Benchmarking the Effect of Poisoning Defenses on the Security and Bias of Deep Learning Models

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I. INTRODUCTION

Machine learning (ML) is used in numerous critical applications including healthcare, finance, and the Internet-of-Things. However, the sensitivity of these applications also motivates a need to develop secure ML algorithms to avoid safety and security incidents. In particular, *adversarial poisoning attacks* on machine learning has received significant attention [1]. In a poisoning attack, an attacker modifies a portion of the training data to influence and/or degrade the performance of the trained model. Often, the goal is to encode a backdoor in a few training samples, which the attacker can later trigger at inference time. Despite the presence of poisoned training samples, the overall performance on benign (i.e., non-trigger) inputs is often satisfactory, thus avoiding suspicion that the model has been poisoned. However, when a sample appears containing a backdoor trigger (e.g., image patch), the desired erroneous behavior occurs (e.g., a targeted misclassification).

To mitigate the effect of adversarial poisoning, a variety of defense techniques have been proposed: flagging the data

Fig. 1: Sample images in the GTSRB dataset with naturally occurring sub-populations. Here, the (a) speed limit and (b) pedestrian crossing signs appear to be different subpopulations due to differences in brightness.

that is "suspicious" [2], [3], segmenting training data using model ensembles [4], [5], abstaining from predicting [6], or by manipulating the training data before feeding it to the training process to neutralize potential malicious modifications [7]– [10]. An ideal defense would fully mitigate or remove the effect of poisoning *without any undesirable side-effects*.

The side-effects of adversarial poisoning defenses have not been studied by prior works. Prior work primarily focuses on reducing the poisoning attack success rate while maintaining accuracy on benign samples. Although both of these metrics are useful in evaluating the quality of a prospective defense, they do not provide a complete picture of the final "defended" model's behavior. For example, we find most filtering defenses remove a consistent fraction of the training data regardless of whether the removed samples are poisonous. In general, as poisoned samples are a small subset of the training data containing a unique set of features, i.e. the trigger, we hypothesize that prior defenses appeared effective as they (possibly unintentionally) mitigated the influence of outlier features. However, outliers are frequently under-represented *benign* subpopulations that occur naturally in the data and can be harmed by outlier mitigation techniques, which may result in potential decision bias against benign samples. One such example is Figure 1 where the difference in brightness can create a subpopulation that may potentially be marked as poison.

In this paper, we study the side-effects of existing poisoning

defenses and show many defenses are non-ideal as they negatively affect the decision fairness of the defended model on under-represented benign sub-populations. We benchmark existing defenses against multiple poisoning attacks using traditional security metrics and a fairness metric that measures the side-effects of prospective defenses on the model's decision. Borrowing from fairness literature, we use the *statistical parity difference (SPD)* [11] to measure the effect a defense has on *minority* sub-populations in the data (e.g., images with higher brightness compared to the rest of the dataset). Our extensive experimental results shed new light on the effects that existing poisoning defenses have on decision fairness.

II. BACKGROUND

A. Poisoning Attacks

Poisoning attacks manipulate a small percentage of the data used during training to achieve some adversarial goal, often backdoor injection. They can be broadly classified into *dirty label* and *clean label* attacks. In dirty label attacks [12], [13], the adversary's goal is to induce a misclassification into a target class through use of a backdoor trigger. The adversary generates a trigger (e.g. image patch) and poisons a percentage of the training data by adding the trigger, $X_p \subseteq X$, as well as modifying the labels of those samples, $Y_p \subset Y$, to the target class. At inference time, the adversary adds the trigger to induce the backdoor behavior, targeted misclassification. The attack is designed so that when the backdoor is not present, the model behaves normally.

In contrast to dirty label attacks, clean label attacks do not modify the labels and rely on more inconspicuous modifications. As poisoned inputs appear consistent with their labels, human inspection is unlikely to detect the attack. A large variety of clean label attacks have been proposed in literature [14]. Two distinct attacks are the original *Clean Label Backdoor Attack (CLBD)* [15] and *Witches' Brew* (also known as *Gradient Matching*) [16]. These attacks often solve optimization problems to generate poison images close to the original without changing the labels which inject the backdoor to the model if used for training. For example, a crafted cat image still looks like a cat to a human, but the model sees the image as if it is a truck in terms of features or training gradients. The CLBD attack leverages a GAN and adversarial example approach to generate poison images while ensuring the perturbation is bounded [15]. In Witches' Brew, the attacker chooses one or few images in the test data as *trigger images* and aims to make the model classify them as the target class(es). This attack applies bounded perturbations to the poison data by aligning the training gradient of the poison data with the correct labels, and that of the trigger samples with the target labels, using a surrogate model [16].

B. Poisoning Defenses

To mitigate poisoning attacks, multiple defenses have been proposed. We provide a high-level overview of the specific defenses that we chose to evaluate.

Activation Defense [2] is a filtering-based defense, which analyzes the training set and filters out samples that are deemed "too different" with respect to the rest of the data. After training, the data is passed again through the model and the last layer activations are recorded and clustered. Samples associated with either small or isolated clusters are removed from the training set. In our evaluation, potentially poisonous data was marked based on the smallest activation cluster(s).

Spectral Signatures [3] is a filtering-based defense where the activations of the network for each training sample are analyzed using singular value decomposition (SVD). Samples with unusual SVD are removed from the training set. This defense has an additional hyperparameter to define how much poison is expected to be in the training data. In our evaluation, we use the best case scenario where the expected poisoning hyperparameter exactly matches the true poisoning percentage.

Deep Partition Aggregation (DPA) [4] is an ensemblebased defense that creates multiple weak classifiers and performs inference by voting. The training samples are split in k disjoint partitions $P_1, ..., P_k$ and each partition P_i is used to train a different model to create an ensemble. During inference, the models are ensembled and a prediction is made based on a majority vote.

Finite Aggregation [5] is an extension of DPA and includes two hyper-parameters to guide the ensembling process, k and d. They are defined as the inverse sensitivity and the spreading factor, respectively. The defense partitions the training dataset into kd disjoint partitions and each data partition is assigned to d of the kd submodels in the partition. The kd submodels models are trained on their assigned partitions. During inference, a prediction is made based on a majority vote.

Inverse Self-Paced Learning (ISPL) [17] is a filtering defense that relies on identifying "compatible or homogeneous sets" in the training data. The defense uses the notion of "selfexpanding sets" and proposes an iterative approach, which results in groups of homogeneous sets, i.e., all samples in the set belong to the primary or noisy distribution. In their scenario, the noisy distribution, which is assumed to be the minority, contains the poisoned data. Once the data has been segmented, a model is trained on each partition to classify data from all of the other partitions. Using a majority voting scheme based on the misclassification rate on the other partitions, the primary and poison distributions can be identified.

Adversarial Training [18] is used as a defense against evasion attacks, but has been used in some works as a poisoning defense [19]. In this defense, adversarial inputs are generated on-the-fly using an evasion attack to improve the model's generalization performance on the adversarial distribution. In our evaluation, we use the Projected Gradient Descent (PGD) attack, as is traditional, with the same hyperparemeters as when it was used as a poisoning defense for consistency.

Data Augmentation techniques such as Mixup [7], Cutout [8], and CutMix [9] use synthetically created data to improve the model's generalization. Maxup [10] applies a set of these data augmentation techniques multiple times and selects the worst-case input for training to further improve generalization.

As existing poisoning attacks relied on precise and sometimes large input manipulations, random data augmentation can introduce variability that the attacks are not prepared to address. One work proposes this approach, using Maxup with Cutout, as a poisoning defense [20].

III. EVALUATING POISONING DEFENSES

To evaluate poisoning defenses, we perform two assessments: (1) a security assessment and (2) a fairness assessment. The security assessment uses security and accuracy metrics to measure the performance of the final model after applying the respective poisoning defense. The fairness assessment uses model quality metrics to determine if any side-effects have occurred from the poison defense in making the model biased towards certain sub-populations.

A. Security and Accuracy Metrics

Traditionally, poison defenses are evaluated by their performance in terms of the clean accuracy and final attack success rate. The clean accuracy (also known as benign accuracy) is the accuracy of the model evaluated on the test set with no poisoned samples. The attack success rate is the percentage of poisoned samples in the test set that were successfully misclassified. We use both of these metrics in our evaluations.

B. Model Quality Metrics

Ideally, a poison defense should not have any undesirable side-effects outside of mitigating the effect of poison. Most of the poison defenses attempt to find poisoned samples by identifying a subset of the training data containing a unique set of features. This subset is usually an outlier and can be referred to as a poisonous sub-population. Typically, a sub-population within a class may include samples collected under specific conditions (e.g., weather or lighting), a particularly underrepresented sample (e.g., very uncommon type of airplane), or an under-represented minority (e.g., elderly population). Examples of these are shown in Figure 2. Many adversarial poisoning defenses attempt to find poisoned samples by searching for sub-populations that are different from the rest of the samples in the class. However, it is possible for naturally occurring low-represented benign sub-populations to be falsely identified in this process. This can hinder the overall model quality and cause it to be biased. In different samples, we observed difference in properties like brightness, contrast, blurriness, zoom-in, or zoom-out can create sub-populations that may be potentially marked as poison.

In this paper, in conjunction with the traditional security metrics, we also adapt an existing fairness metric, to help determine what effect various defenses have on different benign sub-populations in the dataset. Ideally, applying a defense should not result in a model that incorrectly predicts benign inputs coming from sub-populations. Samples in these subpopulations are typically uncommon or "difficult" to predict. This allows us to measure the model quality in terms of fairness and bias against sub-populations.

Fig. 2: Examples of different sub-populations that can occur under specific conditions.

We adapt a well-known fairness metric, statistical parity difference (SPD) [11], to determine how a particular defense treats benign samples from different sub-populations. SPD originally measured social biases by computing the difference in the ratio of favorable outcomes between privileged and unpriviledged groups. These groups are typically based on *sensitive attributes* such as race, gender, and age [21], [22].

We want to measure changes in *sub-population misclassification rates* after applying a defense, *even* when a dataset does not contain sensitive attributes to split samples into groups. Rather than splitting solely based on a sensitive attribute, we note that there are multiple ways to identify benign subpopulations within a class as shown in Figure 2. One approach is to segment benign samples using *contextual data collection information* such as the time of the day when samples where collected or lightning conditions in a way that one benign subpopulation contains all daytime observations while the other night time samples. Other ways include selecting samples that are not well represented in the dataset (e.g., planes that only land on water) or using sensitive attributes as defined in the fairness literature [21] (e.g., younger vs. older). For natural language, sub-populations may be defined by different dialects, and in audio by the tone or pitch. We highlight a method to identify such sub-populations in the following section where we use datasets without sensitive attributes.

Based on these observations, we can apply SPD for a variety of use cases and modalities even when sensitive attributes do not exist in the training data. Let us denote a feature set by X , the corresponding label set by Y and the cardinality by $|\cdot|$. Given a class $y \in Y$, two populations within this class $P_1 :=$ (X_1, Y_1) and $P_2 := (X_2, Y_2)$ consisting of solely *benign data samples* and a model $M : X \rightarrow Y$ trained with a defense, the corresponding SPD for this given class $y \in Y$ can be computed as follows:

$$
SPD = \frac{|\{(x,y)\in P_1:\mathcal{M}(x)=y\}|}{|P_1|} - \frac{|\{(x,y)\in P_2:\mathcal{M}(x)=y\}|}{|P_2|}
$$
 (1)

We interpret the above metric based on the range of the value following standard conventions¹:

- $|SPD| \leq 0.1$: An acceptable range, where none of the populations is disproportionately misclassified compared to the other. We refer to this as a fair outcome.
- $SPD < -0.1$: An unfair outcome where the evaluated model is biased towards P_2 .
- $SPD > 0.1$: An unfair outcome where the evaluated model is biased towards P_1 .

Ideally, applying a defense should not disproportionately reduce the model performance for a particular benign population. Hence, $|SPD| \leq 0.1$ is desirable. Clearly, applying a defense should not exacerbate the misclassification rate of these types of benign sub-populations.

IV. EXPERIMENTAL SETUP

A. Attacks and Defenses

We evaluate the seven popular defenses presented in Section II under multiple poisoning attacks. We also use a modified combination defense where we apply both Data Augmentation and Adversarial Training $(D.A. + A.T.)$, which is expected to mitigate the drop in clean accuracy when doing adversarial training alone. Specifically, we apply CutMix to augment the data and perform adversarial training on a fraction of the data; for our experiments we choose 75% as the hyperparameter.

For our main set of experiments, we evaluate each of these defenses using the MicronNet model [23] trained on the GTSRB dataset [24]. We use the same selection of hyperparameters as the MicronNet paper which involves training for 30 epochs using the SGD optimizer. We test against a dirtylabel backdoor attack [12] (DLBD) and a clean-label backdoor attack [15] (CLBD). Under both attacks, only samples from one of the classes (the target class) are poisoned. To fully understand the effect that an adversary may have over the model, we vary the percentage of poison for each defense. For DLBD, we use 0%, 1%, 5%, 10%, 20%, and 30% poison. For CLBD, we use 0%, 20%, 50%, and 80% poison. Note that this poison is only applied to the target class.

In addition, for both of these attacks, we used two different triggers: the *bullet hole* and the *peace sign*. These triggers are shown in Figure 3. We generate poison samples by blending the trigger image with a portion of each target image. This was done using the Adversarial Robustness Toolbox [25]. For the GTSRB dataset, we position the trigger in the center of the image and use a blend factor of 0.6 for both triggers.

Fig. 3: Poisoning attack triggers for the (a) bullet hole and (b) peace sign used for the GTSRB dataset.

¹These thresholds are used by the AI Fairness 360 framework tutorials https://aif360.mybluemix.net

We only present evaluations using the default hyperparameters for each defense in Section II. For additional evaluations with different hyperparameters, refer to Appendix A. To further test generalizability, we also evaluate using the CIFAR-10 dataset [26] against the DLBD [12] and Witches' Brew [16] attacks. Refer to Appendix B for these results. All experiments were run using the Armory framework [27].

B. Baselines

We compare the performance of these defenses to a variety of baselines to understand their effect on the security and fairness metrics. As baselines, we use the following models.

- 1) *Undefended:* The model is poisoned and no corrective measure is applied, creating a worst case scenario.
- 2) *Perfect filter:* This is an oracle filtering defense that fully removes the poisoned data from the training set. This is the best case scenario.
- 3) *Random filter:* This baseline randomly removes a fixed percentage of the data (10% in our case), comparing to simply removing some data with popular defenses.

C. Sub-population Generation

To determine sub-populations within the benign training data, we use an explanatory model called BEAN regularization [28]. Then, given a test set, for each sample within a class, the explanatory model predicts whether the input sample belongs to a well-represented group (population 1) or outof-distribution group (population 2). This labeling process is performed on each class in the dataset and fed to the SPD metric previously defined in (1). The BEAN model allows for semantic interpretability due to its layer-wise regularization rules that are biologically motivated. By applying these learning constraints which adjust the weight space (enforcing modularity), BEAN ultimately allows sparsifying connections to disentangle learned concepts into distinct groups. Our qualitative tests reproduced this same behavior on multiple datasets (including GTSRB and CIFAR-10) and architectures.

While the original paper tests BEAN for better generalization and zero-shot learning, in this study, we leveraged the trait of explanatory data characterization in detecting out-ofdistribution sub-populations within a single "learned" class of the pre-trained BEAN model. The pre-trained BEAN model uses the same architecture as the undefended model, but solely for the purpose of evaluating the defense model behavior on non-poisoned inputs only.

V. BENCHMARKING POISONING DEFENSES

We now present the results for the **three** baselines and eight defenses we evaluated. Every baseline or defense, except Finite Aggregation, was evaluated for a total of three trials². We report the average metrics among all trials.

 2 For Finite Aggregation, we only ran one trial as it requires training a large number of models (e.g., with the default parameters of $k = 50$, $d = 10$, 500 models MicronNet models need to be trained), requiring 3 days to run a single experiment using a 32GB V100 GPU under GTSRB.

Fig. 4: The clean accuracy (top) and attack success rate (bottom) for the baselines and defenses across varied poison. Each model is evaluated against the DLBD and CLBD attacks using the bullet hole and peace sign triggers on the GTSRB dataset.

A. Security Assessment

We first evaluate the clean accuracy and attack success rate for the baselines and defenses. In Figure 4, we report these metrics across the varying poisoning percentages for the two attacks using the bullet holes and peace sign triggers. We omit 0% poison for the attack success rate plots. We also include tables showing the exact numbers in Appendix C.

We first notice that there is no clear correlation between poison percentage and clean accuracy for either attack type or trigger. We do observe, however, that most of the defenses have lower clean accuracy than the baselines. Particularly, Adversarial Training and the D.A. + A.T. combo have the lowest clean accuracy; this is consistent with the fact that training on adversarial examples usually hurts the model performance [18]. Data Augmentation often performs even better than the baselines; this is expected given that this technique is used to increase generalization. Most of the defenses have similar accuracy for both DLBD and CLBD; the exception is Activation Defense which performs worse against CLBD.

Benign accuracy on itself is not enough, the defense should also prevent attacks. For the attack success rate, we observe that in DLBD, nearly all defenses are more robust than the Undefended and Random Filter baselines. This does not extend to CLBD as most are actually less robust than the Undefended baseline. We also notice that the choice of trigger can affect some defenses such as ISPL for CLBD where the peace sign is a more nefarious trigger. DPA and Finite Aggregation consistently offer high levels of robustness for both attacks and

even outperform the Perfect Filter baseline during CLBD. This suggests that ensemble-based defenses help to reduce some of the variance that results from *benign* data.

B. Fairness Assessment

We visualize the SPD metric of the models using heatmaps by aggregating the fairness of classes across different models for scenarios with different poison percentages. To generate this heatmap, for each model and poison percentage, we first categorize the resulting SPD values associating with each class into SPD intervals described in Section III-B. The classes belonging to $SPD < -0.1$ are considered negative classes, $SPD > 0.1$ are considered positive classes, and $|SPD| \le 0.1$ are considered fair classes. The counts of classes belonging to each of these three categories were taken across different poison percentages and averaged for all trials.

This was performed individually for all baselines and defenses. In Figure 5, we visualize the number of classes where $|SPD| \leq 0.1$ across the varying poisoning percentages and the percentage of classes for each of the three intervals averaged across all poison percentages for the two attacks using the bullet holes and peace sign triggers.

In the heatmaps for the class counts of the $|SPD| \leq 0.1$ (top row of Figure 5), *darker blue* reflects that more classes fall into the acceptable range, and thus, the model is fairer over all. The different baselines are also shown for relative comparison purposes in each row. We first notice that the poison percentage does not have a large effect on the fairness

| DLBD Bullet Hole | | | | | | | | DLBD Peace Sign | | | | | | | CLBD Bullet Hole | | | CLBD Peace Sign | | | | | |
|-------------------------|-------------------------------|-----------------|-----------|----------------------------|------|------------|------|----------------------------|----------------------------|------|-------------------|------|----------------|------|----------------------------|-------------|------|------------------------|----------------------------|------|------------|--------|-----------------------------------------------------|
| | Undefended -30.0 | | | 29.7 31.0 | 31.0 | 32.7 | 32.0 | 31.0 | 33.3 | | 35.0 31.3 | | 29.0 30.0 | 28.7 | 26.0 | 26.3 | 27.0 | 28.7 | 26.0 | 26.3 | 27.0 | | -35.0 |
| | Perfect Filter - 32.3 | | 28.7 | 26.7 | 33.0 | 31.7 | 31.3 | 32.7 | 32.3 | 30.0 | 28.7 | | 30.7 32.0 | 26.7 | 28.3 | 26.7 | 25.7 | 26.7 | 28.3 | 26.7 | 25.7 | | -32.5 |
| | Random Filter - 31.0 | | 27.0 | 27.0 | 31.0 | 29.7 | 30.3 | 28.3 | 30.7 | 29.7 | 30.3 | 28.0 | 27.7 | 28.0 | 25.0 | 27.3 | 27.3 | 28.0 | 25.0 | 27.3 | 27.3 | | \blacktriangleright 30.0 |
| | Activation Defense - 27.3 | | 30.0 | 30.0 | 28.7 | 25.3 | 29.3 | 28.7 | 23.3 | 29.7 | 27.0 | 29.7 | 28.7 | 18.7 | 18.0 | 16.0 | 19.0 | 18.7 | 18.0 | 16.0 | 19.0 | | $\begin{bmatrix} 30.0 \\ 27.5 \\ 0.0 \end{bmatrix}$ |
| | | $DPA - 23.0$ | 18.0 | 23.0 | 26.0 | 23.0 | 23.0 | 23.0 | 22.0 | 21.0 | 24.0 | 24.0 | 24.0 | 23.0 | 20.0 | 23.0 | 28.0 | 23.0 | 25.0 | 22.0 | 22.0 | | |
| Model | Finite Aggregation - 23.0 | | 23.0 | 22.0 | 22.0 | 22.0 | 22.0 | 23.0 | 22.0 | 23.0 | 23.0 | 21.0 | 22.0 | 23.0 | 22.0 | 23.0 | 23.0 | 23.0 | 22.0 | 23.0 | 23.0 | | $-25.0^{\frac{1}{6}}$ |
| | Spectral Signatures - 30.0 | | 29.7 | 25.7 | 29.3 | 27.0 | 29.7 | 33.0 | 29.7 | 29.3 | 26.3 | 28.3 | 26.3 | 30.0 | 25.5 | 26.5 | 27.5 | 29.5 | 23.5 | 23.5 | 24.5 | | |
| | | $ISPL - 21.7$ | 23.3 24.3 | | 26.7 | 24.7 | 23.7 | 23.7 | 24.0 | 24.3 | 23.7 | 24.0 | 23.3 | 21.7 | 22.3 | 23.7 | 23.3 | 21.7 | 23.3 | 24.3 | 24.7 | | $\frac{3}{2}$ 22.5 $\frac{3}{2}$ |
| | Data Augmentation - 29.0 | | 32.0 | 25.0 | 29.0 | 29.0 | 30.0 | 27.0 | 29.0 | 28.0 | 26.0 | 29.0 | 29.0 | 28.0 | 31.0 | 28.0 | 32.0 | 28.0 | 29.0 | 30.0 | 30.0 | | -20.0 |
| | Adversarial Training - 23.0 | | 22.0 | 21.0 | 22.0 | 22.0 | 23.0 | 24.0 | 20.0 | 23.0 | 23.0 | 20.0 | 20.0 | 26.0 | 23.0 | 24.0 | 24.0 | 24.0 | 20.0 | 22.0 | 24.0 | | |
| | $D.A. + A.T. - 23.0$ | | 19.0 | 20.0 | 21.0 | 17.0 | 24.0 | 18.0 | 21.0 | 18.0 | 19.0 | 18.0 | 21.0 | 24.0 | 22.0 | 22.0 | 22.0 | 23.0 | 20.0 | 22.0 | 16.0 | | -17.5 |
| | 0% 1% 5% | | | | 10% | 20% | 30% | 0% | 1% | 5% | 10% | 20% | 30% | 0% | 20% | 50% | 80% | 0% | 20% | 50% | 80% | | |
| Poison Percentage | | | | | | | | | | | Poison Percentage | | | | Poison Percentage | | | | Poison Percentage | | | | |
| DLBD Bullet Hole | | | | | | | | | DLBD Peace Sign | | | | | | CLBD Bullet Hole | | | | CLBD Peace Sign | | | | |
| | Undefended - | 10.59% | | 72.22% | | 17.18% | | 73.51% 12.53% 13.95% | | | | | 14.53% | | 62.79% | 22.67% | | 14.53% | 62.79% | | 22.67% | | $-70%$ |
| | Perfect Filter - 11.63% | | | 71.19% | | 17.18% | | 10.85% | 72.22% | | 16.93% | | 13.95% | | 62.40% | 23.64% | | 13.95% | 62.40% | | 23.64% | | |
| | Random Filter - 13.31% | | | 68.22% | | 18.48% | | 14.60% 67.70% | | | 17.70% | | 13.18% | | 62.60% | 24.22% | | 13.18% | 62.60% | | 24.22% | $-60%$ | |
| | Activation Defense - 15.89% | | | 66.15% | | 17.96% | | 14.08% | 64.73% | | 21.19% | | 26.94% | | 41.67% | 31.40% | | 26.94% | 41.67% | | 31.40% | | |
| | $DPA -$ | 26.36% | | 52.71% | | 20.93% | | 25.97% | 53.49% | | 20.54% | | 23.84% | | 54.65% | 21.51% | | 26.74% | 53.49% | | 19.77% | | -50% |
| Model | Finite Aggregation - 27.52% | | | 51.94% | | 20.54% | | 26.74% | 51.94% | | 21.32% | | 24.42% | | 52.91% | 22.67% | | 24.42% | 52.91% | | 22.67% | | ent of $-40%$ |
| | Spectral Signatures - 18.60% | | | 66.41% | | 14.99% | | 19.12% | 67.05% | | 13.82% | | 22.97% | | 63.66% | 13.37% | | 26.45% | 58.72% | | 14.83% | | |
| | | $ISPL - 23.39%$ | | 55.94% | | 20.67% | | 24.03% | 55.43% | | 20.54% | | 26.74% | | 52.91% | 20.35% | | 25.39% | 54.65% | | 19.96% | | 를 30% 리 |
| | Data Augmentation - 17.44% | | | 67.44% | | 15.12% | | 19.38% | 65.12% | | 15.50% | | 18.02% | | 69.19% | 12.79% | | 16.28% | 68.02% | | 15.70% | | |
| | Adversarial Training - 33.33% | | | 51.55% | | 15.12% | | 33.72% | 50.39% | | 15.89% | | 29.65% | | 56.40% | 13.95% | | 34.30% | 52.33% | | 13.37% | | $-20%$ |
| | $D.A. + A.T. -$ | 31.78% | | 48.06% | | 20.16% | | 27.91% | 44.57% | | 27.52% | | 29.07% | | 52.33% | 18.60% | | 31.40% | 47.09% | | 21.51% | | |
| | | $[-1.0, -0.1]$ | | $[-0.1, 0.1]$ SPD Range | | (0.1, 1.01 | | $[-1.0, -0.1]$ | $[-0.1, 0.1]$ SPD Range | | (0.1, 1.0] | | $[-1.0, -0.1]$ | | $[-0.1, 0.1]$ SPD Range | (0.1, 1.01) | | $[-1.0, -0.1]$ | $[-0.1, 0.1]$ SPD Range | | (0.1, 1.01 | | |

Fig. 5: The number of classes within the acceptable $|SPD| \leq 0.1$ range across varied poison (top) and the percentage of classes within each of the SPD ranges averaged across all poison percentages (bottom) for each baseline and defense. Each model is evaluated against the DLBD and CLBD attacks using the bullet hole and peace sign triggers on the GTSRB dataset.

as the class counts stay relatively consistent. The baseline models are the most fair while the evaluated defenses tend to be less fair. Interestingly, Activation Defense exhibits high levels of fairness during DLBD but the lowest fairness during CLBD. However, we observe that all of the filtering and adversarial training-based defenses are always less fair than the baselines and other defenses. Intuitively, this reflects the mechanics of the defenses, which remove outliers or try to minimize the effect of minority data. In contrast, data Augmentation consistently shows the highest fairness for both types of attacks. This result suggests that defending a model using data augmentation does improve generalization and provides good fairness results. However, this approach is not the best in terms of attack success rate.

In the heatmaps for the class percentages of the three intervals (bottom row of Figure 5), we notice that most defenses are not especially unfair as the majority of classes always lie within the $|SPD| \leq 0.1$ range. The exceptions are Activation Defense and the D.A. + A.T. combo which in some cases drop below 50% indicating they may be biased. We also observe that each baseline or defense tends to be skewed towards the either the negative $SPD < -0.1$ or positive $SPD > 0.1$. The baselines and Activation Defense tend to be skewed towards the positive range with the percentage of positive range larger that the negative range, while the other defenses tend to be skewed towards negative range. This pattern is consistent for both DLBD and CLBD and for both triggers. This shows that most of the defenses are biased towards a specific subpopulation regardless of the type of poisoning attacks.

VI. CONCLUSION

Machine learning algorithms, although used for critical tasks, are susceptible to adversarial attacks. Poisoning attacks, in particular, pose a large risk to these ML models. Many defenses have been proposed to protect against poisoning attacks. Traditionally, these defenses have been evaluated using attack success rate and benign accuracy. However, these metrics do not show the complete way in which a defense may influence the model. To uncover potential side-effects of defenses, we also utilize a fairness metric to understand how different benign sub-populations can be affected.

In our evaluations, we found that some defenses that produce robust models with a low attack success rate can actually yield unfair and biased models with few classes in the acceptable statistical parity difference (SPD) range. This especially applied for filtering and adversarial training-based defenses. Our experiments also suggest that ensemble-based methods can reduce attacks without resulting in unfair models. Overall, our work highlights that creating robust models may have unintended consequences on the final model quality against certain sub-populations. We encourage future evaluations of adversarial defenses to use metrics outside of the traditional clean accuracy and attack success rate such as SPD to measure additional model qualities such as resulting fairness.

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REFERENCES

- [1] N. Papernot, P. McDaniel, A. Sinha, and M. P. Wellman, "Sok: Security and privacy in machine learning," in *IEEE European Symposium on Security and Privacy*, 2018, pp. 399–414.
- [2] B. Chen, W. Carvalho, N. Baracaldo, H. Ludwig, B. Edwards, T. Lee, I. Molloy, and B. Srivastava, "Detecting backdoor attacks on deep neural networks by activation clustering," *arXiv preprint arXiv:1811.03728*, 2018.
- [3] B. Tran, J. Li, and A. Madry, "Spectral signatures in backdoor attacks," *Advances in neural information processing systems*, vol. 31, 2018.
- [4] A. Levine and S. Feizi, "Deep partition aggregation: Provable defense against general poisoning attacks," *arXiv preprint arXiv:2006.14768*, 2020.
- [5] W. Wang, A. J. Levine, and S. Feizi, "Improved certified defenses against data poisoning with (deterministic) finite aggregation," in *International Conference on Machine Learning*. PMLR, 2022, pp. 22 769–22 783.
- [6] B. Wang, Y. Yao, S. Shan, H. Li, B. Viswanath, H. Zheng, and B. Y. Zhao, "Neural cleanse: Identifying and mitigating backdoor attacks in neural networks," in *2019 IEEE Symposium on Security and Privacy (SP)*. IEEE, 2019, pp. 707–723.
- [7] H. Zhang, M. Cisse, Y. N. Dauphin, and D. Lopez-Paz, "mixup: Beyond empirical risk minimization," in *International Conference on Learning Representations*, 2018.
- [8] T. DeVries and G. W. Taylor, "Improved regularization of convolutional neural networks with cutout," *arXiv preprint arXiv:1708.04552*, 2017.
- [9] S. Yun, D. Han, S. J. Oh, S. Chun, J. Choe, and Y. Yoo, "Cutmix: Regularization strategy to train strong classifiers with localizable features," in *International Conference on Computer Vision*, 2019.
- [10] C. Gong, T. Ren, M. Ye, and Q. Liu, "Maxup: Lightweight adversarial training with data augmentation improves neural network training," in *IEEE/CVF Conference on Computer Vision and Pattern Recognition*, 2021, pp. 2474–2483.
- [11] C. Dwork, M. Hardt, T. Pitassi, O. Reingold, and R. Zemel, "Fairness through awareness," in *Innovations in Theoretical Computer Science Conference*, ser. ITCS '12. New York, NY, USA: Association for Computing Machinery, 2012, p. 214–226.
- [12] T. Gu, B. Dolan-Gavitt, and S. Garg, "Badnets: Identifying vulnerabilities in the machine learning model supply chain," *arXiv preprint arXiv:1708.06733*, 2017.
- [13] Y. Liu, S. Ma, Y. Aafer, W.-C. Lee, J. Zhai, W. Wang, and X. Zhang, "Trojaning attack on neural networks," 2018.
- [14] A. Schwarzschild, M. Goldblum, A. Gupta, J. P. Dickerson, and T. Goldstein, "Just how toxic is data poisoning? a unified benchmark for backdoor and data poisoning attacks," in *International Conference on Machine Learning*. PMLR, 2021, pp. 9389–9398.
- [15] A. Turner, D. Tsipras, and A. Madry, "Clean-label backdoor attacks," 2018.
- [16] J. Geiping, L. Fowl, W. R. Huang, W. Czaja, G. Taylor, M. Moeller, and T. Goldstein, "Witches' brew: Industrial scale data poisoning via gradient matching," *arXiv preprint arXiv:2009.02276*, 2020.
- [17] C. Jin, M. Sun, and M. Rinard, "Defending against backdoor attacks using ensembles of weak learners," 2022.
- [18] A. Madry, A. Makelov, L. Schmidt, D. Tsipras, and A. Vladu, "Towards deep learning models resistant to adversarial attacks," in *International Conference on Learning Representations*, 2018.
- [19] J. Geiping, L. H. Fowl, G. Somepalli, M. Goldblum, M. Moeller, and T. Goldstein, "What doesn't kill you makes you robust(er): How to adversarially train against data poisoning," *arXiv preprint arXiv:2102.13624*, 2021.
- [20] E. Borgnia, V. Cherepanova, L. Fowl, A. Ghiasi, J. Geiping, M. Goldblum, T. Goldstein, and A. Gupta, "Strong data augmentation sanitizes poisoning and backdoor attacks without an accuracy tradeoff," in *International Conference on Acoustics, Speech and Signal Processing*. IEEE, 2021.
- [21] R. K. Bellamy, K. Dey, M. Hind, S. C. Hoffman, S. Houde, K. Kannan, P. Lohia, J. Martino, S. Mehta, A. Mojsilović et al., "Ai fairness 360: An extensible toolkit for detecting and mitigating algorithmic bias," *IBM Journal of Research and Development*, vol. 63, no. 4/5, pp. 4–1, 2019.
- [22] X. Li, Z. Cui, Y. Wu, L. Gu, and T. Harada, "Estimating and improving fairness with adversarial learning," *arXiv preprint arXiv:2103.04243*, 2021.
- [23] A. Wong, M. J. Shafiee, and M. S. Jules, "Micronnet: A highly compact deep convolutional neural network architecture for real-time embedded traffic sign classification," *IEEE Access*, vol. 6, p. 59803–59810, 2018.
- [24] S. Houben, J. Stallkamp, J. Salmen, M. Schlipsing, and C. Igel, "Detection of traffic signs in real-world images: The German Traffic Sign Detection Benchmark," in *International Joint Conference on Neural Networks*, no. 1288, 2013.
- [25] M.-I. Nicolae, M. Sinn, M. N. Tran, B. Buesser, A. Rawat, M. Wistuba, V. Zantedeschi, N. Baracaldo, B. Chen, H. Ludwig, I. Molloy, and B. Edwards, "Adversarial robustness toolbox v1.2.0," *arXiv preprint arXiv:1807.01069*, 2018.
- [26] A. Krizhevsky, V. Nair, and G. Hinton, "Learning multiple layers of features from tiny images," University of Toronto, Tech. Rep., 2009.
- [27] T. S. Technologies, "ARMORY Adversarial Robustness Evaluation Test Bed," https://github.com/twosixlabs/armory.
- [28] Y. Gao, G. A. Ascoli, and L. Zhao, "Bean: Interpretable and efficient learning with biologically-enhanced artificial neuronal assembly regularization," *Frontiers in Neurorobotics*, vol. 15, 2021.
- [29] K. He, X. Zhang, S. Ren, and J. Sun, "Deep residual learning for image recognition," *arXiv preprint arXiv:1512.03385*, 2015.

APPENDIX

A. Alternative Hyperparameter Evaluations

In our evaluations, we used the default hyperparameters for all of the defenses based on their respective paper. We now present results for the Activation Defense, Spectral Signatures, Data Augmentation, Adversarial Training, and the Data Augmentation and Adversarial combination (D.A. + A.T.) defenses where we use alternative hyperparameters. For Activation Defense, there is an optional exclusionary reconstruction phase [2] (we denote as this as ExRe); we now evaluate using exclusionary reconstruction with a threshold of 1.0. For Spectral Signatures, we evaluated using the best case scenario where the expected poison is the actual poison amount; now we use a fixed 30% poison for the dirty label attacks and fixed 20% poison for the clean label attacks. For Data Augmentation, the original work for the data augmentation poisoning defense used Maxup with Cutout [20]; now we use CutMix, a different data augmentation method. For Adversarial Training, the original work used a 7-step PGD attack with $\epsilon = 0.1$ and a step size of 0.02 [19]; we now use a weakened PGD attack with the same hyperparamaters as the original work [18], a 10-step PGD with $\epsilon = 0.03$ and a step size of 0.007. For the D.A. + A.T. combo, we originally adversarially perturbed 75% of the training samples; we now

Fig. 6: The clean accuracy (top) and attack success rate (bottom) for the additional hyperparameter modified defenses across varied poison. Each model is evaluated against the DLBD and CLBD attacks using the bullet hole and peace sign triggers on the GTSRB dataset.

Fig. 7: The number of classes within the acceptable $|SPD| \le 0.1$ range across varied poison (top) and the percentage of classes within each of the SPD ranges averaged across all poison percentages (bottom) for the additional hyperparameter modified defenses. Each model is evaluated against the DLBD and CLBD attacks using the bullet hole and peace sign triggers on the GTSRB dataset.

use a weakened version where we only perturb 50% of the training samples.

Security Assessment: The clean accuracy and attack success rate for these alternative hyperparameter defenses are shown in Figure 6. The undefended baseline and original hyperparameter variations are also included as reference. We report these metrics across the varying poisoning percentages for the two attack using the bullet hole and peace sign triggers. We omit 0% poison for the attack success rate plots. We also include tables showing the exact numbers in Appendix C. We immediately notice that Activation Defense with exclusionary reconstruction offers a significant improvement in clean accuracy compared to without but does not change much in terms of attack success rate. We also observe that the choice of expected poison for Spectral Signatures does not affect the clean accuracy but does have a significant effect on the attack success rate. The choice of Data Augmentation method (Maxup or CutMix) does not largely affect on the clean accuracy or attack success rate. For both Adversarial Training and the $D.A. + A.T.,$ the weakened variant has a higher clean accuracy but also higher attack success rate.

Fairness Assessment: In Figure 7, we report the number of classes in the acceptable $|SPD| \leq 0.1$ across the varying poisoning percentages and the percentage of classes for each of the SPD intervals averaged across all poison percentages for the two attacks using the bullet hole and peace sign triggers. We notice a large improvement in fairness for Activation Defense with exclusionary reconstruction for CLBD. We also observe that the hyperparameters for Spectral Signatures and the choice of Data Augmentation do not affect the fairness of the model as the SPD remains very similar. For both Adversarial Training and the D.A. + A.T. combo, however, we notice a large increase in fairness for the weakened variants. The same trend where the defense tends to be skewed towards the either the negative $SPD < -0.1$ or positive $SPD > 0.1$ remains consistent regardless of the hyperparameters.

B. Alternative Dataset and Attack Evaluations

In addition to our experiments using the MicronNet model trained on the GTSRB dataset, we also use a different model architecture and dataset to properly judge each defense's generalizability. For each of the baselines and defenses, except DPA and Finite Aggregation 3 , we trained a ResNet-18 [29] model on the CIFAR-10 [26]. Each model was trained for 100 epochs. We evaluate these defenses against the dirty label backdoor [12] (DLBD) and Witches' Brew [16] attacks. We used the Adam optimizer for models evaluated against the DLBD attack and the SGD optimizer for models evaluated against the Witches' Brew attack.

Just like experiments using the GTSRB dataset, we vary the percentage of poison for each defense. For DLBD, we used 0%, 1%, 5%, 10%, 20%, and 30% poison. For Witches' Brew, we use 0%, 1%, 5%, 10%, 20%, and 30% poison. Additionally, for DLBD, we use two triggers: the *copyright* and the *watermark*. These triggers are shown in Figure 8. Same as before, we generate poison samples by blending the trigger image with a portion of each target image. For the CIFAR-10 dataset, we set the trigger size equal to the original image with a blend factor of 0.18 for copyright and 1.0 for the watermark trigger. The Witches' Brew attack does not use a trigger.

Fig. 8: Poisoning attack triggers for the (a) copyright and (b) watermark used for the CIFAR-10 dataset.

Security Assessment: In Figure 9, we report the clean accuracy and attack success rate across the varying poisoning percentages for the two attacks (and triggers where applicable). We omit 0% poison for the attack success rate plots since there will never be a successful attack. We also include tables showing the exact numbers in Appendix C. We immediately notice that nearly all of the defenses have a lower clean accuracy than the baselines. Adversarial Training and the D.A. + A.T. combo in particular perform extremely poorly, but this may be due to the choice of hyperparameters for the PGD attack. For the attack success rate, the defenses perform better than the undefended baseline for the DLBD. However, for the Witches' Brew attack, all of the defenses perform worse than the baseline. This may demonstrate that these defenses are brittle against this type of attack.

Fairness Assessment: The fairness class counts for the acceptable $|SPD| \leq 0.1$ range and the percent distribution for all three SPD ranges are shown in Figure 10. We observe that since the CIFAR-10 dataset tends to have balanced classes, the baselines and most of the defenses are very fair and tend to exhibit no bias. Adversarial Training and the D.A. + A.T. combo show some form of bias, but is still very low. This shows that against a balanced dataset, models tend to stay fair and do not exhibit much bias against sub-populations. For this reason, we used the GTSRB dataset for our main results as this dataset is unbalanced which is more realistic.

C. Results as Tables

For readability and accurate comparisons, we also include tables showing the exact numbers for the clean accuracy and attack success rate plots of all the baselines and defenses in our three sets of experiments.

Table I and Table II correspond to the top row and bottom rows of Figure 4, respectively. This is the clean accuracy and attack success rates for the main set of baselines and defenses evaluated against the DLBD and CLBD attacks using the bullet hole and peace sign triggers on the GTSRB dataset.

Table III and Table IV correspond to the top row and bottom rows of Figure 6, respectively. This is the clean accuracy and attack success rates for the alternative hyperparameter defenses

³We omit DPA and Finite Aggregation for the CIFAR-10 results as these defenses were not compatible with this combination of dataset and poisoning attacks.

Fig. 9: The clean accuracy (top) and attack success rate (bottom) for the baselines and defenses across varied poison. Each model is evaluated against the DLBD attack using the copyright and watermark triggers and the Witches' Brew attack on the CIFAR-10 dataset.

Fig. 10: The number of classes in the acceptable $|SPD| \leq 0.1$ range across varied poison (top) and the percentage of classes within each of the SPD ranges averaged across all poison percentages (bottom) for each baseline and defense. Each model is evaluated against the DLBD attack using the copyright and watermark triggers and the Witches' Brew attack on the CIFAR-10 dataset.

TABLE I: The clean accuracy for the main set of baselines and defenses evaluated on the GTSRB dataset against the DLBD and CLBD attacks with bullet hole and peace sign triggers across varying poison percentages. The best performing models are in bold.

| | | | DLBD Bullet Hole | | | | | | DLBD Peace Sign | | | | | | CLBD Bullet Hole | CLBD Peace Sign | | | | |
|-----------------------------|-------|-------|-------------------------|-------|-------|-------|-------|-------|------------------------|-------|-------|-------|-------|-------|------------------|------------------------|-------|-------|-------|-------|
| Model | 0% | 1% | 5% | 10% | 20% | 30% | 0% | 1% | 5% | 10% | 20% | 30% | 0% | 20% | 50% | 80% | 0% | 20% | 50% | 80% |
| Undefended | 0.916 | 0.940 | 0.935 | 0.94 | 0.942 | 0.939 | 0.928 | 0.941 | 0.945 | 0.941 | 0.925 | 0.942 | 0.928 | 0.929 | 0.927 | 0.925 | 0.928 | 0.929 | 0.927 | 0.925 |
| Perfect Filter | 0.942 | 0.919 | 0.919 | 0.932 | 0.941 | 0.942 | 0.943 | 0.944 | 0.892 | 0.921 | 0.942 | 0.940 | 0.928 | 0.927 | 0.927 | 0.928 | 0.928 | 0.927 | 0.927 | 0.928 |
| Random Filter | 0.934 | 0.903 | 0.916 | 0.935 | 0.915 | 0.937 | 0.905 | 0.936 | 0.925 | 0.941 | 0.893 | 0.925 | 0.924 | 0.924 | 0.927 | 0.927 | 0.924 | 0.924 | 0.927 | 0.927 |
| Activation Defense | 0.904 | 0.929 | 0.930 | 0.932 | 0.911 | 0.906 | 0.933 | 0.880 | 0.924 | 0.933 | 0.933 | 0.920 | 0.866 | 0.875 | 0.859 | 0.860 | 0.866 | 0.875 | 0.859 | 0.860 |
| DPA | 0.925 | 0.922 | 0.922 | 0.922 | 0.922 | 0.917 | 0.925 | 0.922 | 0.923 | 0.925 | 0.922 | 0.920 | 0.925 | 0.922 | 0.919 | 0.915 | 0.925 | 0.923 | 0.920 | 0.912 |
| Finite Aggregation | 0.916 | 0.916 | 0.916 | 0.915 | 0.914 | 0.910 | 0.916 | 0.916 | 0.916 | 0.916 | 0.915 | 0.914 | 0.916 | 0.915 | 0.913 | 0.909 | 0.916 | 0.915 | 0.913 | 0.909 |
| Spectral Signatures | 0.947 | 0.946 | 0.918 | 0.946 | 0.918 | 0.941 | 0.946 | 0.947 | 0.943 | 0.915 | 0.912 | 0.921 | 0.946 | 0.909 | 0.912 | 0.911 | 0.946 | 0.913 | 0.91 | 0.908 |
| ISPL | 0.878 | 0.874 | 0.910 | 0.905 | 0.885 | 0.895 | 0.896 | 0.879 | 0.879 | 0.877 | 0.884 | 0.877 | 0.878 | 0.889 | 0.891 | 0.902 | 0.878 | 0.901 | 0.878 | 0.898 |
| Data Augmentation | 0.947 | 0.948 | 0.939 | 0.948 | 0.945 | 0.949 | 0.945 | 0.947 | 0.947 | 0.939 | 0.946 | 0.949 | 0.947 | 0.951 | 0.947 | 0.946 | 0.919 | 0.942 | 0.930 | 0.943 |
| Adversarial Training | 0.886 | 0.867 | 0.862 | 0.864 | 0.853 | 0.864 | 0.878 | 0.857 | 0.862 | 0.859 | 0.848 | 0.842 | 0.864 | 0.862 | 0.858 | 0.860 | 0.861 | 0.865 | 0.854 | 0.871 |
| $DA. + A.T.$ | 0.884 | 0.875 | 0.846 | 0.849 | 0.830 | 0.840 | 0.867 | 0.848 | 0.844 | 0.848 | 0.839 | 0.848 | 0.856 | 0.838 | 0.840 | 0.846 | 0.864 | 0.843 | 0.853 | 0.849 |

TABLE II: The attack success rate for the main set of baselines and defenses evaluated on the GTSRB dataset against the DLBD and CLBD attacks with the bullet hole and peace sign triggers across varying poison percentages. The best performing models are in bold.

| | | | DLBD Bullet Hole | | | | | DLBD Peace Sign | | | | CLBD Bullet Hole | | CLBD Peace Sign | | |
|-----------------------------|-------|-------|-------------------------|-------|-------|-------|-------|------------------------|-------|-------|-------|-------------------------|-------|------------------------|-------|-------|
| Model | 1% | 5% | 10% | 20% | 30% | 1% | 5% | 10% | 20% | 30% | 20% | 50% | 80% | 20% | 50% | 80% |
| Undefended | 0.278 | 0.569 | 0.820 | 0.910 | 0.940 | 0.744 | 0.953 | 0.983 | 0.967 | 0.998 | 0.225 | 0.236 | 0.268 | 0.225 | 0.236 | 0.268 |
| Perfect Filter | 0.103 | 0.094 | 0.092 | 0.135 | 0.135 | 0.137 | 0.045 | 0.072 | 0.228 | 0.120 | 0.119 | 0.107 | 0.115 | 0.119 | 0.107 | 0.115 |
| Random Filter | 0.134 | 0.568 | 0.745 | 0.800 | 0.936 | 0.668 | 0.753 | 0.979 | 0.738 | 0.998 | 0.227 | 0.247 | 0.267 | 0.227 | 0.247 | 0.267 |
| Activation Defense | 0.289 | 0.691 | 0.815 | 0.838 | 0.830 | 0.497 | 0.886 | 0.977 | 0.985 | 0.988 | 0.248 | 0.283 | 0.261 | 0.248 | 0.283 | 0.261 |
| DPA | 0.128 | 0.163 | 0.200 | 0.364 | 0.492 | 0.056 | 0.138 | 0.310 | 0.547 | 0.701 | 0.122 | 0.106 | 0.107 | 0.085 | 0.083 | 0.079 |
| Finite Aggregation | 0.122 | 0.161 | 0.231 | 0.383 | 0.508 | 0.050 | 0.251 | 0.451 | 0.724 | 0.861 | 0.096 | 0.092 | 0.090 | 0.096 | 0.092 | 0.090 |
| Spectral Signatures | 0.266 | 0.506 | 0.839 | 0.705 | 0.915 | 0.532 | 0.871 | 0.676 | 0.769 | 0.992 | 0.193 | 0.271 | 0.250 | 0.263 | 0.327 | 0.315 |
| ISPL | 0.068 | 0.088 | 0.106 | 0.167 | 0.247 | 0.096 | 0.073 | 0.081 | 0.311 | 0.461 | 0.159 | 0.194 | 0.170 | 0.329 | 0.264 | 0.290 |
| Data Augmentation | 0.201 | 0.300 | 0.844 | 0.949 | 0.956 | 0.568 | 0.896 | 0.893 | 0.985 | 0.990 | 0.222 | 0.217 | 0.194 | 0.199 | 0.267 | 0.268 |
| Adversarial Training | 0.119 | 0.157 | 0.142 | 0.243 | 0.263 | 0.194 | 0.178 | 0.358 | 0.339 | 0.479 | 0.142 | 0.271 | 0.275 | 0.203 | 0.218 | 0.229 |
| $D.A. + A.T.$ | 0.140 | 0.229 | 0.275 | 0.418 | 0.600 | 0.272 | 0.346 | 0.447 | 0.583 | 0.754 | 0.200 | 0.219 | 0.251 | 0.202 | 0.247 | 0.289 |

TABLE III: The clean accuracy for the alternative hyperparameter defenses evaluated on the GTSRB dataset against the DLBD and CLBD attacks with bullet hole and peace sign triggers across varying poison percentages. The best performing models are in bold.

| | | | | DLBD Bullet Hole | | | | | DLBD Peace Sign | | | | | | CLBD Bullet Hole | | CLBD Peace Sign | | | |
|---------------------------------|-------|-------|-------|-------------------------|-------|-------|-------|----------|------------------------|-------|-------|-------|-------|-------|-------------------------|-------|------------------------|-------|-------|-------|
| Model | 0% | $\%$ | 5% | 10% | 20% | 30% | 0% | σ | 5% | 10% | 20% | 30% | 0% | 20% | 50% | 80% | 0% | 20% | 50% | 80% |
| Undefended | 0.916 | 0.940 | 0.935 | 0.94 | 0.942 | 0.939 | 0.928 | 0.94 | 0.945 | 0.941 | 0.925 | 0.942 | 0.928 | 0.929 | 0.927 | 0.925 | 0.928 | 0.929 | 0.927 | 0.925 |
| Activation Defense (original) | 0.904 | 0.929 | 0.930 | 0.932 | 0.91 | 0.906 | 0.933 | 0.880 | 0.924 | 0.933 | 0.933 | 0.920 | 0.866 | 0.875 | 0.859 | 0.860 | 0.866 | 0.875 | 0.859 | 0.860 |
| Activation Defense (ExRe) | 0.914 | 0.953 | 0.933 | 0.952 | 0.950 | 0.953 | 0.954 | 0.953 | 0.952 | 0.942 | 0.950 | 0.951 | 0.948 | 0.952 | 0.954 | 0.947 | 0.948 | 0.953 | 0.953 | 0.951 |
| Spectral Signatures (original) | 0.947 | 0.946 | 0.918 | 0.946 | 0.918 | 0.94 | 0.946 | 0.947 | 0.943 | 0.915 | 0.912 | 0.921 | 0.946 | 0.909 | 0.912 | 0.911 | 0.946 | 0.913 | 0.911 | 0.908 |
| Spectral Signatures (fixed) | 0.941 | 0.943 | 0.933 | 0.937 | 0.917 | 0.94 | 0.941 | 0.875 | 0.929 | 0.901 | 0.941 | 0.921 | 0.940 | 0.899 | 0.902 | 0.901 | 0.940 | 0.903 | 0.901 | 0.898 |
| Data Augmentation (maxup) | 0.947 | 0.948 | 0.939 | 0.948 | 0.945 | 0.949 | 0.945 | 0.947 | 0.947 | 0.939 | 0.946 | 0.949 | 0.947 | 0.951 | 0.947 | 0.946 | 0.919 | 0.942 | 0.930 | 0.943 |
| Data Augmentation (cutmix) | 0.944 | 0.936 | 0.937 | 0.943 | 0.937 | 0.936 | 0.947 | 0.941 | 0.938 | 0.938 | 0.941 | 0.938 | 0.941 | 0.931 | 0.946 | 0.949 | 0.939 | 0.945 | 0.948 | 0.947 |
| Adversarial Training (original) | 0.886 | 0.867 | 0.862 | 0.864 | 0.853 | 0.864 | 0.878 | 0.857 | 0.862 | 0.859 | 0.848 | 0.842 | 0.864 | 0.862 | 0.858 | 0.860 | 0.861 | 0.865 | 0.854 | 0.87 |
| Adversarial Training (weak) | 0.942 | 0.940 | 0.934 | 0.938 | 0.928 | 0.933 | 0.943 | 0.938 | 0.936 | 0.933 | 0.939 | 0.929 | 0.943 | 0.934 | 0.929 | 0.946 | 0.918 | 0.937 | 0.941 | 0.944 |
| $D.A. + A.T.$ (original) | 0.884 | 0.875 | 0.846 | 0.849 | 0.830 | 0.840 | 0.867 | 0.848 | 0.844 | 0.848 | 0.839 | 0.848 | 0.856 | 0.838 | 0.840 | 0.846 | 0.864 | 0.843 | 0.853 | 0.849 |
| $D.A. + A.T.$ (weak) | 0.886 | 0.897 | 0.889 | 0.888 | 0.88 | 0.886 | 0.898 | 0.897 | 0.894 | 0.889 | 0.895 | 0.888 | 0.898 | 0.906 | 0.898 | 0.896 | 0.898 | 0.876 | 0.898 | 0.882 |

TABLE IV: The attack success rate for the alternative hyperparameter defenses evaluated on the GTSRB dataset against the DLBD and CLBD attacks with the bullet hole and peace sign triggers across varying poison percentages. The best performing models are in bold.

TABLE V: The clean-accuracy for the baselines and defenses evaluated on the CIFAR-10 dataset against the DLBD attack with the copyright and watermark triggers and Witches' Brew attack across varying poison percentages. The best performing models are in bold.

| | | | | DLBD Copyright | | | | DLBD Watermark | Witches' Brew | | | | | | | |
|----------------------------|-------|-------|-------|-----------------------|--------|-------|-------|-----------------------|---------------|-------|-------|-------|-------|-------|-------|-------|
| Model | 0% | 1% | 5% | 10% | 20% | 30% | 0% | 1% | 5% | 10% | 20% | 30% | 0% | 10% | 20% | 30% |
| Undefended | 0.767 | 0.762 | 0.765 | 0.764 | 0.758 | 0.737 | 0.769 | 0.764 | 0.758 | 0.762 | 0.766 | 0.765 | 0.637 | 0.634 | 0.632 | 0.627 |
| Perfect Filter | 0.770 | 0.768 | 0.763 | 0.767 | 0.767 | 0.763 | 0.771 | 0.765 | 0.767 | 0.765 | 0.763 | 0.761 | 0.771 | 0.738 | 0.731 | 0.716 |
| Random Filter | 0.739 | 0.731 | 0.725 | 0.729 | 0.728 | 0.728 | 0.734 | 0.728 | 0.733 | 0.730 | 0.733 | 0.725 | 0.734 | 0.710 | 0.703 | 0.701 |
| Activation Defense | 0.716 | 0.722 | 0.708 | 0.697 | 0.727 | 0.711 | 0.731 | 0.721 | 0.708 | 0.718 | 0.704 | 0.516 | 0.731 | 0.548 | 0.641 | 0.637 |
| Spectral Signatures | 0.682 | 0.644 | 0.680 | 0.692 | 0.674 | 0.686 | 0.703 | 0.690 | 0.492 | 0.672 | 0.687 | 0.689 | 0.703 | 0.668 | 0.658 | 0.656 |
| ISPL | 0.674 | 0.669 | 0.666 | 0.664 | 0.666 | 0.675 | 0.677 | 0.683 | 0.667 | 0.677 | 0.657 | 0.674 | 0.710 | 0.711 | 0.694 | 0.690 |
| Data Augmentation | 0.748 | 0.742 | 0.745 | 0.741 | 0.747 | 0.728 | 0.756 | 0.745 | 0.749 | 0.751 | 0.729 | 0.740 | 0.643 | 0.629 | 0.621 | 0.613 |
| Adversarial Training | 0.303 | 0.326 | 0.334 | 0.315 | 0.326 | 0.283 | 0.310 | 0.350 | 0.347 | 0.339 | 0.334 | 0.311 | 0.280 | 0.270 | 0.260 | 0.254 |
| $DA. + A.T.$ | 0.402 | 0.408 | 0.396 | 0.398 | 0.411 | 0.406 | 0.380 | 0.342 | 0.414 | 0.373 | 0.39 | 0.391 | 0.315 | 0.307 | 0.305 | 0.315 |

TABLE VI: The attack success rate for the baselines and defenses evaluated on the CIFAR-10 dataset against the DLBD attack with the copyright and watermark triggers and Witches' Brew attack across varying poison percentages. The best performing models are in bold.

evaluated against the DLBD and CLBD attacks using the bullet hole and peace sign triggers on the GTSRB dataset.

Table V and Table VI correspond to the top row and bottom rows of Figure 9, respectively. This is the clean accuracy and attack success rates for the alternative hyperparameter defenses evaluated against the DLBD attack using the copyright and watemark triggers and Witches' Brew attack on the CIFAR-10 dataset.