

# Coalitional game based resource allocation in D2D-enabled V2V communication

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**Abstract:** The joint resource block (RB) allocation and power optimization problem is studied to maximize the sum-rate of the vehicle-to-vehicle (V2V) links in the device-to-device (D2D)-enabled V2V communication system, where one feasible cellular user (FCU) can share its RB with multiple V2V pairs. The problem is first formulated as a nonconvex mixed-integer nonlinear programming (MINLP) problem with constraint of the maximum interference power in the FCU links. Using the game theory, two coalition formation algorithms are proposed to accomplish V2V link partitioning and FCU selection, where the transferable utility functions are introduced to minimize the interference among the V2V links and the FCU links for the optimal RB allocation. The successive convex approximation (SCA) is used to transform the original problem into a convex one and the Lagrangian dual method is further applied to obtain the optimal transmit power of the V2V links. Finally, numerical results demonstrate the efficiency of the proposed resource allocation algorithm in terms of the system sum-rate.

**Keywords:** coalitional game, vehicle-to-vehicle (V2V) communication, successive convex approximation (SCA), resource block (RB) allocation, power allocation.

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## 1. Introduction

In order to reduce the traffic congestion, improve the driving safety, and provide the in-vehicle infotainment services, vehicular communication has gained considerable attention recently from both academic and industrial communities [1–3]. Device-to-device (D2D) communication is able to realize the direct message transmission between two adjacent users by reusing the cellular resources, which is particularly suitable for the vehicle-to-

vehicle (V2V) communication scenarios [4,5].

The resource allocation has been extensively studied to mitigate the interference in both D2D underlying cellular systems and D2D-enabled vehicular networks. In [6], a joint fair resource allocation policy was investigated under channel gain uncertainty, which aimed to improve the sum-rate of the D2D system as well as guarantee the quality of service (QoS) of the cellular users (CUs). In [7], a spectrum sharing and power allocation scheme based on the large-scale fading was proposed in vehicular network with D2D communication to maximize the minimum ergodic capacity, while ensuring the reliability requirement of each V2V link. However, the above resource allocation mechanisms mainly focus on the case that one channel is reused by at most one D2D pair. To improve the spectrum efficiency, multiple D2D pairs are permitted to reuse the same resource block (RB), but the mutual interference among them may cause serious performance degradation. Nevertheless, well-designed resource allocation policies have the potential to dramatically reduce the mutual interference among the D2D pairs and improve the system performance [8–13]. The authors in [8] discussed a spectrum and power resource allocation problem in energy harvesting powered D2D communication cellular network with multiple D2D links reusing the spectrum resource of one CU, where two algorithms were proposed respectively to solve the resource optimization problem. Liang et al. proposed a graph-based algorithm to divide the highly interfering V2V links into different clusters before spectrum allocation and power control in D2D-based vehicular communication networks [12].

Recently, the use of coalitional game to solve the resource allocation problem has been intensively discussed. Song et al. in [14] have shown the applications of game-theoretic models, including coalitional game

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model, in the radio resource allocation problems for the D2D communication. In [15], a suboptimal resource allocation scheme based on coalition game was proposed to maximize the minimum throughput of the V2V links, which can ensure the requirements of the minimum throughput from the vehicle to infrastructure (V2I) links. Li et al. have proposed a coalitional game based fair uplink resource allocation algorithm in [16] for cellular network to reduce the mutual interference among vehicular links. In this paper, we employ a coalition formation game to alleviate the mutual interference among the V2V links in the D2D-enabled V2V communication.

We investigate the resource allocation based on coalitional game in the D2D-enabled V2V communication, where multiple V2V pairs and a feasible CU (FCU) can share the same RB. A resource allocation strategy has been proposed to maximize the sum-rate of all the V2V links and guarantee the QoS of the FCUs considering that the interference power from V2V links to FCU links is limited. The main contributions of this work focus on the following parts.

(i) To improve the spectrum efficiency, an FCU's RB can be allocated to multiple V2V links in the D2D-enabled V2V communication system. A joint RB allocation and power optimization problem is formulated as a nonconvex mixed-integer nonlinear programming (MINLP) problem which can be solved by game theory and successive convex approximation (SCA) method.

(ii) Two coalition formation algorithms are presented to achieve the optimal RB allocation. A coalition formation algorithm is proposed to partition the V2V links so that the interference power within the V2V links can be minimized. To obtain the minimum interference power from the FCU links to the V2V links, we bring out another coalition formation algorithm to select the FCU's RB for the V2V links in each V2V group.

(iii) To solve the nonconvex power optimization prob-

lem, we adopt the SCA method and obtain the tight lower convex bound to transform the origin problem to a convex one, and then the Lagrangian dual method is employed to achieve the optimal V2V transmit power.

The remainder of the paper is organized as follows. Section 2 presents the system model of the D2D-enabled V2V communication scenario and the problem formulation about maximizing the sum-rate of V2V links. In Section 3 and Section 4, the RB allocation based on the coalition formation game and the power optimization based on the SCA method are illustrated, respectively. Section 5 gives the convergence and complexity analysis of our proposed algorithms. Section 6 provides the numerical results to demonstrate the performance of the proposed resource allocation strategy in the D2D-enabled V2V communication system. Finally, we draw the conclusions in Section 7.

## 2. System model and problem formulation

### 2.1 System model

We consider a D2D-enabled V2V communication scenario in Fig. 1, which consists of an evolved Node B (eNB), multiple orthogonal CUs and  $K$  V2V pairs. Each CU can occupy a dedicated RB for uplink transmission from the CU to the eNB. According to the signal-to-interference-plus-noise ratio (SINR) requirement in the CU uplinks,  $M$  CUs are assigned to share their RBs for the V2V link transmission from V2V transmitter (V2V Tx) to V2V receiver (V2V Rx) and each selected CU is called the FCU. Each V2V link is only permitted to reuse at most one RB, and multiple V2V links can reuse the same FCU's RB to improve the spectrum efficiency. This scheme will introduce mutual interference among the V2V links and the FCU uplinks which is illustrated in the elliptical area of Fig. 1. To better describe our model, we define the channel parameters from the source to the des-

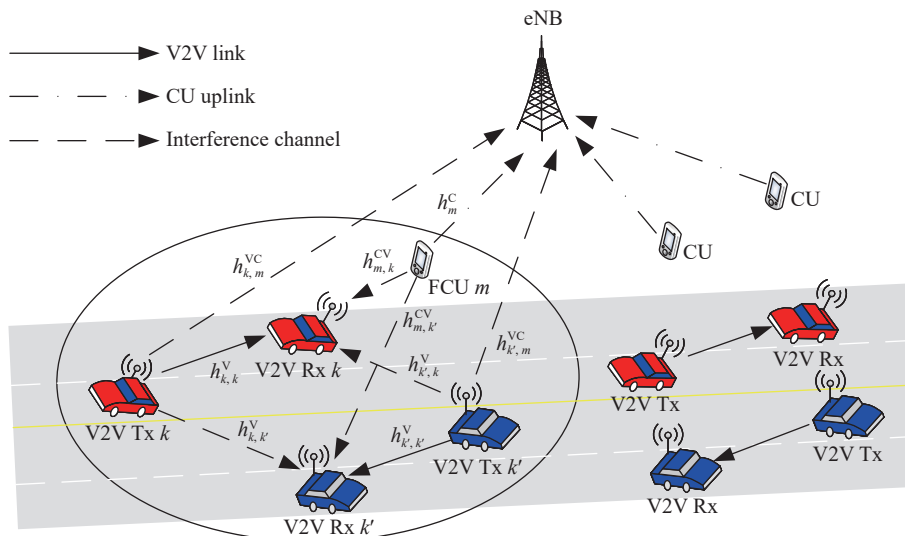


Fig. 1 System model of D2D-enabled V2V communication

**Table 1** Notation of symbols

Notation	Meaning of the representative
$h_m^C$	The channel gain from the FCU $m$ to the eNB
$h_{m,k}^{CV}$	The channel gain from the FCU $m$ to the V2V Rx $k$
$h_{k,m}^{VC}$	The channel gain from the V2V Tx $k$ to the FCU $m$
$h_{k,k}^V$	The channel gain from the V2V Tx $k$ to the V2V Rx $k$
$h_{k,k'}^V$	The channel gain from the V2V Tx $k$ to the V2V Rx $k'$
$K$	The number of V2V links
$M$	The number of FCUs
$\Theta$	V2V set of $\{1, 2, \dots, K\}$
$\Omega$	FCU set of $\{1, 2, \dots, M\}$
$P_m^C$	The transmit power of FCU $m \in \Omega$
$I_{\max}$	The maximum interference power from the V2V links to the FCU uplinks
$\gamma_0$	The minimum SINR of the FCU uplink
$\mathbf{P}^V$	The transmit power vector of V2V links, $\mathbf{P}^V = (P_1^V, P_2^V, \dots, P_K^V)$
$P_{\max}^V$	The maximum transmit power of V2V Tx

tion in Table 1.

The RB selection indicator is denoted by binary decision variable  $\alpha_{k,m} \in \{0, 1\}$ ,  $k \in \Theta$ ,  $m \in \Omega$ . We have  $\alpha_{k,m} = 1$ , if FCU  $m$  shares its RB with V2V link  $k$ .  $\Omega$  is divided into  $\Omega_1 = \{m \in \Omega \mid \alpha_{k,m} = 1, \exists k \in \Theta\}$  and  $\Omega_2 = \{m \in \Omega \mid \alpha_{k,m} = 0, \forall k \in \Theta\}$ ,  $\Omega = \Omega_1 \cup \Omega_2$ , where  $\Omega_1$  is the set of FCUs that allocate the RBs to the V2V links and  $\Omega_2$  is the set of the FCUs that no V2V links choose to reuse their RBs. The interference power from V2V links to FCU  $m$  is calculated as  $I_m^C = \sum_{k \in \Theta} \alpha_{k,m} P_k^V h_{k,m}^{VC}$ , where  $P_k^V$  is the transmit power of V2V Tx  $k$ . Given the maximum interference power  $I_{\max}$  from the V2V links to the FCU uplinks and the minimum SINR  $\gamma_0$  of the FCU uplink, we can calculate the transmit power of the FCU  $m$  according to the SINR  $\gamma_0$  as

$$P_m^C = \frac{\gamma_0 (I_{\max} + \sigma^2)}{h_m^C} \quad (1)$$

where  $\sigma^2$  is the power of the additive white Gaussian noise. Thus, the received SINR at V2V Rx  $k$  associated with FCU  $m$  can be given by

$$\gamma_{k,m}(\mathbf{P}^V) = \frac{P_k^V h_{k,k}^V}{\sum_{k' \in \Theta \setminus \{k\}} \alpha_{k',m} P_{k'}^V h_{k',k}^V + P_m^C h_{m,k}^{CV} + \sigma^2} \quad (2)$$

where  $\Theta \setminus \{k\}$  is denoted as the set  $\Theta$  without  $k$ . Assuming that each V2V link has unit bandwidth, the transmission rate of the V2V Rx  $k$  reusing the RB of FCU  $m$  can be expressed as

$$r_{k,m}^V(\mathbf{P}^V) = \log_2(1 + \gamma_{k,m}(\mathbf{P}^V)). \quad (3)$$

The eNB is fully responsible for the resource allocation,

so it needs to obtain the certain channel state information (CSI) through the utilization of the control signal feedback mechanism. The CSI of the links connected with the vehicles changes rapidly due to the high mobility in the vehicular environment, so timely and frequent feedback of the full CSI may lead to heavy signaling overhead. Thus, we assume that the eNB only acquires the large-scale fading information, such as the path loss and shadowing, which can significantly alleviate the signaling overhead. Therefore, this work mainly focuses on the resource allocation considering the large-scale fading condition.

## 2.2 Problem formulation

The infotainment applications require large throughput to transmit the information. When the V2V links reuse the RBs of the FCUs, we should guarantee the QoS of the FCUs. Therefore, we should maximize the sum-rate of all the V2V links while restraining the aggregated interference of the FCUs caused by the V2V links. From the perspective of the V2V link partitioning and FCU selection, the optimization problem can be formulated as

$$\max_{\alpha, \mathbf{P}^V} \sum_{k \in \Theta} \sum_{m \in \Omega} \alpha_{k,m} r_{k,m}^V(\mathbf{P}^V), \quad (4)$$

$$\text{s.t. } I_m^C \leq I_{\max}, \quad \forall m \in \Omega, \quad (5)$$

$$0 \leq P_k^V \leq P_{\max}^V, \quad \forall k \in \Theta, \quad (6)$$

$$\alpha_{k,m} \in \{0, 1\}, \quad \forall k \in \Theta; \quad \forall m \in \Omega, \quad (7)$$

$$\sum_{m \in \Omega} \alpha_{k,m} = 1, \quad \forall k \in \Theta, \quad (8)$$

$$\sum_{k \in \Theta} \alpha_{k,m} \geq 1, \quad \forall m \in \Omega_1, \quad (9)$$

$$\sum_{k \in \Theta} \alpha_{k,m} = 0, \quad \forall m \in \Omega_2, \quad (10)$$

where  $\alpha = \{\alpha_{k,m}, k \in \Theta, m \in \Omega\}$  is the RB selection indicator matrix. Constraint (5) indicates that the aggregated interference inducing from each V2V group to the FCU cannot exceed the maximum threshold. Constraint (6) ensures that the transmit power of each V2V Tx cannot exceed its maximum limit. Constraint (7) sets the RB selection indicator to be an integer 0 or 1. Constraint (8) guarantees that each V2V link can only reuse one FCU's RB. Constraints (9) and (10) illustrate that  $\Omega_1$  contains FCUs that share the RBs to the V2V links and  $\Omega_2$  contains FCUs whose RBs are not reused by any V2V link.

In problem (4), the optimization variables  $\alpha_{k,m}$  and  $P_k^V$  are binary and continuous variables, respectively, for any  $k \in \Theta$ ,  $m \in \Omega$ , where the objective function is non-convex with affine constraints. Consequently, the problem (4) is MINLP problem involving continuous and discrete variables [17], which is difficult to jointly optimize the continuous and discrete variables in the polynomial-time. Therefore, we propose a heuristic scheme to divide the MINLP problem into the RB allocation subproblem and the power allocation subproblem.

### 3. RB allocation based on coalition formation game

In this section, the subproblem of RB allocation is solved in two steps: V2V link partitioning and FCU selection. We assume that the V2V links are partitioned into  $N \in |\Omega_1|$  groups as  $\Psi = \{C_1, C_2, \dots, C_N\}$ . We define  $\eta_{k,n} \in \{0, 1\}$  as the V2V link partitioning indicator and set  $\eta_{k,n} = 1$  to represent that all the V2V links in  $C_n$  reuse the same RB, where  $n \in \mathcal{E} = \{1, 2, \dots, N\}$ . Besides, we set  $\beta_{n,m} \in \{0, 1\}$  as the FCU selection indicator for all  $n \in \mathcal{E}, m \in \Omega_1$  and  $\beta_{n,m} = 1$  represents that the V2V links in  $C_n$  reuse the RB of FCU  $m$ . Thus, we have  $\alpha_{k,m} = \eta_{k,n} \beta_{n,m}$  and the optimization variable  $\alpha_{k,m}$  can be obtained by solving  $\eta_{k,n}$  and  $\beta_{n,m}$ .

#### 3.1 V2V link partitioning

For V2V link partitioning, the coalitional game is employed to partition the highly interfering V2V links into different groups in order to reduce the interference power between the V2V links which reuse the same RB. The interference level of the corresponding V2V link can be measured by its channel gain [12]. For instance, the

channel gain  $h_{k,k'}^V$  is denoted as the interference level from the V2V Tx  $k$  to the V2V Rx  $k'$ , for  $\forall k, k' \in \Theta$ , and  $k \neq k'$ . Then, the V2V link partitioning problem can be written as

$$\min_{\eta} \sum_{n \in \mathcal{E}} \sum_{k \in \Theta} \sum_{k' \in \Theta \setminus \{k\}} \eta_{k,n} \eta_{k',n} h_{k',k}^V, \quad (11)$$

$$\text{s.t. } \eta_{k,n} \in \{0, 1\}, \quad \forall n \in \mathcal{E}; m \in \Omega_1, \quad (12)$$

$$\sum_{n \in \mathcal{E}} \eta_{k,n} = 1, \quad \forall k \in \Theta, \quad (13)$$

$$\sum_{k \in \Theta} \eta_{k,n} \geq 1, \quad \forall n \in \mathcal{E}, \quad (14)$$

where constraint (12) sets the V2V link partitioning indicator to be an integer 0 or 1, constraint (13) guarantees that each V2V link can only join one group and constraint (14) indicates that each group contains at least one V2V link.

In this subsection, the V2V link partitioning problem is modeled as a coalitional game with the transferable utility [18], where the V2V links tend to form the partition so that the mutual interference of the V2V links within the same group can be minimized. Then, a coalition formation algorithm for V2V partitioning is designed.

Based on the game theory, the pair  $(\Theta, U)$  represents a coalitional game with transferable utility, where  $\Theta$  is a set of game players and  $U$  is a utility function for every coalition  $C_n \in \Psi$ , and  $U(C_n)$  is a real number to quantify the contributions of coalition  $C_n$ .

The smaller the total interference of the V2V Rx  $k'$  received from the other links within the same coalition, the greater its individual contribution is. We define the utility function of the coalition  $C_n$  as  $U(C_n) =$

$$-\sum_{k \in \Theta} \sum_{k' \in \Theta \setminus \{k\}} \eta_{k,n} \eta_{k',n} h_{k',k}^V.$$

The key mechanism in the coalitional game is that each player chooses to join or leave a group based on the well-defined preference and operation that may achieve the goal of maximizing the system total utility function. We utilize the concepts of the preference order and switch operation to elaborate this process in detail.

If the player  $k$  prefers to join coalition  $C_{n'}$  than coalition  $C_n$  ( $n' \neq n$ ) with the increase of the total utility for  $\forall k \in \Theta$ , the preference order 1 is given as  $C_{n'} \succ_k C_n$ , which is determined by  $C_{n'} \succ_k C_n \iff U(C_{n'}) + U(C_n \setminus \{k\}) > U(C_n \setminus \{k\}) + U(C_n)$ . Given a coalitional partition  $\Psi = \{C_1, C_2, \dots, C_N\}$  of the set of players, if the preference order 1  $C_{n'} \succ_k C_n$  holds, the switch operation 1 is given as

$$\Psi' = (\Psi \setminus \{C_n, C_{n'}\}) \cup \{C_n \setminus \{k\}, C_{n'} \cup \{k\}\}. \quad (15)$$

That is, if player  $k$  is willing to join coalition  $C_{n'}$  rather than  $C_n$ , the new coalitional partition will be formed after the switch operation is executed. Based on the preference order and switch operation defined above, the ultimate propose of the coalitional game is to maximize the total utility rather than the individual contributions of players. Moreover, with the increasing switching operations, the total utility strictly increases during the formation of the partitions.

The coalition formation algorithm is given in Algorithm 1 that first executes the parameter initialization in Step 1 and Step 2. We randomly generate a new partition  $\Psi_{\text{ini}} = \{C_1, C_2, \dots, C_N\}$ . The current partition is denoted as  $\Psi_{\text{cur}} = \Psi_{\text{ini}}$  and the count of the consecutive unsuccessful switch operations num is set to be 0. Then, V2V link  $k$  is uniformly and randomly chosen from the set  $\Theta$  in Step 4, and its current coalition is denoted as  $C_n \in \Psi_{\text{cur}}$ . We uniformly and randomly choose another coalition  $C_{n'} \in \Psi \cup \{\emptyset\}$  in Step 5 with  $n' \neq n$ . In Step 6, we calculate  $U(C_n)$  and  $U(C_{n'})$ , and then determine whether the switching operation is performed or not according to the preference order 1. If  $U(C_{n'}) + U(C_n \setminus \{k\}) > U(C_n) + U(C_{n'} \setminus \{k\})$  is satisfied, a switch operation from the coalition  $C_n$  to  $C_{n'} \in \Psi \cup \{\emptyset\}$  is performed for the V2V link  $k$ . Otherwise, the count of the consecutive unsuccessful switch operations is increased by 1. The algorithm repeats the Steps 3 to 11 until num equals to the one that multiplies the number of the players by 10 [19]. Finally, the partition converges to the Nash-stable partition  $\Psi_{\text{fin}}$  through a finite number of switching.

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**Algorithm 1** Coalition formation algorithm for V2V partitioning

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- 1: Generate a random coalitional partition  $\Psi_{\text{ini}}$  for the V2V link set  $\Theta$  and the number of V2V links is  $K$ ;
  - 2: Set the current coalitional partition  $\Psi_{\text{cur}} = \Psi_{\text{ini}}$  and num = 0;
  - 3: **repeat**
  - 4: Uniformly and randomly choose a player  $k \in \Theta$ , and denote its current coalition as  $C_n \in \Psi_{\text{cur}}$ ;
  - 5: Uniformly and randomly choose another coalition  $C_{n'} \in \Psi_{\text{cur}} \cup \{\emptyset\}$  with  $C_{n'} \neq C_n$ ;
  - 6: **if** the preference order 1 is satisfied
  - 7:     **then** update the current partition set as  $\Psi_{\text{cur}}$  using (15),
  - 8:     and num = 0;
  - 9:     **else**
  - 10:     num = num + 1;
  - 11:     **end if**
  - 12: **until** num = 10K.
- 

### 3.2 FCU selection

For FCU selection, the coalitional game is further utilized to select an appropriate FCU for the V2V links in each group, while minimizing the interference power from the selected FCU to the V2V links. To improve the sum-rate of the V2V links, the eNB selects an appropriate FCU for each V2V coalition. Therefore, the interference from the selected FCU to the V2V coalition can be limited as small as possible. Then, the FCU selection problem can be written as (16), where constraint (17) sets the FCU selection indicator to be an integer 0 or 1, constraint (18) guarantees that the V2V links in each group can only reuse one FCU's RB and constraint (19) indicates that each FCU's RB can be reused by no more than one group.

$$\min_{\eta} \sum_{n \in \mathcal{E}} \sum_{k \in \Theta} \sum_{m \in \Omega_1} \eta_{k,n} \beta_{n,m} h_{m,k}^{\text{CV}} P_m^{\text{C}}, \quad (16)$$

$$\text{s.t. } \beta_{n,m} \in \{0, 1\}, \quad \forall n \in \mathcal{E}; m \in \Omega_1, \quad (17)$$

$$\sum_{m \in \Omega_1} \beta_{n,m} = 1, \quad \forall n \in \mathcal{E}; m \in \Omega_1, \quad (18)$$

$$\sum_{n \in \mathcal{E}} \beta_{n,m} \leq 1, \quad \forall n \in \mathcal{E}; m \in \Omega_1. \quad (19)$$

On the basis of the V2V link partitioning, the FCU selection problem can be modeled as a coalitional game with transferable utility, in which the appropriate FCUs are selected to join the coalitions of the V2V links.

The coalition partition for the FCUs is defined as  $\Phi = \{D_1, D_2, \dots, D_N, D_{N+1}\}$ , with  $\bigcup_{n=1}^{N+1} D_n = \mathcal{Q}$  and  $D_n \cap D_{n'} = \emptyset, \forall n, n' \in \{1, 2, \dots, N, N+1\}$ .  $D_n$  contains only one FCU selected by the V2V coalition  $C_n$  for  $n \in \mathcal{E}$  and  $D_{N+1}$  contains the rest FCUs that are not selected by any V2V coalition.

According to the game theory, the pair  $(\Theta, \hat{U})$  represents a coalitional game with transferable utility, where  $\Theta$  is the set of game players and  $\hat{U}$  is a utility function for every coalition  $D_n \subseteq \Phi$ , and  $\hat{U}(D_n)$  is a real number for quantifying the contributions of coalition  $D_n$ . The larger the value of the utility function is, the less the total interference from the selected FCU to the V2V group will be. Then, the utility function is defined as  $\hat{U}(D_n) =$

$$-\sum_{k \in \Theta} \sum_{m \in \Omega_1} \eta_{k,n} \beta_{n,m} h_{m,k}^{\text{CV}} P_m^{\text{C}}.$$

If the utility function brought by player  $m$  and  $m'$  respectively joining the coalition  $D_{n'}$  and  $D_n$  is greater than that generated by the player  $m$  and  $m'$  respectively joining the coalition  $D_n$  and  $D_{n'}$  with the increase of the total utility, the preference order 2 is given as

$$\hat{U}(D_n|_{\beta_{n,m}=1}) + \hat{U}(D_{n'}|_{\beta_{n',m}=1}) > \hat{U}(D_n|_{\beta_{n,m}=1}) + \hat{U}(D_{n'}|_{\beta_{n',m}=1}).$$

Given a coalitional partition  $\Phi = \{D_1, D_2, \dots, D_N, D_{N+1}\}$  of the FCUs, if preference order 2 holds, the switch operation 2 is given as

$$\Phi' = (\Phi \setminus \{D_n|_{\beta_{n,m}=1}, D_{n'}|_{\beta_{n',m}=1}\}) \cup \{D_n|_{\beta_{n,m}=1}, D_{n'}|_{\beta_{n',m}=1}\}. \quad (20)$$

Algorithm 2 describes the proposed coalition formation process of the FCU selection. During the coalition formation process, it is necessary to ensure that a coalition of the V2V links only allows one FCU to join in. The total utility of all the coalitions increases strictly monotonically with the increase of the switch operations. If a switching operation occurs under the preference order 2, the count of the consecutive unsuccessful switch operations num is set to be 0. Otherwise, num is increased by 1. When num is 10 times greater than  $M$ , the partition converges to the final Nash-stable partition  $\Phi_{\text{fin}}$ .

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**Algorithm 2** Coalition formation algorithm for reusable RB selection

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- 1: Randomly select an FCU for the V2V links of each coalition, and add the remaining FCUs to the auxiliary coalition  $D_{N+1}$ . Denote the randomly generated coalitional partition and the number of FCUs as  $\Phi_{\text{ini}}$  and  $M$ , respectively;
  - 2: Set the current coalitional partition  $\Phi_{\text{cur}} = \Phi_{\text{ini}}$  and num = 0;
  - 3: **repeat**
  - 4: Uniformly and randomly choose a player  $m \in \Omega$ , and denote its current coalition as  $D_n \in \Phi_{\text{cur}}$ ;
  - 5: Uniformly and randomly choose another coalition  $D_{n'} \in \Phi_{\text{cur}}$  with  $D_{n'} \neq D_n$ , and the player uniquely joining in this coalition is denoted as  $m' \in \Omega$  (if  $D_{n'}$  is the auxiliary coalition, we need to randomly select one from the other players);
  - 6: **if** the preference order 2 is satisfied
  - 7: **then** update the current partition set as  $\Phi_{\text{cur}}$  using (20),
  - 8: **and** num = 0;
  - 9: **else**
  - 10: num = num + 1;
  - 11: **end if**
  - 12: **until** num = 10M.
- 

#### 4. Power optimization based on SCA method

The coalitional game has been utilized to partition the V2V links and the appropriate FCU has been selected for the V2V links in each coalition. That is,  $\alpha$  is a discrete constant matrix after we have determined the RB allocation. According to the coalition conception  $C_n$  and  $D_n$  in

Section 3, we can rewrite  $\gamma_{k,m}(\mathbf{P}^V)$  as

$$\hat{\gamma}_{k,n}(\mathbf{P}^V) = \frac{P_k^V h_{k,k}^V}{\sum_{k' \in C_n \setminus \{k\}} P_{k'}^V h_{k',k}^V + \sum_{m \in D_n} P_m^C h_{m,k}^{CV} + \sigma^2}, \quad k \in \Theta; n \in \Xi.$$

We attempt to find the optimal power allocation for the V2V links and the power allocation problem (4) of the V2V links is further described as

$$\begin{aligned} \max_{\mathbf{P}^V} \quad & \sum_{n \in \Xi} \sum_{k \in C_n} \log_2(1 + \hat{\gamma}_{k,n}(\mathbf{P}^V)), \quad (21) \\ \text{s.t.} \quad & \sum_{k \in C_n} \sum_{m \in D_n} P_k^V h_{k,m}^{VC} \leq I_{\max}, \quad \forall m \in \Omega_1, \\ & 0 \leq P_k^V \leq P_{\max}^V, \quad \forall k \in \Theta. \quad (22) \end{aligned}$$

It is observed that the objective function of the problem (21) is a non-convex function for  $\mathbf{P}^V$ . We can take the SCA method to transform its objective function into a convex one. Let  $\tilde{P}_k^V = \ln P_k^V$  and define  $\tilde{\mathbf{P}}^V = (\tilde{P}_1^V, \tilde{P}_2^V, \dots, \tilde{P}_K^V)$ . Hence,  $\hat{\gamma}_{k,n}(\mathbf{P}^V)$  can be transformed to

$$\tilde{\gamma}_{k,n}(\tilde{\mathbf{P}}^V) = \frac{\exp(\tilde{P}_k^V) h_{k,k}^V}{\sum_{k' \in C_n \setminus \{k\}} \exp(\tilde{P}_{k'}^V) h_{k',k}^V + \sum_{m \in D_n} P_m^C h_{m,k}^{CV} + \sigma^2}, \quad k \in \Theta; n \in \Xi. \quad (23)$$

The lower bound of the objective function of the problem (21) is obtained by the following inequality:

$$\ln(1+x) \geq y_{k,n} \ln x + z_{k,n} \quad (24)$$

where the approximation matrix  $\mathbf{y} = \{y_{k,n}, k \in \Theta, n \in \Xi\}$  and  $\mathbf{z} = \{z_{k,n}, k \in \Theta, n \in \Xi\}$  are fixed for the V2V link  $k$  belonging to the coalition  $C_n$  and it is shown that this approximation is tight at  $x = \hat{\gamma}_{k,n}(\mathbf{P}^V)$  in [20].  $y_{k,n}$  and  $z_{k,n}$  are expressed respectively as follows:

$$y_{k,n} = \frac{\tilde{\gamma}_{k,n}(\tilde{\mathbf{P}}^V)}{1 + \tilde{\gamma}_{k,n}(\tilde{\mathbf{P}}^V)}, \quad (25)$$

$$z_{k,n} = \ln(1 + \tilde{\gamma}_{k,n}(\tilde{\mathbf{P}}^V)) - y_{k,n} \ln(\tilde{\gamma}_{k,n}(\tilde{\mathbf{P}}^V)). \quad (26)$$

The problem (21) can be rewritten as a standard concave maximization problem with unique optimal solution as

$$\max_{\mathbf{P}^V} \quad \frac{1}{\ln 2} \sum_{n \in \Xi} \sum_{k \in C_n} [y_{k,n} \ln \tilde{\gamma}_{k,n}(\tilde{\mathbf{P}}^V) + z_{k,n}], \quad (27)$$

$$\text{s.t.} \quad \sum_{k \in C_n} \sum_{m \in D_n} \exp(\tilde{P}_k^V) h_{k,m}^{VC} \leq I_{\max}, \quad m \in \Omega_1, \quad (28)$$

$$-\infty \leq \tilde{P}_k^V \leq \ln P_{\max}^V, \quad \forall k \in \Theta. \quad (29)$$

The Lagrangian dual theory [21] is employed to solve the problem (27). The Lagrangian function of (27) is

$$L(\tilde{\mathbf{P}}^V, \boldsymbol{\lambda}) = \frac{1}{\ln 2} \sum_{n \in \mathcal{E}} \sum_{k \in C_n} (y_{k,n} \ln(\gamma_{k,n}(\tilde{\mathbf{P}}^V)) + z_{k,n}) - \sum_{n \in \mathcal{E}} \lambda_n \left( \sum_{k \in C_n} \sum_{m \in D_n} \exp(\tilde{P}_k^V) h_{k,m}^{VC} - I_{\max} \right) \quad (30)$$

where the component of the vector  $\boldsymbol{\lambda} = (\lambda_1, \lambda_2, \dots, \lambda_N) \geq 0$  is dual variable.

Then, the dual function becomes

$$D(\boldsymbol{\lambda}) = \max_{\tilde{\mathbf{P}}^V} L(\tilde{\mathbf{P}}^V, \boldsymbol{\lambda}) \quad \text{s.t.} \quad -\infty \leq \tilde{P}_k^V \leq \ln P_{\max}^V, \quad \forall k \in \Theta. \quad (31)$$

The dual problem of (27) can be denoted as  $\min_{\lambda \geq 0} D(\boldsymbol{\lambda})$  and solved by the sub-gradient iterative algorithm and the Lagrangian variable vector  $\boldsymbol{\lambda}$  can be updated by the sub-gradient method as

$$\lambda_n(t+1) = \left[ \lambda_n(t) + \tau_n \left( \sum_{k \in C_n} \sum_{m \in D_n} \exp(P_k^V(t)) h_{k,m}^{VC} - I_{\max} \right) \right]^+ \quad (32)$$

$$\tilde{P}_k^V(t+1) = \left[ \ln y_{k,n}(t) - \ln \left( \sum_{k' \in C_n \setminus \{k\}} \frac{y_{k',n}(t) \gamma_{k',n}(\tilde{\mathbf{P}}^V(t)) h_{k,k'}^V}{\exp(\tilde{P}_{k'}^V(t)) h_{k',k'}^V} + \ln 2 \lambda_n(t) h_{k,m}^{VC} \right) \right]_{-\infty}^{\ln P_{\max}^V} \quad (35)$$

The detailed process of the power allocation algorithm based on the SCA method is shown in Algorithm 3. Firstly, we set the maximum iteration number, initiate the iteration, and give the initial value of the power vector  $\tilde{\mathbf{P}}^V$ . Then, the approximation values of  $y_{k,n}(t)$  and  $z_{k,n}(t)$  are calculated based on  $\tilde{\mathbf{P}}^V$ .  $\boldsymbol{\lambda}$  and  $\tilde{\mathbf{P}}^V$  are updated according to (32) and (35), respectively, and the iteration number is increased by 1. Finally, the algorithm repeats from Step 3 to Step 6 until  $\tilde{\mathbf{P}}^V$  and  $\boldsymbol{\lambda}$  converge to the optimal solution  $\tilde{\mathbf{P}}^{V*}$  and  $\boldsymbol{\lambda}^*$  at the same time, or the iteration number reaches the maximum iteration number.

**Algorithm 3** Power allocation algorithm based on SCA method

- 1: Initialize the maximum iteration number  $T$ , and set the initial iteration number  $t = 1$ .
- 2: Give an initial feasible value as  $\tilde{\mathbf{P}}^V = \tilde{\mathbf{P}}^0$ .
- 3: **repeat**
- 4: Calculate  $\tilde{y}_{k,n}^{(t)}(\tilde{\mathbf{P}}^V)$ ,  $y_{k,n}^{(t)}$  and  $z_{k,n}^{(t)}$  by (23), (25) and (26) respectively.
- 5: Update  $\boldsymbol{\lambda}$  and  $\mathbf{P}^V$  using (32) and (35), respectively.
- 6: Update iteration number  $t = t + 1$ .
- 7: **until** the iteration number  $t = T$ .

## 5. Convergence and complexity analysis

In Section 3 and Section 4, three algorithms are proposed to achieve the RB allocation and power optimization.

where  $\tau_n > 0$  is a sufficiently small step size,  $t$  is the iteration number and  $[\cdot]^+ = \max\{0, \cdot\}$ .

We have constructed a concave function with the same function value and the same gradient which can be solved by setting the partial derivation of  $L(\tilde{\mathbf{P}}^V, \boldsymbol{\lambda})$  to be 0 as

$$\frac{\partial L(\tilde{\mathbf{P}}^V, \boldsymbol{\lambda})}{\partial \tilde{P}_k^V} = 0. \quad (33)$$

Then, the optimal solution of the concave function can be derived as

$$\tilde{P}_k^V = \ln y_{k,n} - \ln \left( \ln 2 \lambda_n(t) h_{k,m}^{VC} + \sum_{k' \in C_n \setminus \{k\}} \frac{y_{k',n} \gamma_{k',n}(\tilde{\mathbf{P}}^V(t)) h_{k,k'}^V}{\exp(\tilde{P}_{k'}^V) h_{k',k'}^V} \right). \quad (34)$$

Based on [20], with the application of the SCA method and under the constraint of (29), the transmit power of the V2V link  $k$  can be updated according to (35) with  $k \in \Theta$ ,  $n \in \mathcal{E}$  and  $[x]_a^b = \min\{\max\{x, a\}, b\}$ .

And in this section, we will analyze the convergence and complexity of the proposed Algorithms 1, 2 and 3.

### 5.1 Convergence analysis

The final partition of Algorithm 1 and Algorithm 2 are both Nash-stable. Taking Algorithm 1 as an example, we prove its stability by contradiction. We assume that the finally formulated coalition partition  $\Psi_{\text{fin}}$  of Algorithm 1 is not Nash-stable. In other words, there exists a V2V link  $k \in C_n$  and another coalition  $C_{n'}$  that satisfies  $U(C_{n'}) + U(C_n \setminus \{k\}) > U(C_{n'} \setminus \{k\}) + U(C_n)$ . Consequently, the D2D pair will leave its current coalition  $C_n$  and join the new coalition  $C_{n'}$ , which means that  $\Psi_{\text{fin}}$  will be updated and it is not the final partition. Thus, we can prove that the final partition  $\Psi_{\text{fin}}$  of the proposed coalition formation algorithm is Nash-stable. In addition, [19] indicates that the maximum iteration number  $10K$  can get a near-optimal solution.

Based on the SCA method, Algorithm 3 is an iterative algorithm. And in each iteration, we build a concave function (27) which has the same value and gradient as (21) at the solution point  $\mathbf{P}^V$  that is obtained in the last iteration. Hence, the value of the objective function is increased in each iteration, and it is upper bounded with a given transmit power constraint. Thus, Algorithm 3 can be proved convergence [22].

### 5.2 Complexity analysis

In each iteration of Algorithm 1, the selected V2V link

calculates the total utility of the current coalition and another possible coalition, respectively. Then, it makes a decision on whether to perform a switch operation or not. Thus, there is at most one switch operation to be considered in each iteration, and the complexity lies in the number of iterations. According to the above analysis, complexity of Algorithm 1 can be approximated as  $O(10K)$ . Similarly, the complexity of Algorithm 2 is approximated as  $O(10M)$  [19].

As for Algorithm 3, the complexity of Step 4 and Step 5 can be calculated as  $O(3KN)$  and  $O(N+K)$  in each iteration. Then, the complexity of Algorithm 3 is  $O(T(3KN+N+K))$ .

Since the three algorithms operate only once, the total complexity is approximated as  $O(T(3KN+N+K)+10K+10M)$ .

## 6. Numerical results

In this section, we evaluate the effectiveness of the proposed resource allocation scheme in the D2D-enabled V2V communication. We assume that a multi-line free-way passes through a single cell and the eNB is located at the center of the cell as shown in Fig. 1. Vehicles are dropped onto each lane according to the spatial Poisson process, and the vehicle density on each lane is determined by the speed [23].  $K$  vehicles are randomly chosen from the generated vehicles as V2V transmitters, and the V2V receivers are selected from the nearest vehicle users corresponding to the V2V transmitters. The main system parameters in the simulation are listed in Table 2 and Table 3, respectively.

Table 2 Channel model parameters

Parameter	V2V link	Other links (except V2V links)
Pathloss model	LOS in WINNER + B1 [24]	$128.1 + 37.6 \log_{10} d$ , $d$ in km
Shadowing distribution	Log-normal	Log-normal
Shadowing standard deviation( $\zeta$ )/dB	3	8

Table 3 System parameters

Parameter	Value
Cellular coverage/m	500
The eNB's height/m	25
Distance from the highway to eNB/m	35
Number of lanes	6 lanes in two directions
Lane width/m	4
Vehicle drop model	Spatial Poisson process
Vehicle and CU antenna height/m	1.5
Absolute vehicle speed/(km/h)	60 – 120
Average inter-vehicle distance/m	$2.5v$ , $v$ in m/s
Carrier frequency/GHz	2
Bandwidth/MHz	10
Vehicle antenna gain/dBi	3
eNB antenna gain/dBi	8
Vehicle receiver noise figure/dB	9
eNB receiver noise figure/dB	9
CU SINR threshold ( $\gamma_0$ )/dB	6 – 18
Maximum V2V transmit power ( $P_{\max}^V$ )/mW	200
Maximum CU transmit power ( $P_{\max}^C$ )/mW	200
Noise power ( $\sigma^2$ )/mW	$10^{-10}$
The number of CUs	60

Fig. 2 and Fig. 3 show the total utility function versus the iteration number in Algorithm 1 and Algorithm 2, res-

pectively, under the condition of  $v = 100$  km/s,  $\gamma_0 = 6$  dB, and  $I_{\max} = 10^{-10}$  mW. In the simulation, there are 36 V2V



links divided into four coalitions, where the number of the FCU, which can be determined by the requirement of  $\gamma_0$ , is 37. We can see that the total utility is monotonous with the increase of the iteration for both Algorithm 1 and Algorithm 2. In Fig. 2, the total utility reaches its maximum number after the 635th iteration. When the count of the consecutive unsuccessful switch operations num is 360, Algorithm 1 stops at the 994th iteration. Similarly, the total utility reaches its maximum number after the 249th iteration and when the count of the consecutive unsuccessful switch operations num is 370, Algorithm 2 stops at the 618th iteration, as Fig. 3 shows. It is seen from Fig. 2 and Fig. 3, both algorithms will converge quickly in the early stage, which reflects the fast convergence of the two algorithms.

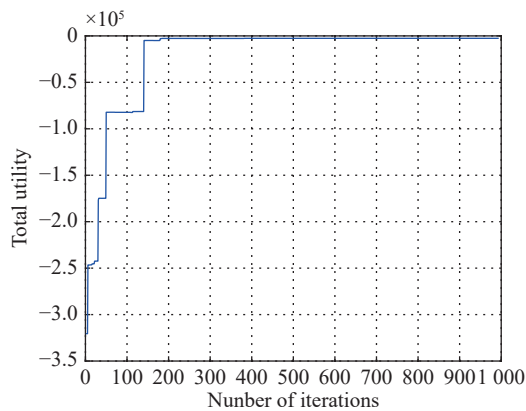


Fig. 2 Total utility of Algorithm 1

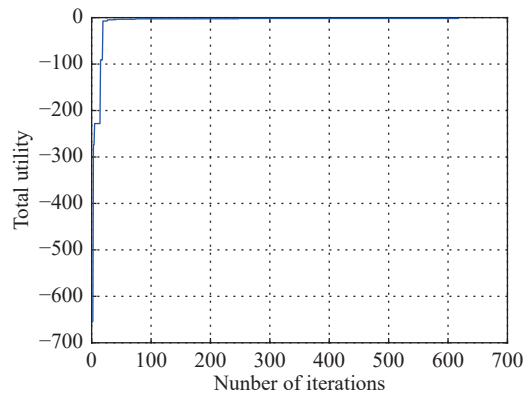


Fig. 3 Total utility of Algorithm 2

Under the condition of  $v = 100$  km/s,  $\gamma_0 = 6$  dB, and  $I_{\max} = 10^{-10}$  mW, the cumulative distribution function (CDF) of the number of switch operations for Algorithm 1 and Algorithm 2 are shown in Fig. 4 and Fig. 5, respectively, which demonstrates the convergence of the proposed coalition formation algorithms. For  $N = 4$  and  $K = 12$ , with Monte Carlo simulations, the coalition for-

mation algorithms for the V2V partitioning and FCU selection can achieve the optimal solution within 28 and 20 switch operations, respectively. For the combination of  $N = 6$ ,  $K = 18$ , and  $N = 8$ ,  $K = 24$  as well as  $N = 10$ ,  $K = 30$ , the two algorithms can converge to the Nash-stable partition through a finite number of switching. In addition, with the increase of the coalition number, the number of the combinations formed by the V2V links and FCUs increases, so does the number of the iterations converging to the Nash-stable partition. From Fig. 4 and Fig. 5, the two algorithms will reach the optimal solution within 70 and 35 switch operations, respectively, for all the four cases.

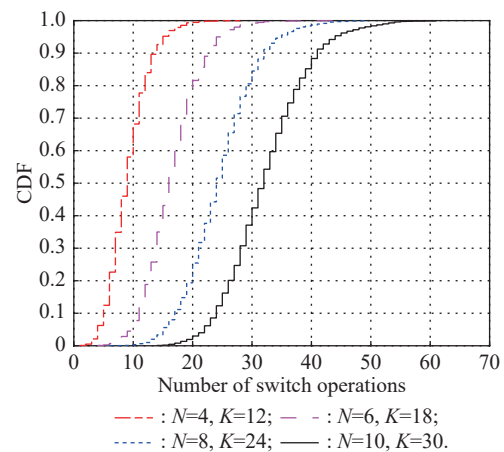


Fig. 4 Convergence of Algorithm 1

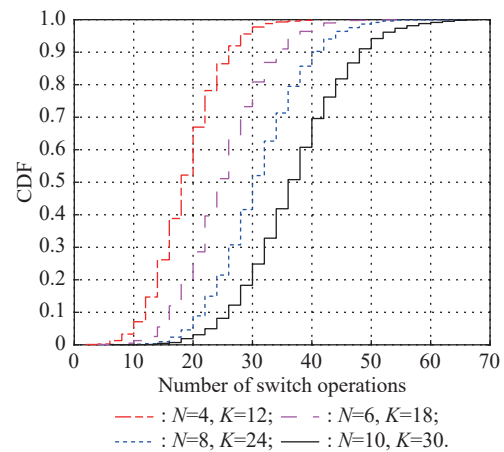


Fig. 5 Convergence of Algorithm 2

Fig. 6 shows the convergence of the Lagrange multipliers of the proposed power allocation scheme. In the simulation, the Lagrange multipliers are associated with the aggregated interference constraints of the selected FCUs in order to satisfy the QoS of FCUs. During the first 20 iterations, the Lagrangian multipliers are quickly updated and the five Lagrange multipliers finally converge to a

stable value after 147 iterations in Fig. 6, which illustrates that the  $\tilde{\mathbf{P}}^V$  and  $\lambda$  can converge to the optimal solution  $\tilde{\mathbf{P}}^{V*}$  and  $\lambda^*$  through a finite number of iterations for the proposed power allocation scheme. Note that Fig. 6 just shows one random simulation, the convergence performance of Algorithm 3 depends on the initial value of  $\tilde{\mathbf{P}}^0$  and the sufficiently small step size  $\tau_n$ . In addition, the proposed scheme also converges quickly in the early stage.

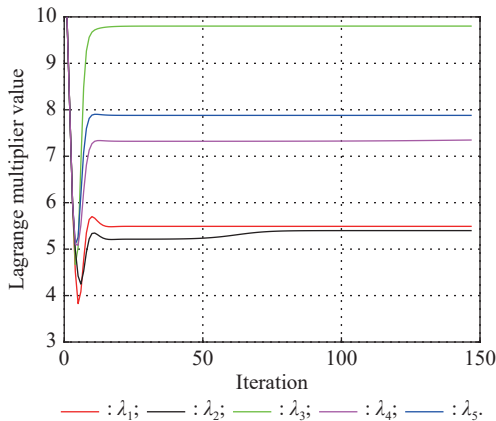


Fig. 6 Convergence of Lagrange multipliers

The sum-rate of the V2V links versus the total number of the V2V links  $K$  and V2V groups  $N$  is shown in Fig. 7. Under the condition of  $v = 100$  km/h,  $\gamma_0 = 6$  dB and  $I_{\max} = 10^{-10}$  mW, we can observe that the sum-rate of the V2V links is increasing with the increase of  $K$  for fixed  $N$ , but the growth rate of the sum-rate gradually reduces. That is because, the increase of the V2V links will absolutely improve the sum-rate of the V2V links, but also increases the interference power among the V2V links and the FCU links which limits the growth rate of the sum-rate. For fixed  $K$ , the sum-rate of the V2V links also increases with  $N$ , because the more groups the V2V links are divided into, the lower interference power the V2V links will get.

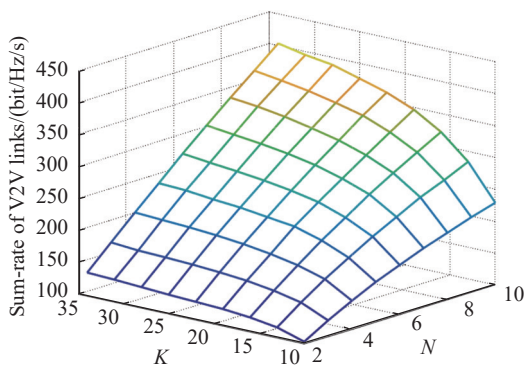


Fig. 7 Sum-rate of V2V links versus  $K$  and  $N$ , with  $v=100$  km/h,  $\gamma_0=6$  dB, and  $I_{\max}=10^{-10}$  mW

Fig. 8 demonstrates the sum-rate of the V2V links versus the interference power threshold of FCUs with  $v = 100$  km/h and  $\gamma_0 = 6$  dB. We find that the sum-rate of the V2V links increases with the interference power threshold of the FCUs for the four cases, because the V2V links are permitted to communicate with larger power when the interference power threshold of the FCUs increases. Additionally, Fig. 8 also verifies that the sum-rate of the V2V links increases with the number of the groups for the fixed number of the V2V links, and also increases with the number of the V2V links if the number of the groups is fixed. For example, when  $I_{\max} = 3 \times 10^{-10}$  mW and  $K = 36$ , the sum-rate of the V2V links for  $N = 5$  is about 30 bit/Hz/s higher than that for  $N = 4$ .

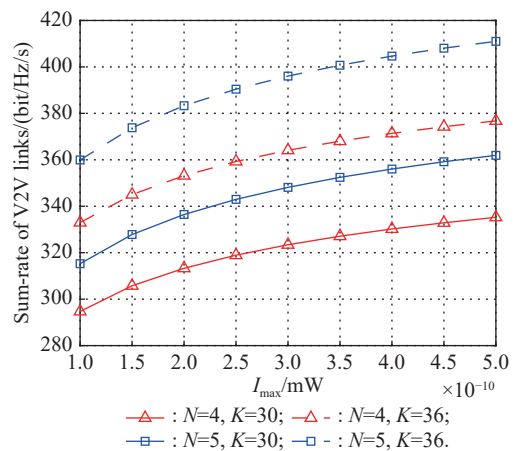


Fig. 8 Sum-rate of V2V links versus the interference power threshold of FCUs, with  $v=100$  km/h, and  $\gamma_0=6$  dB

In the case of  $K = 36$ ,  $v = 100$  km/h,  $\gamma_0 = 6$  dB and  $I_{\max} = 10^{-10}$  mW, we compare the sum-rate of the proposed resource allocation scheme with the other two schemes, scheme A and scheme B in Fig. 9. Scheme A adopts the random V2V partitioning policy and the same resource allocation as the proposed scheme, while scheme B utilizes the random RB assignment policy for the V2V links in each coalition and the same policy of V2V partitioning and power allocation as the proposed scheme. It shows that the proposed scheme obviously outperforms scheme A and scheme B. In addition, we find that the gap between the proposed scheme and scheme A first increases and then decreases. When the number of the V2V links in each group is large enough, both schemes cannot avoid strong interference of the V2V links. For  $N = 12$ , scheme A and scheme B have almost the same sum-rate of the V2V links. When the number of the V2V links at each group is small enough, the V2V links may have less mutual interference for both schemes. Therefore, it is indicated that selecting the appropriate number of the groups according to the num-

ber of the V2V links is particularly important to improve the performance of the V2V links.

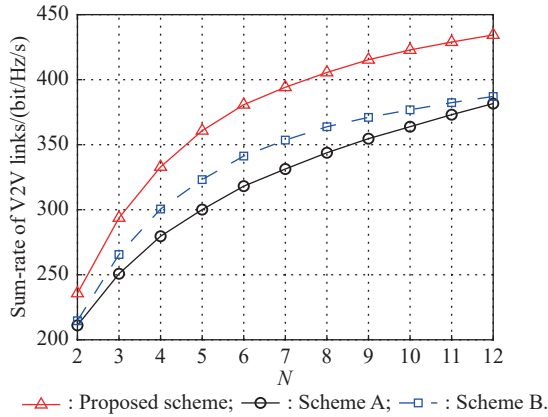


Fig. 9 Sum-rate of V2V links versus  $N$ , with  $K=36$ ,  $v=100$  km/h,  $\gamma_0=6$  dB and  $I_{\max}=10^{-10}$  mW

Fig. 10 demonstrates the impact of the vehicle speed on the sum-rate of the V2V links under the condition of  $K=30$ ,  $N=4$ , and  $I_{\max}=10^{-10}$  mW. In the simulation, the inter-vehicle distance increases as the vehicle speed increases. The channel gain of the V2V links decrease with the increase of the average inter-vehicle distance, therefore, the sum-rate of the V2V links decays as the vehicle speed increases. Furthermore, it is shown that the sum-rate of the V2V links decreases as the SINR threshold  $\gamma_0$  grows from 6 dB to 18 dB. According to [1], for the fixed maximum interference power  $I_{\max}$ , the transmit power of the FCUs increases with the increase of  $\gamma_0$ . Meanwhile, increasing the transmit power of the FCUs will enhance the interference from the FCU links to the V2V links. In another words, we can get higher sum-rate with smaller  $\gamma_0$ . Moreover, if  $\gamma_0$  becomes too large, we cannot find enough FCUs to share the RBs with the V2V link. However,  $\gamma_0$  could not be too small considering the QoS of the FCU links.

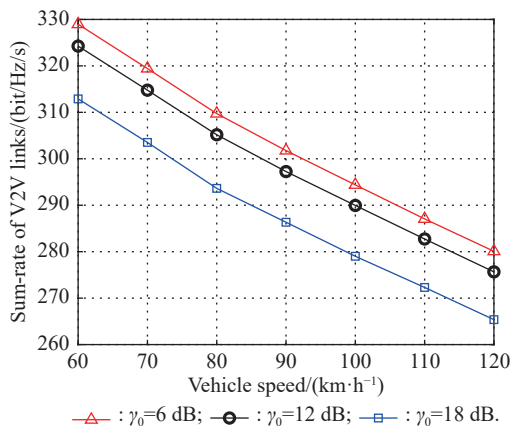


Fig. 10 Sum-rate of V2V links versus the vehicle speed, with  $K=30$ ,  $N=4$ , and  $I_{\max}=10^{-10}$  mW

## 7. Conclusions

In this paper, to facilitate the interference management, we propose an optimization of the resource allocation in D2D-enabled V2V communication from the perspective of the V2V partitioning. Two coalition formation algorithms have been presented to divide the V2V link coalitions and select the appropriate FCU to share its RB for the V2V links in each group, respectively, which ensures the minimum mutual interference among the V2V links and the FCU uplinks. The power optimization problem is solved by SCA method and Lagrangian duality theory. Numerical results show that the proposed algorithm converges to the optimal solution through a finite number of iterations and achieve an obviously superior performance compared with the other random allocation schemes in terms of the sum-rate of the V2V links.

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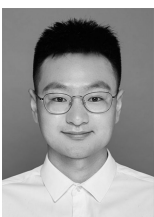
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