

Modeling of load balanced scheduling and reliability evaluation for on-demand computing based transaction processing system

Dharmendra Prasad Mahato
 Computer Science and Engineering
 BIT Sindri, Dhanbad-828123
 Jharkhand, India
 dpmahato.rs.cse13@iitbhu.ac.in

Jasminder Kaur Sandhu
 Computer Science and Engineering
 Thapar University, Patiala-147001
 Punjab, India
 jasminder.kaur@thapar.edu

Abstract—The load scheduling and reliability modeling in on-demand computing based transaction processing are complex tasks. This paper presents the CPNs (Coloured Petri Nets) based modeling for load balanced scheduling and reliability analysis for on-demand computing based transaction processing system.

Index Terms—On-demand computing, Load balanced scheduling, Reliability analysis, CPN Tools.

I. INTRODUCTION

Transaction processing is a key application used for an enormous range of economic activities, from travel reservation, ticketing systems and electronic banking, to financial transactions and e-commerce. It certainly has become a critical component of the world's economic engine which is responsible for handling trillions of transactions every year. Because, the never-ending growth of the global economy along with e-business and Web-based commerce are placing more demands on transaction processing systems.

When choosing on-demand computing based transaction processing strategy, corporations must rely on solutions that ensure data availability, reliability, performance, and scalability. On-demand computing based transaction processing e.g. grid transaction processing is a largely invisible back-end business computing function [1]. New trends and emerging technologies, such as the increasing use of mobile messaging technology and the employment of Radio Frequency Identification (RFID) tracking, are generating more transaction traffic. Therefore, the workload volume managed by on-demand computing based transaction processing systems is enormous.

Thus, modeling of load balanced scheduling along with reliability evaluation for on-demand computing based transaction processing system have become important research in distributed system [2].

This paper uses CPNs to model the load balanced scheduling and reliability in on-demand computing system. We analyze the instance of the proposed model for on-demand computing system using CPN Tools. Our main contributions are two-fold. First, a load balanced scheduling is designed to represent transaction oriented grid architecture. Second,

reliability of on-demand computing system is modeled and is analyzed using CPN Tools.

The rest of the paper is organized as follows. Section II presents the load balanced scheduling model and the reliability model. Section III presents the CPNs based model of on-demand based transaction processing system. Finally, section IV concludes the paper.

II. LOAD BALANCED SCHEDULING WITH RELIABILITY EVALUATION

Load balanced transaction scheduling has become important task for the enhancement of throughput, makespan, resource utilization, and reliability of the system. In literature, we find a lot of works in the field of scheduling and reliability evaluation [3]–[9]. But we find rare examples of load balanced scheduling with reliability evaluation.

When load balanced scheduling for transaction processing is required, the deadline constraint in the system is also needed to model.

Let us consider the set T of m transactions T_i ($i = 1, 2, \dots, m$) to be processed within their given deadline, on the set of n nodes N_j ($j = 1, 2, \dots, n$).

Therefore, the expected queue length Q_j at node N_j is given by the expression:

$$Q_j = \sum_{i=1}^m T_{ij} \cdot x_{ij}, \forall i = 1, \dots, m \text{ and } \forall j = 1, \dots, n. \quad (1)$$

where

$$x_{ij} = \begin{cases} 1 & \text{if } T_i \text{ is assigned to node } N_j \\ 0 & \text{otherwise} \end{cases}$$

and T the total number of transaction arrivals in the system is given as $\sum_{i=1}^m T_i$.

The transaction arrivals T is Poisson distributed within any interval of length τ , when transactions arrive with the rate λ . The transaction arrivals can be given as

$$T = e^{-\lambda\tau} \frac{(\lambda\tau)^m}{m!}, \quad m = 0, 1, \dots \quad (2)$$

