

An Online Fault Detection Model and Strategies Based on SVM-Grid in Clouds

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Abstract—Online fault detection is one of the key technologies to improve the performance of cloud systems. The current data of cloud systems is to be monitored, collected and used to reflect their state. Its use can potentially help cloud managers take some timely measures before fault occurrence in clouds. Because of the complex structure and dynamic change characteristics of the clouds, existing fault detection methods suffer from the problems of low efficiency and low accuracy. In order to solve them, this work proposes an online detection model based on asystematic parameter-search method called SVM-Grid, whose construction is based on a support vector machine (SVM). SVM-Grid is used to optimize parameters in SVM. Proper attributes of a cloud system's running data are selected by using Pearson correlation and principal component analysis for the model. Strategies of predicting cloud faults and updating fault sample databases are proposed to optimize the model and improve its performance. In comparison with some representative existing methods, the proposed model can achieve more efficient and accurate fault detection for cloud systems.

Index Terms—Cloud computing, fault detection, support vector machine (SVM), grid.

NOTATIONS

BAC-score	Balance accuracy score
CRM	Client relation management
ELM	Extreme learning machine
LVQ	Learning vector quantization
NCZ	Not crossing zero
PCA	Principal component analysis
RBF	Radial basis function
SVM	Support vector machine
VM	Virtual machines
A_1	The normal sample set obtained from the first stage
B_1	The abnormal sample set obtained from the first stage
C	Parameter C in an SVM model
D	The set of samples from a cloud system
D'	The set of all new samples

Manuscript received July 24, 2017; accepted November 10, 2017. This work was supported by the National Natural Science Foundation of China (61472005, 61201252), and CERNET Innovation Project (NGII20160207). Recommended by Associate Editor Xiaou Li. (Corresponding author: PeiYun Zhang and MengChu Zhou.)

Citation: P. Y. Zhang, S. Shu, and M. C. Zhou, "An online fault detection model and strategies based on SVM-grid in clouds," *IEEE/CAA J. of Autom. Sinica*, vol. 5, no. 2, pp. 445–456, Mar. 2018.

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Digital Object Identifier 10.1109/JAS.2017.7510817

\check{D}	The set of all old abnormal samples
DB	The database of samples
M_i	The i th principal component
P_i	The fault probability
R	The cumulative contribution ratio
T	A given test set of samples
V	The classified set after fine prediction
$\ W\ $	$\ W\ = \sqrt{2(f_1 + f_2)}$
$X_{n \times m}$	The matrix of all attributes
$Y_{n \times m}$	The normalized attribute matrix of $X_{n \times m}$
a_i	$a_i \in D'$
b_j	$b_j \in \check{D}$
b^*	The offset of the decision function
$cmin$	The lower bound of C
$cmax$	The upper bound of C
d_i	$d_i \in D$
$f(w)$	Decision function for classification in an SVM
f_1	The objective function value from a trained SVM
f_2	The sum of α_i from a trained SVM
g	Parameter g in an SVM model
$gmin$	The lower bound of g
$gmax$	The upper bound of g
l_j	w'_j 's label
p_i	The eigen vectors
r_{jp}	Correlation coefficient between standardized attributes j and p
r	The contribution ratio of the principal component M_i
$step1$	A preset used to increase the value of C
$step2$	A preset used to increase the value of g
v_i	$v_i \in V$
w	An input vector of a sample
w_j	The vector of a sample j
y_{ij}	y_{ij} is an entry in $Y_{n \times m}$
α	The required training error
α_i	Lagrange multiplier
α_i^*	The solution to (1)
μ	The threshold in parameter optimization
Θ	The threshold for fine fault prediction
γ	The threshold for updating cloud faults
λ	Learning rate

I. INTRODUCTION

THE past decade has witnessed the rapid development and wide applications of cloud computing technology. Many large IT companies have launched their own cloud platforms, such as Google, Alibaba and Amazon cloud. Open source technologies have gained much development for cloud computing, including Eucalyptus and OpenStack. Currently,

e-commerce, social networks [1] and other Internet services [2] have become inseparable parts of people's daily work and life. Many applications are deployed on cloud platforms, such as salesforce client relation management (CRM). Many researchers are devoted to cloud scheduling [3]–[5], and resource allocation [6] so as to improve the quality of cloud services [7]–[9]. However, the complexity and diversity of cloud applications and environment bring about cloud faults from time to time, which affect the quality of services. The faults not only have a huge bad impact on people's normal life and work, but also cause serious economic losses in business. For example, the Amazon crash happened in August 2013 in less than an hour, resulted in about \$5 million loss, and badly affected numerous customers. Efficient monitoring and accurate detection of cloud faults are prerequisites for stable operations of cloud services.

Faults in distributed systems are generally caused by hardware faults and software failures. For example, software bugs related to deadlocks, concurrency and other complex relations account for 15%–80% [10] of all software failures detected after release [11], [12]. These kinds of failures are randomly produced and are difficult to be reproduced. These software failures are hard to be detected in software development and testing phases. It is also difficult for system managers to manually track their statuses at run time. Although virtualization provides software failure isolation among different virtual machines (VM), the virtualization infrastructure including the hypervisor and privileged VMs remains vulnerable to hardware errors [13]. Hence, it is necessary for service providers to adopt fault detection technologies in clouds, such as commonly used online detection systems, which can predict cloud faults before their happening and thus reduce the corresponding loss. Tellme Networks discusses the time of fault recovery in distributed systems. It shows that often 75% of time is used to detect faults, and 18% of time is required to diagnose faults [14]. Advanced fault detection strategies can be used to avoid about 65% of faults in clouds [15]. Therefore, efficient and accurate detection of cloud faults can help ensure stable operations and reliable services for cloud systems. There are some online detection systems. However they face some problems, such as low accuracy.

Traditional fault detection methods can detect faults when the monitored running status deviates from the set values [11]. However, existing solutions are hard to detect faults in a large-scale dynamic distributed cloud computing environment because of the following reasons [16]:

1) Elastic and on-demand services based on VMs in the clouds produce many new issues, such as VM re-sizing, migration, and cloning in a dynamic cloud context. The dynamic cloud environment makes applications change from time to time with workloads and resource allocation.

2) Applications deployed in a large scale data center with nodes make fault detection systems collect a large number of sample attribute values from many layers, e.g., network and hardware.

3) Because services are usually transparent to system operators, it is infeasible to use traditional methods to analyze a service's architecture, e.g., dependencies and interactions

among components. It is also difficult to detect faults without domain knowledge.

Hence, new detection approaches for detecting faults are highly demanded. We propose an online detection model and strategies based on SVM-Grid for predicting emerging problems in clouds. The proposed model mainly predicts faults with the collected samples from the running status of cloud systems. Some strategies are utilized to improve the detection performance of the model.

The rest of the paper is organized as follows: Section II gives a brief literature review. Section III introduces the proposed model and gives its analysis. Section IV gives the experimental results and their analysis. Section V makes some conclusions and indicates the future work.

II. RELATED WORK

Many researchers have been devoted to the field of fault detection. Fault detection models can be mainly divided into two classes: rule and statistics-based ones.

A. Rule-based Detection Models

Rule-based detection models discern a fault based on its characteristics. Fault databases are constructed based on prior descriptions. When attributes of samples are matched with a fault's features in fault sample database, we claim that the samples are fault ones. Their representative methods include:

1) Signature method: It defines fault characteristics as signature. Arefin *et al.* [17] propose a framework named FlowDiff to model the behavior of a data center by using infrastructure, application, and task signatures. The infrastructure signature captures the physical topology of a network, the mapping of applications to servers, and baseline performance parameters (such as link utilization and end-to-end delay); application one captures the behavior of each application (e.g., response time distribution and flow statistics) and how applications interact with each other; while task one models the valid behavioral changes performed by the operator or applications (e.g., VM migration).

2) Similarity judgment: It sets up a fault sample database according to historical knowledge that includes fault characteristics, faults occurrences and how to fix faults. Chen *et al.* [18] present an instance-based approach to diagnose failures by storing historical faults in a database and retrieving similar instances in the occurrence of faults.

3) Decision tree: It can judge whether faults happen or not based on mappings between object attributes and object values. Kiciman *et al.* [19] propose a methodology by using a decision tree for automated fault detection in Internet services, which includes observing low-level internal structural behaviors of services, modeling majority of system behaviors as correct ones, and detecting anomalies in these behaviors as possible symptoms of faults. Lin *et al.* [20] present an efficient adaptive failure detection mechanism based on Volterra series that uses a Volterra filter for time series prediction and a decision tree for decision making.

B. Statistics-based Detection Models

Statistics-based detection models construct fault detection models based on the data collected from the cloud systems. Important methods include:

1) Neural networks [21]–[26]. Liu *et al.* [21] propose a prediction model based on an optimized neural network with a multilevel genetic algorithm. Li *et al.* [22] describe a fault diagnosis model based on a neural network, and establish relations between network fault information and fault pattern output. Yan *et al.* [23] adopt a neural network model to predict faults in electric power communication systems. Tamura *et al.* [24] use it to detect software faults in a cloud environment. A neural network-based method is applied to intelligently classify inverter switch faults [25].

2) Improved learning vector quantization (LVQ) based on back propagation (BP) neural networks [27]–[30]. Malik *et al.* [27] present an LVQ neural network for classification problems. Li *et al.* [28] use it for fault classification for analog circuits. Liu *et al.* [29] utilize it to classify samples into normal samples and faults. Bassiuny *et al.* [30] combine empirical mode decomposition and LVQ to detect faults.

3) Support vector machine (SVM) [31]–[38]. Lee *et al.* [34] propose a detection model based on SVM to find open-switch faults. SVM can be used to address two-class (normal or abnormal) and multi-class problems [37]. Zhang *et al.* [38] propose a method for predicting the types of weather via multi-class SVM based on the photovoltaic (PV) power data and partial meteorological data.

Both rule and statistics-based detection models have encountered their own challenges. The first one requires too much information about the internal systems and the efficiency of its online analysis is low. For the second one, neural network-based methods require a large number of training samples. In reality, it is extremely difficult to collect a sufficient number of abnormal samples.

In contrast with the first one, in recent years, the second one has attracted more researchers' attention because of its following advantages:

1) Neither historical knowledge, nor prior descriptions of fault characteristics of cloud systems are required. statistics-based detection models use the ports to monitor and collect the running data of cloud systems without deeply knowing the internal structure of cloud systems. Hence, it has a wide application scope.

2) The corresponding characteristics of cloud systems can be detected efficiently and accurately through online monitoring of cloud systems and timely analysis of collected data.

As one of the popular statistics-based detection models, Rahulamathavan *et al.* [37] point out that SVM has strong mathematical foundations and high reliability in many practical applications. However, traditional SVM models suffer from high time cost. Such high cost is caused by a) lack of optimization of SVM parameters and b) lack of timely updating of the sample space, which also result in low accuracy. Hence, a new model is highly demanded to address these two issues.

We propose an online fault detection model based on SVM-Grid, which targets at solving the above problems, including

improving the accuracy of detection and efficiency of traditional SVM models. The proposed model makes the following improvements:

1) It uses a Grid method to optimize the parameters of an SVM model to achieve fine-tuned prediction for higher accuracy;

2) It uses a two-stage strategy for preliminary fault prediction and fine prediction for cloud faults; and

3) It utilizes a novel strategy for updating the fault sample database so as to further reduce the computational time of fault detection.

Next, we present and analyze the proposed method.

III. CLOUD FAULT DETECTION MODEL BASED ON SVM-GRID

The proposed model based on SVM-Grid is constructed as follows:

1) A fault detection model is set up based on SVM. The Grid method is based on [25]. We use it to optimize two important parameters for the model and

2) Strategies for predicting cloud faults and updating fault sample database are proposed and used to optimize the model and improve its performance.

A. Fault Prediction Model

Some definitions related to the proposed model are given before its introduction.

Normal samples are those collected when the cloud systems run normally. Abnormal ones are those collected when they run wrongly.

We treat cloud fault detection as a binary classification problem. Let S be a given cloud sample training set.

$$S = \{(w_1, l_1), (w_2, l_2), \dots, (w_m, l_m)\}$$

where $w_j \in \mathbb{R}^n$ is the vector of a sample j , $j \in \{1, 2, \dots, m\}$ and l_j is its label.

$$l_j = \begin{cases} -1, & \text{sample } j \text{ is abnormal} \\ 1, & \text{sample } j \text{ is normal} \end{cases}$$

Based on SVM [44], we can transform a cloud fault detection problem into the following second-order constrained programming problem:

$$\begin{aligned} \min_{\alpha} & \frac{1}{2} \sum_{i=1}^m \sum_{j=1}^m l_i l_j K(w_i, w_j) \alpha_i \alpha_j - \sum_{i=1}^m \alpha_i \\ \text{s.t.} & \sum_{i=1}^m l_i \alpha_i = 0, \quad 0 \leq \alpha_i \leq C \end{aligned} \quad (1)$$

where $i, j \in \{1, 2, \dots, m\}$, α_i and α_j are the Lagrange multipliers. $K(w_i, w_j)$ is the kernel function. Parameter C denotes the penalty dealing with constraint violation for the model. The cloud fault detection problem is further translated into finding the optimal hyperplane problem. Its decision function is as follows:

$$f(w) = \text{sgn}\left(\sum_{i=1}^m l_i \alpha_i^* K(w_i, w) + b^*\right) \quad (2)$$

where w is an input vector of a sample, a_i^* is the solution to (1) and b^* is the offset.

When constructing a fault detection model based on SVM, we first need to select an appropriate kernel function. The commonly used ones include a linear kernel function, polynomial kernel function and radial basis function (RBF). RBF can approximate any nonlinear function. It has good generalization ability with fast convergence. It also has fewer parameters to be determined. It can reduce a model's complexity and improve efficient prediction for faults. Hence, we adopt RBF as the kernel function of the proposed fault detection model.

There are two key parameters C and g of SVM in the proposed model to be optimized. Motivated by [39], we use the Grid method to do so as shown in Algorithm 1.

Algorithm 1. Parameter Optimization

Input: $cmin, cmax, gmin, gmax, step1, step2, DB$. $!DB$ is the database of samples */

Output: C, g

Begin

```

1       $C = 0; g = 0;$ 
2       $Max = 0;$ 
3       $DB \leftarrow$  Get samples from the fault sample database;
4      For  $C = 2 \wedge (cmin)$  to  $2 \wedge (cmax)$ 
5          For  $g = 2 \wedge (gmin)$  to  $2 \wedge (gmax)$ 
6              invoke  $acc(C, g)$  based on  $DB$ ; /* invoke  $acc$ 
7              function from libSVM to compute accuracy */
8               $Max = \arg \max\{acc(C, g)\};$ 
9               $C += step1;$ 
10         EndFor
11          $g += step2;$ 
12     EndFor
13     IF ( $Max > \mu$ ) /*  $\mu$  is the threshold of  $Max$  */
14         Return  $C, g;$ 
15     Else
16          $DB \leftarrow$  add new samples;
17         Goto Line 2;
18     EndIf
End

```

Algorithm 1 aims to find the best values for parameters C and g in a hyper plane. The ranges of parameters C and g are derived from $(2^{-10}, 2^{10})$. In Lines 9 and 11, $step1$ and $step2$ are two preset values that are used to increase the values of C SPACE needed before "and" and g respectively. We set $cmin = gmin = 2^{-10}$ and $cmax = gmax = 2^{10}$. If the accuracy of the trained model cannot satisfy the requirement, we need to add additional samples from the existing dataset to re-train it until the requirement is satisfied. If there are no more additional samples for retraining, we have to decrease the accuracy requirement, i.e., decreasing the threshold in Algorithm 1.

Based on the proposed model with optimized parameters C and g , the normal and abnormal samples for training are used to train the model. After training, a hyperplane is obtained.

We add two strategies to the obtained model to improve its performance, i.e., fault prediction strategy and fault updating one.

B. Fault Prediction Strategy

The cloud fault prediction strategy has two stages.

1) Preliminary fault prediction

At the first stage, we use the hyperplane of the trained SVM model to divide samples into two classes: normal and abnormal samples, i.e., set A_1 with normal samples and B_1 with abnormal ones. We predict the fault probability based on the distance from abnormal samples to the SVM hyperplane. The bigger the distance, the greater fault probability. Because of SVM's inaccuracy, some abnormal samples may be misclassified as normal ones. Let T be a given testing set of samples.

$$T = \{w_1, w_2, \dots, w_m\}.$$

The preliminary fault prediction is realized in Algorithm 2.

Algorithm 2. Preliminary Fault Prediction

Input: C, g, T /* C and g come from Algorithm 1. T is a given sample set */

Output: V, f_1, f_2

Begin

```

1      SVMtrain ( $C, g, T$ );
2       $f_1 \leftarrow$  The objective value from a trained SVM;
3       $f_2 \leftarrow$  The sum of  $\alpha_i$  from a trained SVM;
4       $V \leftarrow svmpredict(T);$ 
5      Return  $V, f_1, f_2;$ 

```

End

Algorithm 2 gives a preliminary fault prediction. For abnormal samples near the hyperplane, they may sway much and have a greater likelihood to be misclassified as normal ones. If they are used for fault prediction, they may lead to low accuracy. Hence, we use the second stage prediction strategy to improve the prediction accuracy.

2) Fine prediction for cloud faults

The first stage has preliminarily classified all samples into normal and abnormal ones. We have to deal with those abnormal samples (near the hyperplane) that are misclassified as normal ones. After the hyperplane is obtained, the fault probability P_i for sample i to be a fault is as follows:

$$P_i = \frac{|v_i|/||W||}{\operatorname{argmax}\{|v_i|/||W||\}} \quad (3)$$

where $v_i \in V$ is the decision value of sample i from the first stage classification. v_i is negative if sample i is abnormal; otherwise positive. v_i can be zero in theory (i.e., an undecided sample), but we have not obtained any zero results in our experiments. $||W|| = \sqrt{2(f_1 + f_2)}$. Note that V, f_1 and f_2 come from the output of Algorithm 2. The process of fine-tuned fault prediction is proposed in Algorithm 3.

In Algorithm 3, $\Theta \in (0, 1)$ is the threshold of the fault probability of samples. When $P[i] \leq \Theta$, we regard sample

i as an abnormal one. We use B_2 to denote the set of the abnormal samples obtained from the second stage.

Algorithm 3. Fine Fault Prediction

Input: V, f_1 and f_2 /* They come from the output of Algorithm 2 */

Output: V /* classified results after fine prediction */

Begin

```

1    $l \leftarrow$  the size of  $V$ ;
2   For (int  $i = 0$ ;  $i < l$ ;  $i++$ ) and each  $v_i > 0$ 
3        $temp = |v_i| / \sqrt{2(f_1 + f_2)}$ ;
4        $P[i] = temp / \text{argmax}(temp)$ ;
5       If ( $P[i] \leq \Theta$ ) /*  $\Theta$  is the threshold of  $P$  */
6            $v_i \leftarrow -v_i$ ;
7       EndIf
8   EndFor
9   Return the updated  $V$ ;

```

End

Let w_i be the vector of abnormal sample i . After two stages of fault prediction based on Algorithms 2 and 3, w_i satisfies:

$$w_i \in B_1 \cup (A_1 \cap B_2). \quad (4)$$

C. Fault Updating Strategy

Because the cloud faults increase gradually, we need to add them into the fault sample database. We need to consider reducing extra time for the clouds when new abnormal samples are added. To avoid adding the same or more similar samples to the abnormal sample database, we need to compute the similarity between a new abnormal sample and an old one as follows:

$$S = \frac{a_i \cdot b_j}{\|a_i\| \|b_j\|} \quad (5)$$

where a_i and b_j are two vectors representing new abnormal sample i and old abnormal sample j , respectively. $a_i \cdot b_j$ is an inner product of vectors a_i and b_j . The fault updating process is given in Algorithm 4.

Algorithm 4. Updating Cloud Faults

Input: All new samples D' and old abnormal samples \tilde{D}

Output: NULL

Begin

```

1    $K = |D'|$ ;
2    $L = |\tilde{D}|$ ;
3    $L' = L$ ;
4   For  $i = 1$  to  $K$ 
5       For  $j = 1$  to  $L$ 
6            $S = a_i \cdot b_j / (\|a_i\| \|b_j\|)$ ;
7           If ( $S < \gamma$ ) /*  $\gamma$  is the threshold */
8                $L' = L' + 1$ ;
9               Add abnormal sample  $i$  to  $\tilde{D}$ ;
10          EndIf
11      EndFor
12  EndFor
13  If ( $L' > L$ )
14      Train the proposed model by executing Algorithm 1 based on  $\tilde{D}$ ;
15  EndIf

```

End

In Algorithm 4, K and L represent the total number of old and new fault samples, respectively. $a_i \in D'$, $1 \leq i \leq K$ and $b_j \in \tilde{D}$, $1 \leq j \leq L$. The similarity S between a_i and b_j is computed based on a cosine vector. If their similarity is high

enough, the new fault sample i is regarded as being a similar fault, and should not be added into the database. Otherwise, sample i is added into it. The proposed model is then trained based on the updated fault sample database. Algorithm 4 can avoid updating for each new abnormal sample, but for only new abnormal samples with enough difference from all the prior ones. Therefore, it decreases computing burden.

IV. EXPERIMENTS

A. Experimental Environment

In this work, simulation experiments are conducted based on publicly available data from Google2 application cluster of Google Corporation. The total size of this dataset is about 40 GB. It contains more than 12 500 virtual machines running during 29 days. Data items New line. are acquired every 300 seconds. The dataset is available at <http://github.com/google/cluster-data>

500 normal samples and 500 abnormal samples are selected randomly from the dataset. In order to validate the capability of the model, the dataset is divided into 5 groups. 4 copies are used for training the proposed model, and the remaining one is used for model prediction. The average values are computed. We execute 10 trials in experiments and compute the average values based on 5 groups of data.

Experimental environment includes MATLAB 2017, Intel Core i5, 2.3 GHz and 4 G memory and libSVM-3.1 [37], [39]. Thresholds: $\mu = 85\%$ in Algorithm 1, $\Theta = 0.5$ in Algorithm 3 and $\gamma = 0.8$ in Algorithm 4.

B. Attribute Optimization

If all attributes of samples collected from a cloud environment were used by the fault detection model, the computational overhead would be too large. Therefore it is necessary to make a reasonable choice for attributes while meeting a model's accuracy requirements. The monitored attributes of a cloud system usually have certain correlation. We use the Pearson correlation coefficient to analyze linear correlation among attributes. Based on principal component analysis (PCA) [40], a new attribute is constructed based on the linear combination of attributes. It should represent as many original attributes as possible in disparate conditions. In the end, several attributes are synthesized to represent most if not all of attributes based on the linear correlation of the latter.

Let D be the set of samples from a cloud system as follows.

$$D = \{d_1, d_2, \dots, d_n\}$$

where n is the cardinality of set D and $d_i \in D$.

$$d_i = (x_{i1}, x_{i2}, \dots, x_{im})$$

where x_{ij} represents the j th attribute of sample d_i .

Taking a Google dataset for example, we have the following 10 attributes:

- mean CPU usage rate
- canonical memory usage
- assigned memory usage
- unmapped page cache memory usage

total page cache memory usage
 maximum memory usage
 mean disk I/O time
 mean local disk space used
 maximum CPU usage
 maximum disk I/O time.

Because of different dimensions and different classes of numerical values of attributes, we should normalize all the original attributes. We then calculate the Pearson correlation coefficient among attributes. We finally reduce the number of attributes for model training via PCA so as to reduce the computational overhead while ensuring the model accuracy.

The process of attribute optimization is as follows.

1) Normalize attributes

There are n collected samples, each of which has m attributes. Let $X_{n \times m}$ be the matrix of all non-negative attributes:

$$X_{n \times m} = \begin{bmatrix} x_{11} & x_{12} & \dots & x_{1m} \\ x_{21} & x_{22} & \dots & x_{2m} \\ \vdots & \vdots & \dots & \vdots \\ x_{n1} & x_{n2} & \dots & x_{nm} \end{bmatrix}$$

The normalized attribute matrix of $X_{n \times m}$ is $Y_{n \times m}$ whose entry at (i, j) , $i \in \{1, 2, \dots, n\}$ and $j \in \{1, 2, \dots, m\}$, is:

$$y_{ij} = \frac{x_{ij}}{\sum_{i=1}^n x_{ij}}. \quad (6)$$

After (6), the sum of all components in a column is one.

2) Calculate Pearson correlation coefficient

The closer the correlation coefficient is to 1 or -1 , the stronger the correlation is. The closer the correlation coefficient is to 0, the weaker the correlation is. Generally, the threshold is set as 0.8, requiring that, two attributes are very strongly correlated.

a) Calculate the correlation coefficient r_{jp} between standardized attributes j and p

$$r_{jp} = \frac{\sum_{i=1}^n (y_{ij} - \bar{y})(y_{ip} - \bar{y}_{ip})}{\sqrt{\sum_{i=1}^n (y_{ij} - \bar{y})^2 (y_{ip} - \bar{y}_{ip})^2}} \quad (7)$$

where

$$\bar{y} = (\sum_{i=1}^n y_{ij})/n, \quad \bar{y}_{ip} = (\sum_{i=1}^n y_{ip})/n$$

$j, p \in \{1, 2, \dots, m\}$.

b) Construct the removal matrix G

$$G(j, p) = \begin{cases} 0, & \text{if } r_{jp} \in [0.8, 1] \\ 1, & \text{if } r_{jp} \in [0, 0.8) \end{cases}$$

We use Gaussian_elimination to make G as \tilde{G} . For example:

$$G = \begin{bmatrix} 0 & 1 & 0 & 1 \\ 1 & 0 & 1 & 0 \\ 0 & 1 & 0 & 1 \\ 1 & 0 & 1 & 0 \end{bmatrix}$$

During Gaussian_elimination, swapping two rows is not permitted because each row has its own meaning. After Gaussian_elimination for G , we obtain \tilde{G} as follows:

$$\tilde{G} = \begin{bmatrix} 0 & 1 & 0 & 1 \\ 1 & 0 & 1 & 0 \\ 0 & 0 & 0 & 0 \\ 0 & 0 & 0 & 0 \end{bmatrix}.$$

Define:

$$Z = Y_{n \times m} \cap q \quad (8)$$

where

$$q(i) = \begin{cases} 0, & \text{if } \forall j, \tilde{G}(i, j) = 0 \\ 1, & \text{otherwise} \end{cases}$$

and $i \in \{1, 2, \dots, n\}$ and q is a column vector, $q(i) \in q$. We shrink $Y_{n \times m}$ by removing column i in it if $q(i) = 0$. For example, given:

$$Y_{4 \times 4} = \begin{bmatrix} y_{11} & y_{12} & y_{13} & y_{14} \\ y_{21} & y_{22} & y_{23} & y_{24} \\ y_{31} & y_{32} & y_{33} & y_{34} \\ y_{41} & y_{42} & y_{43} & y_{44} \end{bmatrix} \quad \text{and} \quad q = \begin{bmatrix} 1 \\ 1 \\ 0 \\ 0 \end{bmatrix}$$

we have

$$Z = Y_{4 \times 4} \cap q = \begin{bmatrix} y_{11} & y_{12} \\ y_{21} & y_{22} \\ y_{31} & y_{32} \\ y_{41} & y_{42} \end{bmatrix}.$$

For our samples, after calculating the Pearson correlation coefficient for 10 attributes, we remove two very strongly correlated attributes, i.e., canonical memory usage and assigned memory usage. Hence, eight attributes are obtained.

c) Select attributes with PCA

To reduce systems' overhead, we reduce the number of attributes involved in the model calculation. A new attribute is constructed such that it covers the information of original attributes as much as possible.

Using PCA to calculate Z is as follows:

Let C be the correlation coefficient matrix of Z . $C = Z^T Z / (n - 1)$. Let $\lambda_1 \geq \lambda_2 \geq \dots \geq \lambda_n > 0$ [41] be eigen values of C and $i \in \{1, 2, \dots, n\}$. Let p_i be eigen vectors. M_i is the i th principal component of Z , and $M_i = p_i Z$. The contribution ratio r of the principal component M_i is as follows:

$$r = \frac{\lambda_i}{\sum_{j=1}^n \lambda_j}. \quad (9)$$

Let R be the cumulative contribution ratio of principal components as follows:

$$R = \frac{\sum_{i=1}^N \lambda_i}{\sum_{j=1}^M \lambda_j} \quad (10)$$

$M \leq n$ is the number of attributes in Z . $N \leq M$ denotes the number of principal components when cumulative contribution

ratio R is not less than the given threshold. The number of principal components is decided by R . Generally, $R \geq 95\%$. The ratios of principal components are shown in Fig. 1.

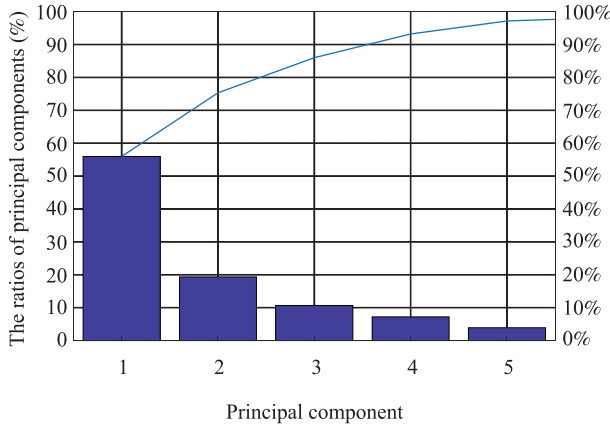


Fig. 1. The ratios of principal components.

As shown in Fig. 1, after the correlation analysis through the Pearson correlation coefficient for 10 attributes, 5 principal components are obtained, which contain 95% of information in 10 attributes via PCA. They clearly keep the vast majority of 10 attributes information while reducing the number of attributes by half. Hence, it can reduce the complexity of the proposed model. Three rows of values of the five principal components are shown in Table I.

TABLE I
SOME VALUES OF THE FIVE PRINCIPAL COMPONENTS

Principal component	Principal component	Principal component	Principal component	Principal component
1	2	3	4	5
0.3678	0.2386	0.0425	0.0480	0.0165
0.2696	0.2976	0.0631	0.0942	0.0497
0.4421	0.3967	0.0584	0.0952	0.3238

C. Parameter Optimization

To train a better model, we need to optimize the model’s key parameters C and g of SVM. Experimental results are shown in Figs. 2 and 3.

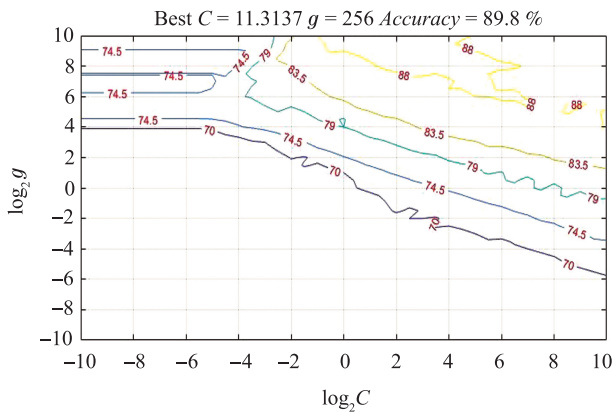


Fig. 2. The optimized parameters of RBF (contour plot).

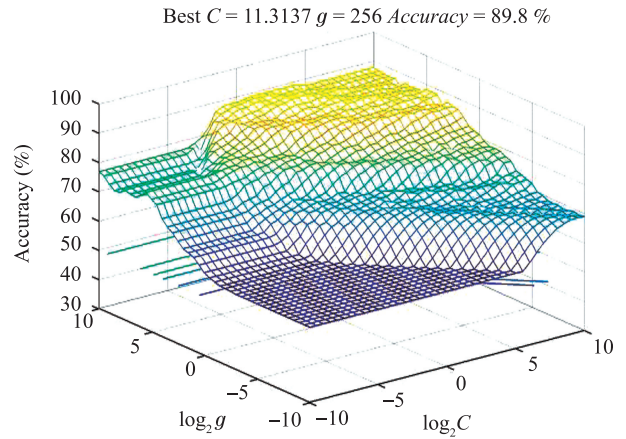


Fig. 3. The optimized parameters of RBF.

Different values of parameters C and g have different effect on accuracy of the proposed trained model. As shown in Figs. 2 and 3, the initial range of both C and g is $(2^{-10}, 210)$. Here, we use $\log_2 C$ and $\log_2 g$ to deal with the range of values. Values of c_{max} and g_{max} both are 2^{10} . In Fig. 2, a contour line shows the same accuracy with different co-ordinates. The higher parameter C , the lower accuracy of the model. Hence, when reaching the same accuracy, we select smaller C at the higher contour line. We obtain the best $C = 11.3137$ and $g = 256$ through the grid method of Algorithm 1. The accuracy of the trained model is 89.8%. From Fig. 3 we can clearly see that the accuracy reaches about 90%.

D. Comparing the Proposed Model With BP and LVQ

We compare the proposed model with BP [24] and LVQ [27] models.

A BP model [24] is a kind of multi layer feed-forward neural network according to the error back-propagation training. Its basic idea is to use the gradient descent method and gradient search technology. Its goal is to reach the minimum mean square error between actual output and predicted outputs. Maximum training count is 1000. Learning rate $\lambda = 0.1$. The required training error $\alpha = 0.1$. After testing two situations: $\alpha = 0.1$ and $\alpha = 0.01$, we find that the result is better at $\alpha = 0.1$. Smaller α induces a higher misclassification rate, i.e., the accuracy of the classification is lower. The other values of parameters of BP are by default as shown in MATLAB 2017.

An LVQ model [27] is a kind of a feed-forward network in which a supervised learning method is used to train its competitive layer. The same α and λ are used as those in the proposed and BP models.

For sample prediction, it produces four kinds of results:

- 1) Normal samples are predicted as normal ones. Let N_N be the number of such samples.
- 2) Normal samples are predicted as abnormal ones. Let N_F be the number of such samples.
- 3) Abnormal samples are predicted as normal ones. Let F_N be the number of such samples.
- 4) Abnormal samples are predicted as abnormal ones. Let F_F be the number of such samples.

Because accuracy is very important for fault prediction for the three models, we use it to evaluate them.

$$Accuracy = \frac{N_N + F_F}{N_N + N_F + F_N + F_F} \%$$

The results of accuracy are shown in Fig. 4.

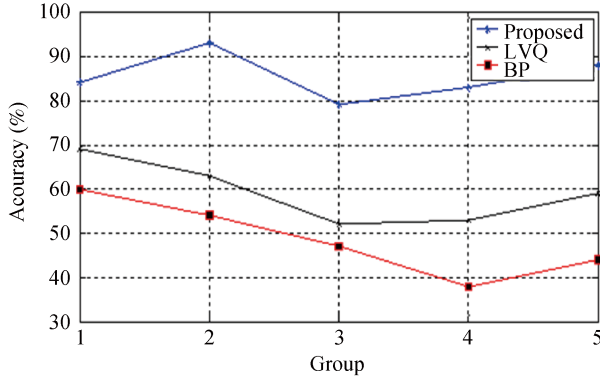


Fig. 4. Accuracy of three models.

As shown in Fig. 4, in order to avoid random effects on the results, the three models have significant differences in accuracy via 5 sets of experiments. We can see that BP has higher accuracy than LVQ while the proposed model well outperforms BP and LVQ. We also test the time cost of the three models as shown in Fig. 5.

From Fig. 5 we can see that LVQ has the highest training time cost. BP is much faster than LVQ while the proposed model is the fastest.

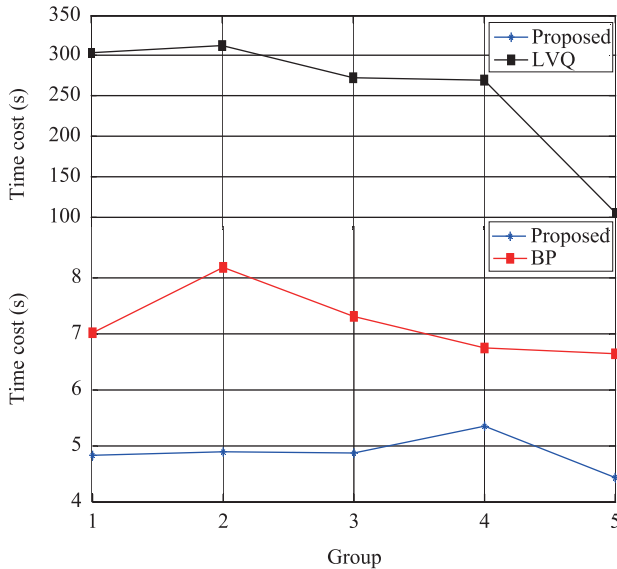


Fig. 5. Training time of the proposed, LVQ and BP.

E. Proposed Model vs. Traditional SVM

Traditional models based on SVM[37] simply classify samples via the SVM hyperplane as shown in [31]–[38]. It lacks parameter optimization and fine prediction. In view of practical application problems, strategies of the fine prediction and updating fault sample databases are adopted in the proposed model, so as to increase the accuracy and reduce training time.

The SVM classification involves two phases: training and testing phase. In the first phase, SVM is trained by using labeled data belonging to different classes. In the second phase, unlabeled data samples can be classified and labeled to the matched classes through the trained SVM model.

We use Precision, Recall, F-score and BAC-score to make a comprehensive comparison between the proposed one and traditional SVM model.

$$Precision = \frac{F_F}{N_F + F_F} \%$$

$$Recall = \frac{F_F}{F_N + F_F} \%$$

$$F\text{-score} = \frac{2}{\frac{1}{Precision} + \frac{1}{Recall}} \%$$

$$BAC\text{-score} = \frac{Sen + Spe}{2} \%$$

where Sen denotes the sensitivity degree and Spe denotes the specificity of fault detection, which are computed as

$$Sen = \frac{F_F}{F_N + F_F}$$

and

$$Spe = \frac{N_N}{N_N + N_F}$$

The experimental results are shown in Figs. 6–10.

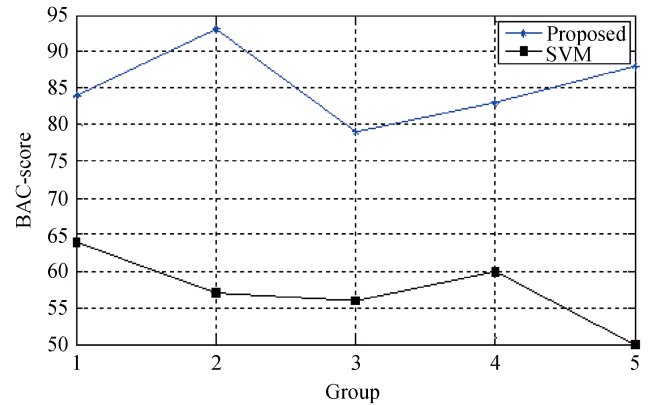


Fig. 6. Accuracy of the proposed method and a traditional SVM.

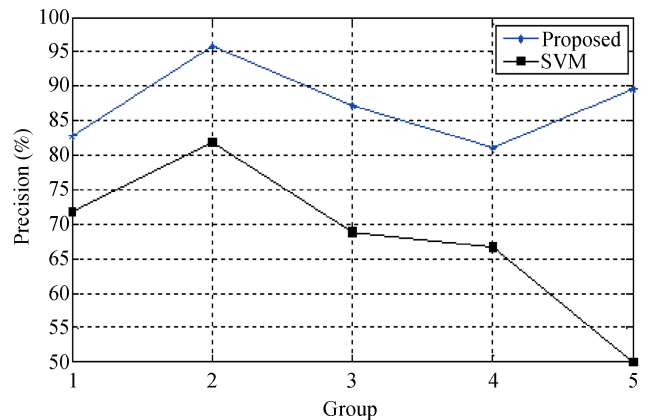


Fig. 7. Precision of the proposed method and a traditional SVM.

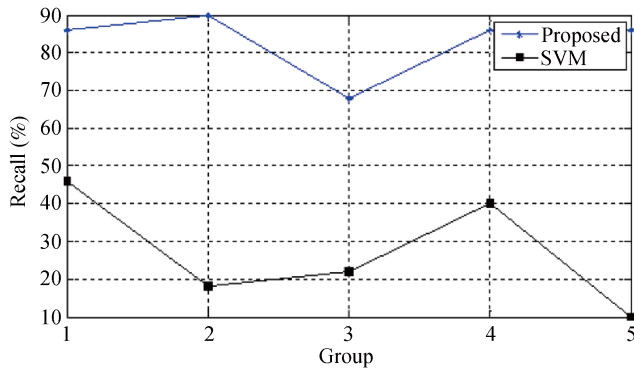


Fig. 8. Recall of the proposed method and a traditional SVM.

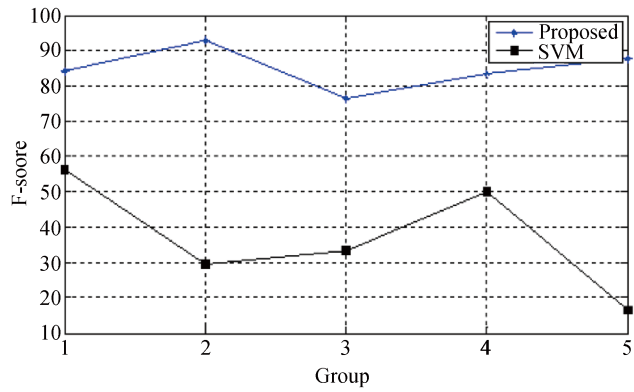


Fig. 9. F-score of the proposed method and a traditional SVM.

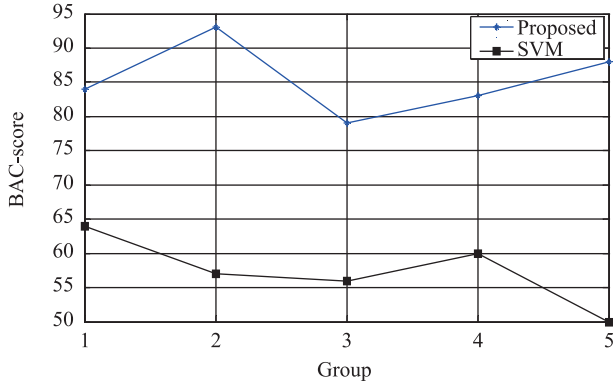


Fig. 10. BAC-score of the proposed method and a traditional SVM.

From Figs. 6–10 we conclude that the accuracy, precision, recall, F-score and BAC-score of the proposed model are better than SVM’s, especially for groups 2 and 5. Because the time cost of the two models exhibits insignificant difference, we do not illustrate them in this paper.

F. Proposed Model vs. State-of-the-art Model

We compare the prediction performance between the proposed method and a neural network-based method called extreme learning machine (ELM) [42]. Note that the ELM’s parameter setting and training follow [42]. We execute the same experiment based on five groups of testing data as the previous ones.

In Table II, there are five functions for ELM, which are sig, sin, hardlim, tribas and radbas. The number of hidden neurons

is 20, 40, 60, 80 and 100, respectively. By taking function sig and 20 hidden neurons as an example, the accuracy values of five groups are 0.72, 0.54, 0.48, 0.55 and 0.67, respectively. From the former experimental results in Figs. 4 and 6, we can see that the average values of five groups of the proposed method are higher than the results from ELM in Table II.

TABLE II
THE ACCURACY RESULTS BY USING ELM

Number of hidden neurons	Activation function				
	sig	sin	hardlim	tribas	radbas
20	0.72	0.73	0.44	0.59	0.7
	0.54	0.55	0.61	0.65	0.56
	0.48	0.51	0.63	0.45	0.53
	0.55	0.64	0.41	0.41	0.46
	0.67	0.57	0.53	0.58	0.59
40	0.58	0.52	0.62	0.44	0.61
	0.64	0.49	0.46	0.6	0.54
	0.44	0.38	0.56	0.42	0.48
	0.58	0.58	0.39	0.55	0.66
	0.7	0.66	0.56	0.53	0.52
60	0.52	0.56	0.62	0.63	0.47
	0.56	0.63	0.45	0.69	0.67
	0.49	0.53	0.49	0.47	0.5
	0.45	0.54	0.38	0.52	0.46
	0.53	0.52	0.53	0.55	0.66
80	0.62	0.54	0.62	0.56	0.57
	0.45	0.51	0.5	0.45	0.45
	0.33	0.38	0.54	0.46	0.43
	0.45	0.49	0.46	0.65	0.58
	0.44	0.49	0.56	0.66	0.45
100	0.53	0.55	0.61	0.59	0.47
	0.7	0.5	0.5	0.7	0.42
	0.46	0.51	0.64	0.52	0.45
	0.53	0.67	0.42	0.57	0.54
	0.51	0.63	0.58	0.61	0.58

G. Statistical Test

We perform the statistical test for the proposed method and the other prior methods. We execute the same experiment based on 5 groups of testing data as the previous ones by using SPSS [43], which is commercially available and widely-used software for data analysis.

From Table III, we can see that the proposed method well outperforms ELM in accuracy. By using the proposed method and ELM, F -value = 1.50. We obtain p -value of F -test = 0.26, which is bigger than the significance level 0.05. Thus the assumption of equal variance is accepted. Then, we obtain p -value of T -test = 5.17E-4 based on the equal variance result. Because it is smaller than significance level 0.05, the assumption of equal means is rejected. In other words, the proposed method and ELM have statistically significant

difference between their average accuracy results. In addition, the 95% confidence interval of mean difference of samples does not cross 0. From their mean accuracy at 85.4 (the proposed method's) and 60 (ELM's), it is easy to conclude that the proposed method is much better than ELM. We can draw the similar conclusion that the proposed method outperforms BP and LVQ.

From Table IV, we can see that the proposed method well outperforms SVM in F -score. We have F -value at 5.56 and p -value of F -test at 0.046. Since p -value is smaller than the significance level 0.05, they have statistically significant difference between their variances in F -score results. We obtain p -value of T -test = 0.001 based on unequal variance result. Because 0.001 is smaller than significance level 0.05, thus the assumption of equal means is rejected. We can conclude that the proposed method and SVM have statistically significant difference between their average values in F -score. In addition, the 95% confidence interval of mean difference of samples does not cross 0. From the proposed method, the average values are 84.95 and from SVM it is 37.12, we conclude that the proposed method is much better than SVM. The experimental results in accuracy, precision, recall and BAC-score from these methods also lead to the same conclusion that the proposed method well outperforms its peers. From the analysis of results obtained via ELM and SVM, we conclude that ELM is better than SVM.

TABLE III

STATISTICAL TEST FOR THE PROPOSED METHOD VS. BP, LVQ AND ELM IN MEAN ACCURACY (NCZ = NOT CROSSING ZERO)

	F -value	p -value of F -test	p -value of T -test	Confidence interval	Mean of existing methods	Mean of the proposed method
BP	1.4	0.27	3.84E-05	NCZ	48.6	85.4
LVQ	0.45	0.352	1.67E-04	NCZ	59.2	85.4
ELM	1.5	0.26	5.17E-04	NCZ	60	85.4

TABLE IV

SOME STATISTICAL TESTS OF THE PROPOSED METHOD VS. SVM IN ACCURACY, PRECISION, RECALL, F-SCORE AND BAC-SCORE

	F -value	p -value of F -test	p -value of T -test	Confidence interval	Mean of existing methods	Mean of the proposed method
Accuracy	0.05	0.84	2.98E-05	NCZ	57.4	85.4
Precision	0.75	0.41	0.01	NCZ	67.82	87.27
Recall	1.5	0.26	5.17E-04	NCZ	27.2	83.2
F -score	5.56	0.046	0.001	NCZ	37.12	84.95
BAC-score	0.046	0.84	2.98E-05	NCZ	57.4	85.4

V. CONCLUSIONS

Online fault detection is very important for cloud stability. Many detection models need to know too much about the internal cloud systems. The most adopted models based on traditional SVM suffer from the problems of low accuracy. To address them, the work proposes a new online fault detection model based on SVM-Grid. The model is constructed based on

SVM and its key parameters are optimized by the grid method. To further improve prediction performance and decrease time cost, the methods for fine-tuned prediction and updating fault sample databases are proposed.

We compare the proposed model with BP and LVQ. The experimental results with a Google dataset clearly show that the proposed model has better accuracy and lower time cost than its two peers. We also compare the proposed model with the traditional SVM model (without using attribute optimization, fine-tuned prediction and database update). The experimental results show that the proposed model achieves better accuracy, precision, recall, F -score and BAC-score than the latter. The experimental results also show that the proposed method is better than ELM.

This work can predict the occurrence of faults in clouds; however it is difficult to locate the reasons that cause faults. This is to be addressed as our the future work. The method can also be modified to predicate faults in other environments, such as Internet of Things [45]–[49].

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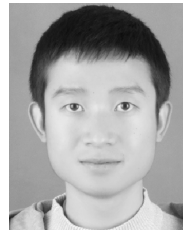
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