

Received October 6, 2016, accepted October 12, 2016, date of publication December 21, 2016, date of current version February 25, 2017.

Digital Object Identifier 10.1109/ACCESS.2016.2638848

# Using Fuzzy Concept Lattice for Intelligent Disease Diagnosis

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This work was supported in part by the Fundamental Research Funds for the Central Universities under Grant 2015ZZ079, and in part by the Natural Science Foundation of Guangdong Province, China, under Grant 2016A030313735 and Grant 2016A030313734.

**ABSTRACT** This paper proposes a novel intelligent disease diagnosis method based on fuzzy concept lattice. Symptoms and the corresponding extents (e.g., frequency, severity, and duration) of each disease can be extracted to form a fuzzy concept lattice. The fuzzy concept lattice of the symptoms and their extents to be diagnosed needs to be constructed to match the fuzzy concept lattice of possible diseases. The similarity between the above two types of concept lattices can be calculated and used to aid for effective diagnosis. Naturally, the disease with the largest similarity is the finding of intelligent diagnosis. In the future, more efficient fuzzy concept lattice construction method and update algorithm will be explored, which are presumed to be very complicated.

**INDEX TERMS** Fuzzy concept lattice, fuzzy formal context, intelligent disease diagnosis, similarity.

## I. INTRODUCTION

Health care sector is currently faced with many challenges [1], [2], such as chronic diseases, disease prevention, dear medical expenses, etc [3]. In order to cope with various challenges, medical institutions must take medical data as resources, analyze the data, get valuable information, and thus improve the treatment effect and reduce the cost [4], [5]. Data mining and data analysis can help doctors to make accurate clinical diagnosis, effective prediction of disease outbreak, useful personalized treatment, etc. In the era of Internet of Everything, the data increase exponentially. Medical data have become indispensable and important resources. The traditional manual data analysis methods are no longer able to meet the requirements. Efficient computer-based intelligent data analysis methods have become indispensable.

Data sources from healthcare sector include hospital information system (HIS), users' physical sign data collected by various devices [6], [7], implicit health information in social networks, and so on [8], [9]. Data processing technologies in the healthcare community include data fusion, classification, clustering, association rule mining, machine learning, simulation, visualization, etc [10], [11]. Among them, the aim of association rule mining is to find relationships among the variables; the purpose of cluster analysis is to divide the data into several small data sets according to the similarity of data; the goal of visualization is to present data through images, animations and other intuitive ways [12].

'Concept' is defined as the basic unit consisting of extensions and intensions. Formal Concept Analysis(FCA) was proposed by Wille, a famous German scientist, in 1982 [13]. Wille proposed the basic idea of constructing the corresponding concept lattice by binary relation, and established a theoretical basis for development of Formal Concept Analysis (FCA).

FCA emphasizes human cognition, and provides an effective data analysis and knowledge representation method. Concept lattice, as the key data structure of FCA, is a kind of external cognitive means. Concept lattice consists of some formal concept nodes, which involve extension and intension part [14]. The intension of the concept is the set of common attributes of all the objects in the extension, and the extension of the concept is the largest set of objects that can be determined by the intension [15]. Concept lattice is a highly simplified description of the objective world, which reveals the relationship between concepts, and has good mathematical properties. Concept lattices can be graphically represented as labeled line diagrams, named Hasse diagrams, which facilitate data visualization.

## II. RELATED WORK

The related work includes formal context, concept lattice, Hasse diagram, fuzzy concept lattice, intelligent disease diagnosis, and so on [16].

### A. FORMAL CONTEXT

Formal context  $K(U, A, I)$  is composed of an object set  $U$ , an attribute set  $A$ , and their binary relation  $I$ , i.e.  $I \subseteq U \times A$ . If  $(x, a) \in I$ , then  $xIa$  indicates that object  $x$  possesses attribute  $a$ . Formal context can also be shown as a two-dimensional data table, where the row indicates object, and the column indicates attribute.

$$\text{When given } \begin{cases} X^* = \{a | a \in A, \forall x \in X, xIa\}, X \subseteq U \\ B^* = \{x | x \in U, \forall a \in B, xIa\}, B \subseteq A \end{cases}$$

if  $\exists X^* = B$  and  $B^* = X$ , then  $(X, B)$  is regarded as a formal concept [17].  $X$  represents the extension of the concept  $(X, B)$ , which shows the set of all objects in this concept.  $B$  represents the intension of the concept  $(X, B)$ , which shows the set of the common attributes for all objects in this concept. For instance,  $C((2, 3, 4), \{a, c\})$  shows that the concept  $C$  involves three objects 2, 3 and 4. The set of the common attributes of these three objects is  $\{a, c\}$ .

### B. CONCEPT LATTICE

Concept lattice theory is an effective tool for knowledge representation and discovery. It is mainly used in cognitive computing, machine learning, pattern recognition, expert systems, decision analysis, web search and other fields. Concept lattice [18] essentially describes the association between objects and attributes.

One kind of partially ordered relationship can be established between the nodes of concept lattice. If  $C_1(X_1, B_1)$ ,  $C_2(X_2, B_2)$  satisfies  $X_1 \subseteq X_2$  or  $B_2 \subseteq B_1$ , then  $C_1(X_1, B_1)$  is called a sub-concept, and  $C_2(X_2, B_2)$  is called a parent concept, which can be expressed as  $C_1(X_1, B_1) \leq C_2(X_2, B_2)$ . The relationship  $\leq$  is called the partial order of concepts. For all concepts in a formal context, the set of partial orders produces the concept lattice  $L(U, A, I)$ , which is unique for a specific formal context  $K(U, A, I)$ .

### C. HASSE DIAGRAM

Hasse diagram [18] is the visual representation of concept lattice, which effectively shows the partially ordered relationships of all concepts in the concept lattice. Each node in the Hasse diagram represents a concept, and the connections between the nodes indicate the generalization-specialization relationships. The positions of the nodes in Hasse diagram are arranged from bottom to top according to their orders. For the partially ordered set  $(S, \leq)$ , if  $y$  covers  $x$  (that is,  $x < y$  and  $\neg \exists z(x < z < y)$ ), then the line from  $x$  up to  $y$  is added.

### D. FUZZY CONCEPT LATTICE

There are many vague concepts in people's thinking, such as young, big, warm, evening, etc. In the real world, there are a lot of fuzzy phenomena [19]. Fuzzy theory and FCA can be combined to deal with uncertain information. In 1994, A. Burusco and R. Fuentes proposed the fuzzy concept lattice theory [20], which is the combination of concept lattice and Zadeh fuzzy set theory [21], [22].

Liu *et al.* [23] and Qiang *et al.* [24] discussed the construction algorithms and applications of fuzzy concept lattice. Jaoua and Elloumi [25] took advantage of implication operator to generate the fuzzy concept lattice, studied the concept lattice with varying accuracy, and introduced the variable threshold concept lattice. Tho *et al.* [26] studied the combination of the fuzzy set theory and FCA, and discussed the technique of fuzzy formal concept analysis (FFCA). This technique can be used to calculate the similarity between the fuzzy formal concepts. Sun and Qin [27], Liu *et al.* [28] used residual implication and different implication operators to generate fuzzy concept lattice. Sun *et al.* [29] discussed an fuzzy concept generation method based on alternate objects and attributes. Chen *et al.* [30], Chen and Luo [31] studied the generation approach of interval-valued fuzzy concept lattice.

### E. INTELLIGENT DISEASE DIAGNOSIS

Intelligent medical diagnosis is the goal the expert system attempts to achieve [32]. Some meaningful works have been done by researchers. Miller *et al.* [33] developed the famous Internist-I internal medicine computer aided diagnosis system. Barnett *et al.* [34], at Harvard Medical School, developed the interpretation software, including about 2200 kinds of diseases and 5000 kinds of symptoms. Umbaugh *et al.* [35] developed a skin cancer aided diagnosis system. Provan and Clarke [36] constructed a decision support system to help diagnose the chronic abdominal pain. Keith and Greene [37] developed an intelligent CTG analysis system, which is a combination of digital algorithms and artificial neural network methods. Birndorf *et al.* [38] developed a diagnostic expert system for anemia. Wells *et al.* [39] developed a knowledge based system for breast cancer treatment planning. Recently some researchers have carried out a wide range of research in the field of intelligent diagnosis of diseases. The fields of expert system and concept lattice have also achieved good results. The application of concept lattice in medical field is worthy of further research.

## III. FUZZY CONCEPT LATTICES BASED ON DISEASE

According to the general process of clinical medical diagnosis, fuzzy concept lattices can be used in medical information retrieval and disease diagnosis.

### A. FUZZY FORMAL CONTEXT OF DISEASE

The symptoms and the corresponding extents of each disease can be extracted to form a fuzzy formal context  $K(U, A, I)$ , where  $U$  indicates a set of symptoms of the disease,  $A$  indicates a set of the corresponding extents of symptoms, and  $I$  is a membership function,  $U \times A \rightarrow [0, 1]$ . The extent of a symptom mainly includes the frequency at which it occurs, the severity the patient suffers it, and the duration it lasts.

In the fuzzy formal context  $K(U, A, I)$ , for each  $a \in A$ ,  $\varphi_a(0 \leq \varphi_a \leq 1)$  is given. Suppose  $\theta K = (U, A, I_\theta)$ , and  $I_\theta$  is

defined as:

$$I_{\theta}(u, a) = \begin{cases} I(u,a), & \text{if } I(u,a) \geq \theta\varphi_{ai} \\ 0, & \text{if } I(u,a) < \theta\varphi_{ai} \end{cases}$$

The fuzzy concept  $C_i = (U_i, A_i)$  ( $i = 1, \dots, n$ ,  $n$  is the number of the fuzzy concepts),  $U_i \subseteq U, A_i \subseteq A$ , satisfies:

$$\forall U_i \subseteq U, g(U_i) = \{a | \forall u \in U_i, I(u, a) \geq \theta\varphi_{ai}\}$$

$$\forall A_i \subseteq A, g(A_i) = \{u | \forall a \in A_i, I(u, a) \geq \theta\varphi_{ai}\}$$

Table 1 shows the fuzzy formal context of the common cold. Suppose  $\varphi_{ai}$  is the average value of each column, and  $\theta = 0.8$ . The values over  $\theta\varphi_{ai}$  in each column keep the original value, otherwise take zero value. Then the objects whose corresponding attribute values are over  $\theta\varphi_{ai}$  are merged, and the fuzzy formal concepts of the common cold are obtained as shown in Table 2.

TABLE 1. The Fuzzy Formal Context of the Common Cold

| Symptom              | Frequency  |            |            | Severity   |            | Duration   |            |
|----------------------|------------|------------|------------|------------|------------|------------|------------|
|                      | a          | b          | c          | d          | e          | f          | g          |
| 1                    | 0.1        | 0.1        | <b>0.8</b> | 0.2        | <b>0.8</b> | 0.2        | <b>0.8</b> |
| 2                    | 0.1        | <b>0.7</b> | 0.2        | 0.1        | <b>0.9</b> | 0.2        | <b>0.8</b> |
| 3                    | <b>0.8</b> | 0.1        | 0.1        | <b>0.8</b> | 0.2        | <b>1.0</b> | 0.0        |
| 4                    | <b>0.7</b> | 0.2        | 0.1        | <b>0.7</b> | 0.3        | <b>0.8</b> | 0.2        |
| $\varphi_{ai}$       | 0.43       | 0.28       | 0.3        | 0.45       | 0.55       | 0.55       | 0.45       |
| $\theta\varphi_{ai}$ | 0.34       | 0.22       | 0.24       | 0.36       | 0.44       | 0.44       | 0.36       |

Note: 1- fever, 2- headache, 3- runny nose, 4- cough, a- high frequency, b- medium frequency, c- low frequency, d- severe, e- non-severe, f- long, g- short. Suppose  $\theta = 0.8$ .

TABLE 2. The Fuzzy Formal Concepts of the Common Cold

| Fuzzy Concept          | Fuzzy Concept          | Fuzzy Concept             | Fuzzy Concept          |
|------------------------|------------------------|---------------------------|------------------------|
| $(\{1\}, \{c, e, g\})$ | $(\{2\}, \{b, e, g\})$ | $(\{3, 4\}, \{a, d, f\})$ | $(\{1, 2\}, \{e, g\})$ |

B. FUZZY CONCEPT LATTICE BASED ON DISEASE

The symptoms of the disease can be regarded as objects, and the extents of symptoms can be regarded as attributes. The pair of object-attribute (i.e., symptom-extent) can be defined as the concept. Then the fuzzy concept lattice can be obtained. Fig. 1 shows the fuzzy concept lattice corresponding to Table 1.

IV. INTELLIGENT DISEASE DIAGNOSIS BASED ON FUZZY CONCEPT LATTICE

The fuzzy concept lattice of the symptoms and their extents to be diagnosed need to be constructed to match the fuzzy concept lattice of possible diseases. The most probable disease of the patient to be diagnosed can be presumed then.

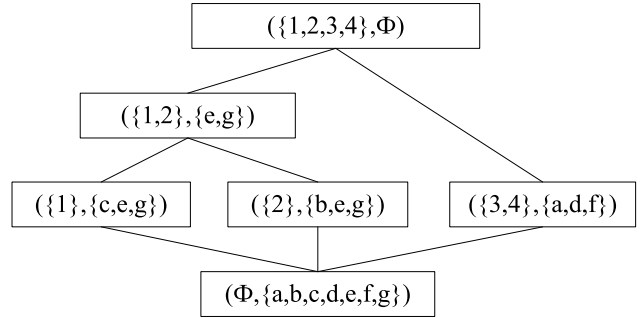


FIGURE 1. The fuzzy concept lattice of the common cold.

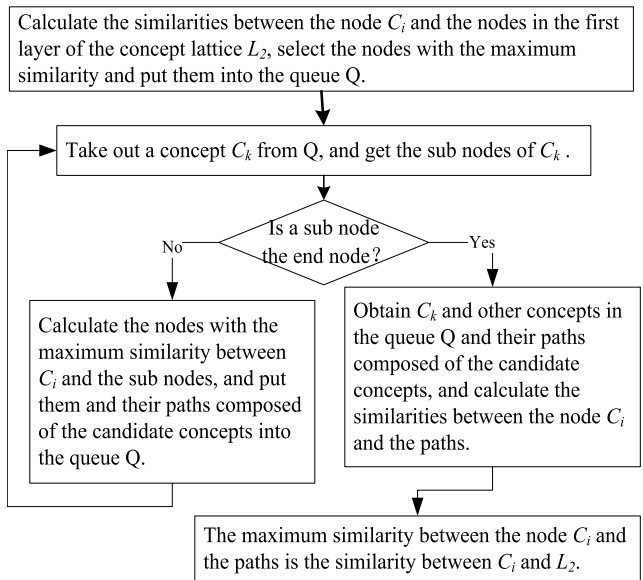


FIGURE 2. Calculation of the similarity between the node  $C_i$  and the concept lattice  $L_2$ .

A. SIMILARITY BETWEEN TWO CONCEPT NODES

For two concepts  $C_1 = (U_1, A_1)$  and  $C_2 = (U_2, A_2)$  in one or more formal contexts, let  $r$  be the maximum value of the cardinalities of  $U_1$  and  $U_2$ , and  $m$  be the maximum value of the cardinalities of  $A_1$  and  $A_2$ , i.e.,

$$r = \max(|U_1|, |U_2|); m = \max(|A_1|, |A_2|)$$

Then the similarity between two concepts  $C_1 = (U_1, A_1)$  and  $C_2 = (U_2, A_2)$  can be calculated as follows:

$$Sim(C_1, C_2) = \begin{cases} \frac{|U_1 \cap U_2|}{r} \times p + \frac{|A_1 \cap A_2|}{m} \times (1 - 2p) + \frac{|A_1 \cap A_2|}{m} \times p, & U_1 \cap U_2 \neq \emptyset \\ 0, & U_1 \cap U_2 = \emptyset \end{cases}$$

Wherein  $p$  is a weighting factor ( $0 \leq p \leq 0.5$ ).

B. SIMILARITY BETWEEN CONCEPT NODE AND CONCEPT LATTICE

The similarities between a concept node  $C_i$  of one concept lattice  $L_1$  and concept nodes in each layer of another concept lattice  $L_2$  can be calculated. Then the concept nodes with the

**TABLE 3.** The Fuzzy Formal Context of the Symptoms of a Patient

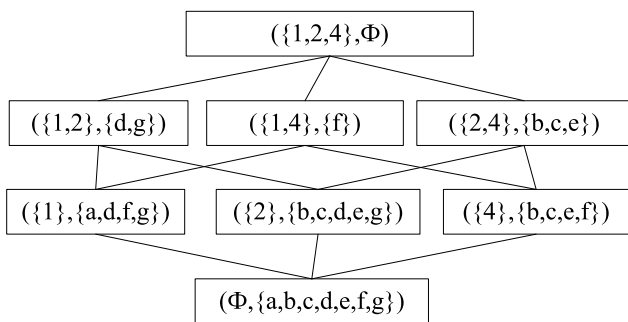
| Symptom              | Frequency |      |      | Severity |      | Duration |      |
|----------------------|-----------|------|------|----------|------|----------|------|
|                      | a         | b    | c    | d        | e    | f        | g    |
| 1                    | 0.6       | 0.2  | 0.2  | 0.7      | 0.3  | 0.7      | 0.3  |
| 2                    | 0.2       | 0.3  | 0.5  | 0.4      | 0.6  | 0.4      | 0.6  |
| 4                    | 0.2       | 0.5  | 0.3  | 0.3      | 0.7  | 0.8      | 0.2  |
| $\varphi_{ai}$       | 0.33      | 0.33 | 0.33 | 0.47     | 0.53 | 0.63     | 0.37 |
| $\theta\varphi_{ai}$ | 0.26      | 0.26 | 0.26 | 0.38     | 0.42 | 0.50     | 0.30 |

Note: 1- fever, 2- headache, 4- cough, a- high frequency, b- medium frequency, c- low frequency, d- severe, e- non-severe, f- long, g- short. Suppose  $\theta = 0.8$ .

maximum similarity in the layer are selected as the candidate nodes, and the sub concept nodes of the candidate nodes are calculated in turn. Through layer by layer recursion, one or more paths can be obtained. The similarity between the concept node  $C_i$  and the concept lattice  $L_2$  is defined as follows [40]:

$$Sim(C_i, L_2) = \max \left( \frac{\sum_{C_k \in R_j} sim(C_i, C_k)}{n_j} \right)$$

Wherein  $R_j$  is a path composed of the candidate concepts ( $j = 1, \dots, s$ ,  $s$  is the number of candidate paths),  $n_j$  is the number of nodes in the path  $R_j$ , and  $C_k$  is a node in the path  $R_j$  ( $k = 1, \dots, t$ ,  $t$  is the number of nodes in the path  $R_j$ ). The similarity between the node  $C_i$  and the path  $R_j$  is the average value of the similarities of  $C_i$  and all the candidate nodes in the path  $R_j$ . The calculation steps of the similarity between the node  $C_i$  and the concept lattice  $L_2$  are shown in Fig. 2.



**FIGURE 3.** The fuzzy concept lattice of the symptoms of the patient.

**C. SIMILARITY BETWEEN TWO CONCEPT LATTICES**

The similarity of two concept lattices is regarded as the average value of the similarities of all nodes in the concept lattice  $L_1$  and the concept lattice  $L_2$  [40].

$$Sim(L_1, L_2) = \frac{\sum_{C_i \in L_1} Sim(C_i, L_2)}{n_1}$$

Wherein  $n_1$  is the number of the concept nodes in  $L_1$ . Suppose the symptoms of a patient are shown in Table 3. The fuzzy

**TABLE 4.** Calculation of the Similarity of the Fuzzy Concept Lattices of the Patient’s Symptoms and the Common Cold

| Formal Concepts of the Patient’s Symptoms | Formal Concepts of the Common Cold | Similarity                                | The Selected Nodes with the Maximum Similarity in Each Layer |
|---|------------------------------------|---|--|
| ({1}, {a,d,f,g})                          | ({1,2}, {e,g})                     | 0.25                                      | selected   |
|   | ({3,4}, {a,d,f})                   | 0   |  |
|   | ({1}, {c,e,g})                     | 0.4375                                    | selected   |
|   | ({2}, {b,e,g})                     | 0   |  |
|   |                                    | $Sim(C_i, L_2) = (0.25+0.4375)/2 = 0.229$ |  |
| ({2}, {b,c,d,e,g})                        | ({1,2}, {e,g})                     | 0.325                                     | selected   |
|   | ({3,4}, {a,d,f})                   | 0   |  |
|   | ({1}, {c,e,g})                     | 0   |  |
|   | ({2}, {b,e,g})                     | 0.7                                       | selected   |
|   |                                    | $Sim(C_i, L_2) = (0.325+0.7)/2 = 0.513$   |  |
| ({4}, {b,c,e,f})                          | ({1,2}, {e,g})                     | 0   |  |
|   | ({3,4}, {a,d,f})                   | 0.25                                      | selected   |
|   |                                    | $Sim(C_i, L_2) = 0.25$                    |  |
| ({1,2}, {d,g})                            | ({1,2}, {e,g})                     | 0.625                                     | selected   |
|   | ({3,4}, {a,d,f})                   | 0   |  |
|   | ({1}, {c,e,g})                     | 0.292                                     | selected   |
|   | ({2}, {b,e,g})                     | 0.292                                     | selected   |
|   |                                    | $Sim(C_i, L_2) = (0.625+0.292)/2 = 0.459$ |  |
| ({1,4}, {f})                              | ({1,2}, {e,g})                     | 0.125                                     |  |
|   | ({3,4}, {a,d,f})                   | 0.292                                     | selected   |
|   |                                    | $Sim(C_i, L_2) = 0.292$                   |  |
| ({2,4}, {b,c,e})                          | ({1,2}, {e,g})                     | 0.292                                     | selected   |
|   | ({3,4}, {a,d,f})                   | 0.125                                     |  |
|   | ({1}, {c,e,g})                     | 0   |  |
|   | ({2}, {b,e,g})                     | 0.458                                     | selected   |
|   |                                    | $Sim(C_i, L_2) = (0.292+0.458)/2 = 0.375$ |  |

concept lattice of the symptoms of the patient can be obtained as shown in Fig. 3.

Suppose the weighting factor  $p$  is set to 1/4, then the similarity of the fuzzy concept lattices of the patient’s symptoms and the common cold is calculated as shown in Table 4. According to the calculation in Table 4, the result is  $Sim_1 = (0.229 + 0.513 + 0.25 + 0.459 + 0.292 + 0.375)/6 = 0.353$ .

**D. INTELLIGENT DISEASE DIAGNOSIS BASED ON FUZZY CONCEPT LATTICE**

An example of intelligent disease diagnosis based on fuzzy concept lattice is given. The possible disease sets include

**TABLE 5.** The Fuzzy Formal Context of the Viral Pharyngitis

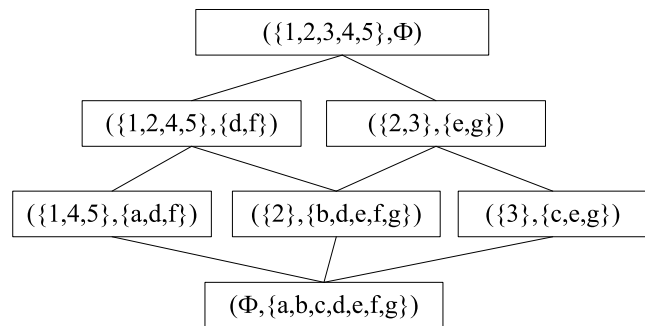
| Symptom              | Frequency |      |      | Severity |      | Duration |      |
|----------------------|-----------|------|------|----------|------|----------|------|
|                      | a         | b    | c    | d        | e    | f        | g    |
| 1                    | 0.8       | 0.1  | 0.1  | 0.8      | 0.2  | 0.8      | 0.2  |
| 2                    | 0.3       | 0.5  | 0.2  | 0.7      | 0.3  | 0.7      | 0.3  |
| 3                    | 0.0       | 0.1  | 0.9  | 0.1      | 0.9  | 0.1      | 0.9  |
| 4                    | 0.8       | 0.1  | 0.1  | 0.9      | 0.1  | 0.8      | 0.2  |
| 5                    | 0.9       | 0.1  | 0.0  | 0.9      | 0.1  | 0.9      | 0.1  |
| $\varphi_{ai}$       | 0.56      | 0.18 | 0.26 | 0.68     | 0.32 | 0.66     | 0.34 |
| $\theta\varphi_{ai}$ | 0.45      | 0.14 | 0.21 | 0.54     | 0.26 | 0.53     | 0.27 |

Note: 1- fever, 2- headache, 3- runny nose, 4- cough, 5- sputum, a- high frequency, b- medium frequency, c- low frequency, d- severe, e- non-severe, f- long, g- short. Suppose  $\theta = 0.8$ .

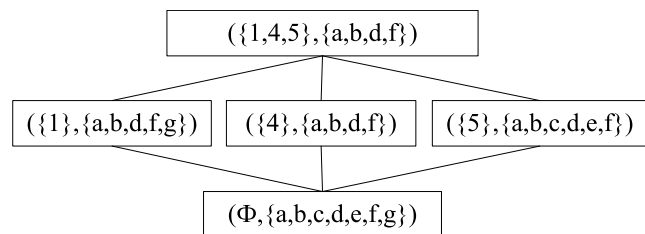
**TABLE 6.** The Fuzzy Formal Context of Pneumonia

| Symptom              | Frequency |      |      | Severity |       | Duration |       |
|----------------------|-----------|------|------|----------|-------|----------|-------|
|                      | a         | b    | c    | d        | e     | f        | g     |
| 1                    | 0.9       | 0.1  | 0.0  | 0.9      | 0.1   | 0.8      | 0.2   |
| 4                    | 0.9       | 0.1  | 0.0  | 0.9      | 0.1   | 0.9      | 0.1   |
| 5                    | 0.8       | 0.1  | 0.1  | 0.8      | 0.2   | 0.9      | 0.1   |
| $\varphi_{ai}$       | 0.87      | 0.1  | 0.03 | 0.87     | 0.13  | 0.87     | 0.13  |
| $\theta\varphi_{ai}$ | 0.70      | 0.08 | 0.02 | 0.70     | 0.104 | 0.70     | 0.104 |

Note: 1- fever, 4- cough, 5- sputum, a- high frequency, b- medium frequency, c- low frequency, d- severe, e- non-severe, f- long, g- short. Suppose  $\theta = 0.8$ .



**FIGURE 4.** The fuzzy concept lattice of the viral pharyngitis.



**FIGURE 5.** The fuzzy concept lattice of pneumonia.

the common cold, the viral pharyngitis, and pneumonia. The fuzzy formal context of the viral pharyngitis is shown in Table 5. The fuzzy formal context of pneumonia is shown in Table 6.

**TABLE 7.** Calculation of the Similarity of the Fuzzy Concept Lattices of the Patient’s Symptoms and the Viral Pharyngitis

| Formal Concepts of the Patient’s Symptoms | Formal Concepts of the Viral Pharyngitis | Similarity                                | The Selected Nodes with the Maximum Similarity in Each Layer |  |
|---|--|---|--|--|
| ({1}, {a,d,f,g})                          | (({1,2,4,5}, {d,f}))                     | 0.25                                      | selected   |  |
|   | (({2,3}, {e,g}))                         | 0   |  |  |
|   | (({1,4,5}, {a,d,f}))                     | 0.396                                     | selected   |  |
|   | (({2}, {b,d,e,f,g}))                     | 0   |  |  |
|   |  | $Sim(C_1, L_2) = (0.25+0.396)/2 = 0.323$  |  |  |
| ({2}, {b,c,d,e,g})                        | (({1,2,4,5}, {d,f}))                     | 0.138                                     | selected   |  |
|   | (({2,3}, {e,g}))                         | 0.325                                     |  |  |
|   | (({2}, {b,d,e,f,g}))                     | 0.85                                      | selected   |  |
|   | (({3}, {c,e,g}))                         | 0   |  |  |
|   |  | $Sim(C_1, L_2) = (0.325+0.85)/2 = 0.588$  |  |  |
| ({4}, {b,c,e,f})                          | (({1,2,4,5}, {d,f}))                     | 0.156                                     | selected   |  |
|   | (({2,3}, {e,g}))                         | 0   |  |  |
|   | (({1,4,5}, {a,d,f}))                     | 0.188                                     | selected   |  |
|   | (({2}, {b,d,e,f,g}))                     | 0   |  |  |
|   |  | $Sim(C_1, L_2) = (0.156+0.188)/2 = 0.172$ |  |  |
| ({1,2}, {d,g})                            | (({1,2,4,5}, {d,f}))                     | 0.375                                     | selected   |  |
|   | (({2,3}, {e,g}))                         | 0.375                                     | selected   |  |
|   | (({1,4,5}, {a,d,f}))                     | 0.222                                     |  |  |
|   | (({2}, {b,d,e,f,g}))                     | 0.325                                     | selected   |  |
| ({1,4}, {f})                              | (({2}, {b,d,e,f,g}))                     | 0.325                                     | selected   |  |
|   | (({3}, {c,e,g}))                         | 0   |  |  |
|   |  |   | $Sim(C_1, L_2) = (0.375+0.325)/2 = 0.35$                     |  |
|   | (({1,2,4,5}, {d,f}))                     | 0.375                                     | selected   |  |
| ({2,4}, {b,c,e})                          | (({2,3}, {e,g}))                         | 0   |  |  |
|   | (({1,4,5}, {a,d,f}))                     | 0.361                                     | selected   |  |
|   | (({2}, {b,d,e,f,g}))                     | 0   |  |  |
|   |  |   | $Sim(C_1, L_2) = (0.375+0.361)/2 = 0.368$                    |  |
| ({2,4}, {b,c,e})                          | (({1,2,4,5}, {d,f}))                     | 0.125                                     |  |  |
|   | (({2,3}, {e,g}))                         | 0.292                                     | selected   |  |
|   | (({2}, {b,d,e,f,g}))                     | 0.325                                     | selected   |  |
|   | (({3}, {c,e,g}))                         | 0   |  |  |
|   |  | $Sim(C_1, L_2) = (0.292+0.325)/2 = 0.309$ |  |  |

The fuzzy concept lattice of the viral pharyngitis is shown in Fig. 4, and the fuzzy concept lattice of pneumonia is shown in Fig. 5.

**TABLE 8. Calculation of the Similarity of the Fuzzy Concept Lattices of the Patient’s Symptoms and Pneumonia**

| Formal Concepts of the Patient’s Symptoms | Formal Concepts of Pneumonia              | Similarity | The Selected Nodes with the Maximum Similarity in Each Layer |
|---|---|------------|--|
| ({1}, {a,d,f,g})                          | ({1,4,5}, {a,b,d,f})                      | 0.396      | selected   |
|   | ({1}, {a,b,d,f,g})                        | 0.85       | selected   |
|   | ({4}, {a,b,d,f})                          | 0          |  |
|   | ({5}, {a,b,c,d,e,f})                      | 0          |  |
|   | $Sim(C_i, L_2) = (0.396+0.85)/2 = 0.623$  |            |  |
| ({2}, {b,c,d,e,g})                        | ({1,4,5}, {a,b,d,f})                      | 0          |  |
|   | $Sim(C_i, L_2) = 0$                       |            |  |
| ({4}, {b,c,e,f})                          | ({1,4,5}, {a,b,d,f})                      | 0.292      | selected   |
|   | ({1}, {a,b,d,f,g})                        | 0          |  |
|   | ({4}, {a,b,d,f})                          | 0.625      | selected   |
|   | ({5}, {a,b,c,d,e,f})                      | 0          |  |
|   | $Sim(C_i, L_2) = (0.292+0.625)/2 = 0.459$ |            |  |
| ({1,2}, {d,g})                            | ({1,4,5}, {a,b,d,f})                      | 0.188      | selected   |
|   | ({1}, {a,b,d,f,g})                        | 0.325      | selected   |
|   | ({4}, {a,b,d,f})                          | 0          |  |
|   | ({5}, {a,b,c,d,e,f})                      | 0          |  |
|   | $Sim(C_i, L_2) = (0.188+0.325)/2 = 0.257$ |            |  |
| ({1,4}, {f})                              | ({1,4,5}, {a,b,d,f})                      | 0.313      | selected   |
|   | ({1}, {a,b,d,f,g})                        | 0.225      |  |
|   | ({4}, {a,b,d,f})                          | 0.25       | selected   |
|   | ({5}, {a,b,c,d,e,f})                      | 0          |  |
|   | $Sim(C_i, L_2) = (0.313+0.25)/2 = 0.282$  |            |  |
| ({2,4}, {b,c,e})                          | ({1,4,5}, {a,b,d,f})                      | 0.188      | selected   |
|   | ({1}, {a,b,d,f,g})                        | 0          |  |
|   | ({4}, {a,b,d,f})                          | 0.25       | selected   |
|   | ({5}, {a,b,c,d,e,f})                      | 0          |  |
|   | $Sim(C_i, L_2) = (0.188+0.25)/2 = 0.219$  |            |  |

The fuzzy concept lattice of the patient’s symptoms needs to match the fuzzy concept lattices of possible diseases, and the corresponding similarities are calculated. According to the same calculation steps, the similarity of the fuzzy concept lattices of the patient’s symptoms and the viral pharyngitis is calculated, which is  $Sim_2 = (0.323 + 0.588 + 0.172 + 0.35 + 0.368 + 0.309)/6 = 0.352$ , as shown in Table 7.

Then the similarity of the fuzzy concept lattices of the patient’s symptoms and pneumonia is calculated, which is

$Sim_3 = (0.623 + 0 + 0.459 + 0.257 + 0.282 + 0.219)/6 = 0.307$ , as shown in Table 8. The disease with the largest similarity is the finding of intelligent diagnosis. Therefore the patient is most likely to suffer from the common cold.

**V. CONCLUSION**

This work proposes a novel intelligent disease diagnosis method based on fuzzy concept lattice. According to the general process of clinical medical diagnosis, fuzzy concept lattices can be used in medical information retrieval and disease diagnosis. Symptoms and their extents of each disease can be extracted to form a fuzzy formal context. The symptoms of the disease can be regarded as the objects, and the extents of symptoms can be regarded as the attributes. The fuzzy concept lattice of the symptoms and their extents to be diagnosed needs to be constructed to match the fuzzy concept lattice of possible diseases. Then the most probable disease of the patient to be diagnosed can be presumed. The similarity of the fuzzy concept lattices of the patient’s symptoms and possible diseases can be calculated. The disease with the largest similarity is the finding of intelligent diagnosis.

In the future, we will take into account the weight values of the symptoms of each disease upon calculating the similarity of the fuzzy concept lattices, further explore more efficient fuzzy concept lattice construction method and update algorithm which are supposed to be highly complicated, and further study the intelligent disease diagnosis system based on concept lattice.

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