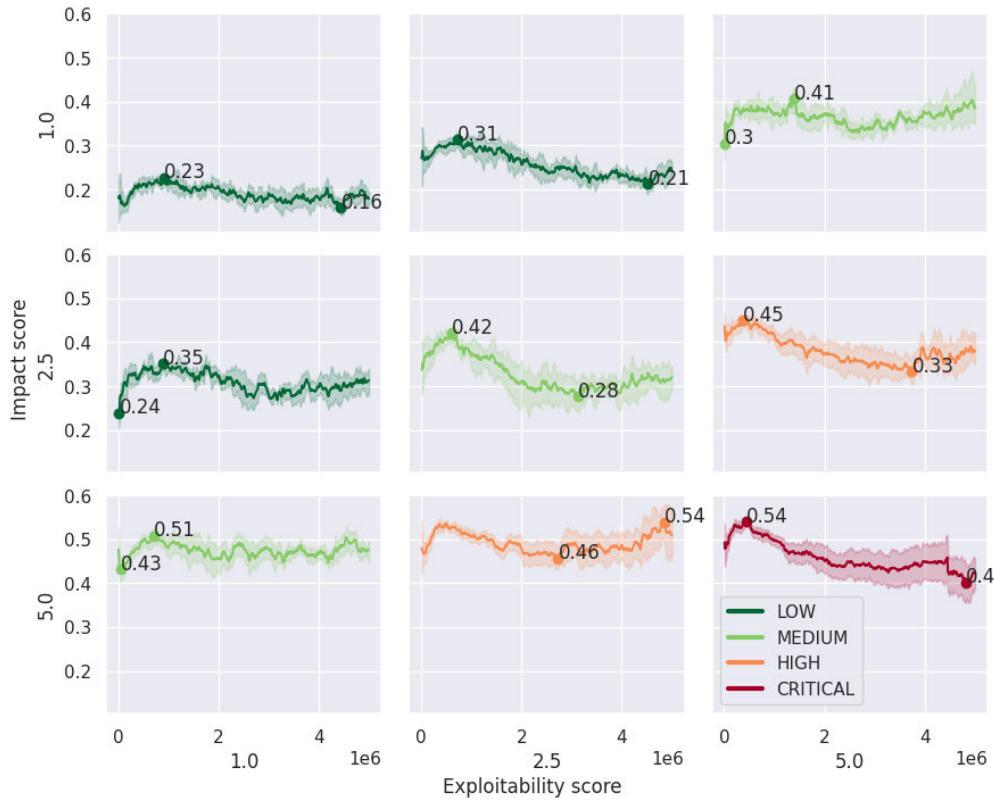
Finally, we demonstrate the effectiveness of the approach on varying threat scenarios. These threat scenarios are built by adjusting the *IScore* and *EScore*. Unless otherwise noted, we trained all agents for a total of 5 million timesteps. The default network size is set to 16 nodes. The mean *Impact* = 4.31 and the mean *Exploitability* = 2.59, again unless otherwise noted.

### A. FRAMESTACK

We begin by investigating the utility of frame stacking to address the partial observability of the environment. The experiment compared three values for the framestack size  $m \in [1, 2, 3]$ . The framestack parameter  $m$  adjusts the frame size for both the previous observations and actions.

There was no significant difference between the win rate and the average reward across the tested values of the framestack size. However, Figure 8 shows that the entropy for the defender's actions decreased with higher values of  $m$ .





**FIGURE 11.** Average defender win rate for  $IScore \in [1, 2.5, 5]$  and  $EScore \in [1, 2.5, 5]$  with confidence interval. The max and min values are highlighted for each cell. Colors represent the corresponding Base Score category  $BS \in [LOW, MEDIUM, HIGH, CRITICAL]$ .

Based on these results, we used a framestack value  $m = 2$  for the following experiments to balance memory usage and agent performance.

### B. REWARD

The reward function proposed in this work, further referred to as GFAD (for Graph Network Autonomous Defense) is compared to prior work [6], further referred to as CFAD (for Curriculum Framework Autonomous Defense), as shown in Figure 9. This experiment uses the GCN model to compare the reward results using the same model. Since the scale of the rewards is different between the two reward schemes, we instead compare them using the defender win rate.

Figure 9 demonstrates that the defender performs better with the proposed reward. The defender maintains a high win rate throughout training, which suggests that the defender is more robust to changes in the environment and changes in the opponent's policy. Additionally, as shown in Table 5, we observe that that GFAD scales better than CFAD but leave more detailed discussion to Section V-E.

### C. EPISODE HORIZON

The episode horizon length is a key aspect of the Markov game as longer episode lengths could more accurately model a real life scenario. To test the defender agent performance,

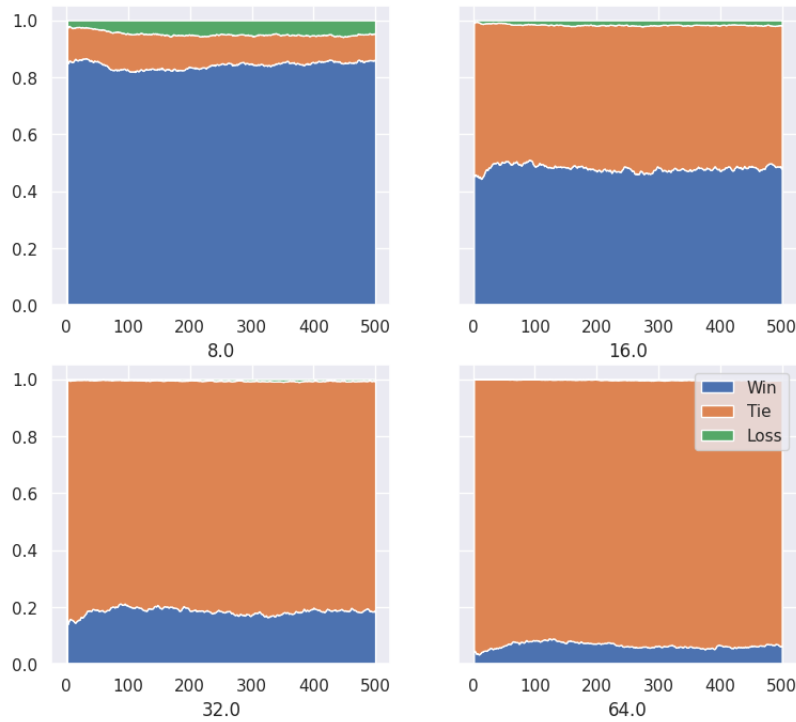
we compare defender win rate across six values of horizon length  $h \in [100, 150, 200, 250, 300]$ .

As shown in Figure 10, shorter episode lengths generally lead to lower defender win rate. Once episode length reaches 200 steps, defender win rate plateaus. Since the difference between the results for episode lengths  $h \in [200, 250, 300]$  are not statistically significant, the episode length of 200 was chosen as it performs similarly while offering the benefit of faster convergence.

### D. THREAT SCENARIOS

To test the robustness of the approach to various threat scenarios, we compare the defender win rate across varying values of the Impact and Exploitability scores. For the threat scenarios, we are interested in evaluating the effect of the vulnerability scores on the agent's win rate. We considered the  $IScore \in [1, 2.5, 5]$  and  $EScore \in [1, 2.5, 5]$ . This creates nine risk scenarios as shown in Figure 11: three in the low severity range, three in the medium severity range, two in the high severity range, and the last one, when the  $BaseScore = 10$  and severity is critical.

As the impact increased, as shown in Figure 11, the average defender reward increases. This occurs because the higher the impact, the more likely the defender discovers the vulnerability when the node is scanned.



**FIGURE 12.** Area plots of outcomes of games played by defender for network sizes 8, 16, 32, and 64. Win, ties, and losses are shown for all network sizes.

**TABLE 5.** Network size results.

	GNAD					CFAD [23]				
Network Size	8	16	32	64	128	8	16	32	64	128
Attacker Win Rate	25.1%	13.8%	6.5%	3.7%	1.6%	11.2%	8.5%	5.6%	3.1%	
Attacker Tie Rate	29.7%	81.9%	92.1%	95.6%	98.3%	40.3%	69.4%	87.3%	94.4%	
Defender Win Rate	84.4%	48.1%	18.6%	6.6%	2.6%	52.4%	24.5%	8.6%	2.9%	
Defender Tie Rate	10.9%	50.3%	80.9%	93.2%	97.4%	38.6%	67.8%	86.9%	94.6%	

**TABLE 6.** Parameter counts of GFAD models.

Network Size	8	16	32	64	128
Parameter Count	24,780	27,348	32,484	42,756	63,300

As exploitability increases, the average defender win rate also increases. The higher the exploitability, the greater the *BaseScore*. Since the *BaseScore* determines the likelihood of the defender detecting a vulnerability, we expect that as the *EScore* increases the defender win rate should also increase. This is demonstrated in Figure 11. However, it’s notable that the scenario with *EScore* = 5 and *IScore* = 5 does not improve significantly from scenarios with a lower *EScore*. This is likely due to the higher *EScore* which increased the capability of the attacker to compromise nodes. This is most pronounced further in training, as the curriculum introduces topologies with fewer hops between the attacker and the critical node.

**E. NETWORK SIZE**

One of the motivations for changing the architecture of the policy and value networks is to improve scalability of the approach for larger environment network sizes. Prior work such as [6] improved performance of agents across diverse

network environments but had issues with larger network sizes as the MLP used as the policy/value model did not scale.

We considered five sizes for the environment network  $n \in [8, 16, 32, 64, 128]$ . Figure 12 shows the win, loss, and tie rates for the sizes  $n \in [8, 16, 32, 64, 128]$ . The column for a network size of 128 was blacked out for the CFAD results as the approach was not tested for that value. As the network size increased, the win rate as well as the loss rate decreased. As the network size reached 32, the majority of the games ended in a tie. The results for 128 nodes are listed in Table 5 along with a comparison to similar results. Table 5 also shows a higher win rate and lower tie rate across all network sizes for the defender agent. The defender win rate increased an average of 100% while the tie rate decreased by 26%.

The attacker agent also improves its win rate by 55%, with the smallest network size showing the greatest change in the tie rate. Both the defender and the attacker agent improved overall however the greatest improvement was observed in the defender’s win rate.

**VI. CONCLUSION**

We present a new intrusion response system to select defensive actions by playing a zero-sum Markov game

against an attacker in a network environment. Because the proposed system was improved by utilizing a graph convolutional network (GCN) with a new reward function, it is more scalable and reliable under various attack scenarios in real network conditions. In other words, the new reward functions increase the win rates with the new agents' policy + value networks. The GCN provides scalability for the proposed approach by considering larger networks and a variety of threat scenarios.

The proposed system reflects real world network conditions because threats and threat scenarios vary from organization to organization. Our experimental results demonstrated that the proposed reward improved both reward and win rate for the defender. Additionally, the defender can perform well across different threat scenarios. An environment with higher *Impact* vulnerabilities is on average more favorable to the defender. The experimental results also demonstrated in an environment with vulnerabilities with higher average *Exploitability* where the defender win rate increases as the *Exploitability* increases.

## VII. FUTURE WORK

We conclude with a discussion of future directions for this work. There are three main areas we identify as promising for future investigation. The first issue is the quality and quantity of training data to train agents. For automated defense methods to more generally useful, training methods should account for the lack of training data and the constantly evolving threat landscape. To bring the training environment closer to a real life scenarios, we plan to test our approach in a higher fidelity network simulation. Currently, the networking details are abstracted but they play an important role in real world threat scenarios. Furthermore, we plan to test our defensive agent against a greater variety of attacker policies. That will allow us to validate our approach across attacker strategies.

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